

Therefore the handle force required is $F = P/16 = 222/16 \approx \mathbf{14 \text{ lbf}}$ *Ans.*

2.21 In Fig. P2.21 all fluids are at 20°C. Gage A reads 350 kPa absolute. Determine (a) the height h in cm; and (b) the reading of gage B in kPa absolute.

Solution: Apply the hydrostatic formula from the air to gage A:

$$\begin{aligned} p_A &= p_{\text{air}} + \sum \gamma h \\ &= 180000 + (9790)h + 133100(0.8) = 350000 \text{ Pa,} \end{aligned}$$

Solve for $h \approx \mathbf{6.49 \text{ m}}$ *Ans. (a)*

Then, with h known, we can evaluate the pressure at gage B:

$$p_B = 180000 + 9790(6.49 + 0.80) = 251000 \text{ Pa} \approx \mathbf{251 \text{ kPa}}$$
 Ans. (b)

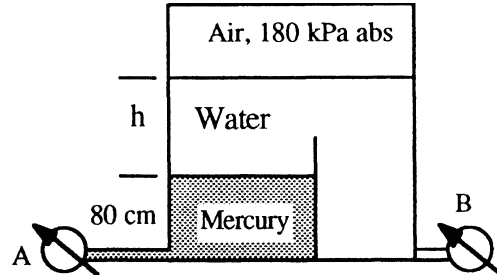


Fig. P2.21

2.22 The fuel gage for an auto gas tank reads proportional to the bottom gage pressure as in Fig. P2.22. If the tank accidentally contains 2 cm of water plus gasoline, how many centimeters “ h ” of air remain when the gage reads “full” in error?

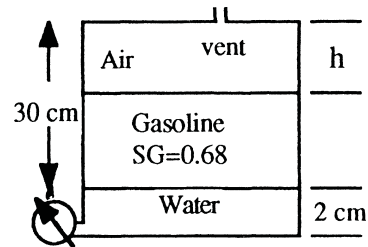


Fig. P2.22