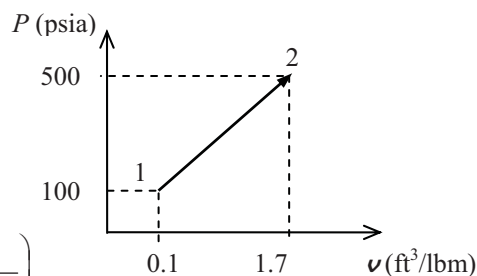


**8-114E** The work produced for the process 1-2 shown in the figure is to be determined.

**Assumptions** Kinetic and potential energy changes are negligible.

**Analysis** The work integral represents the area to the left of the reversible process line. Then,

$$\begin{aligned} w_{\text{in},1-2} &= \int_1^2 \boldsymbol{\nu} dP \\ &= \frac{\boldsymbol{\nu}_1 + \boldsymbol{\nu}_2}{2} (P_2 - P_1) \\ &= \frac{(0.1 + 1.7) \text{ft}^3/\text{lbm}}{2} (500 - 100) \text{psia} \left( \frac{1 \text{ Btu}}{5.404 \text{ psia} \cdot \text{ft}^3} \right) \\ &= \mathbf{66.6 \text{ Btu/lbm}} \end{aligned}$$



**8-115** Liquid water is to be pumped by a 25-kW pump at a specified rate. The highest pressure the water can be pumped to is to be determined.

**Assumptions** **1** Liquid water is an incompressible substance. **2** Kinetic and potential energy changes are negligible. **3** The process is assumed to be reversible since we will determine the limiting case.

**Properties** The specific volume of liquid water is given to be  $\boldsymbol{\nu}_1 = 0.001 \text{ m}^3/\text{kg}$ .

**Analysis** The highest pressure the liquid can have at the pump exit can be determined from the reversible steady-flow work relation for a liquid,

$$\dot{W}_{\text{in}} = \dot{m} \left( \int_1^2 \boldsymbol{\nu} dP + \Delta ke^{\text{e}} + \Delta pe^{\text{e}} \right) = \dot{m} \boldsymbol{\nu}_1 (P_2 - P_1)$$

Thus,

$$25 \text{ kJ/s} = (5 \text{ kg/s})(0.001 \text{ m}^3/\text{kg})(P_2 - 100) \text{ kPa} \left( \frac{1 \text{ kJ}}{1 \text{ kPa} \cdot \text{m}^3} \right)$$

It yields

$$P_2 = \mathbf{5100 \text{ kPa}}$$

