



# What Gravity Does

All objects pull **F** all other objects

The forces on two objects are  $r$   
equal in magnitude  
opposite in direction

Proportional to masses of each object

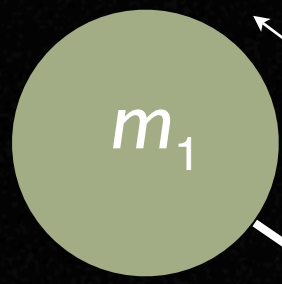
$$m_1 m_2$$

Inversely proportional to the distance-squared  
between their centres.

$$\frac{1}{r^2}$$

$$-\mathbf{F}$$





# What Gravity Does

$\mathbf{F}$

$r$

$$F = G \frac{m_1 m_2}{r^2}$$

G is a “universal constant”.  
It’s the same everywhere  
for all time

We think

$m_1 m_2$

$\frac{1}{r^2}$

$-\mathbf{F}$

$m_2$



# What's $G$ ?

- Force between two 1-kg masses, 1 m apart  
—too small to measure
- On earth,  $g = G m_{\text{earth}} / r_{\text{earth}}^2$   
—what  $r_{\text{earth}}$  do we use? (Newton solved this)  
—Have  $Gm_{\text{earth}}$  together, have to guess  $m_{\text{earth}}$ .
- Kepler's  $K = Gm_{\text{sun}} / 4\pi^2$  – similar problem



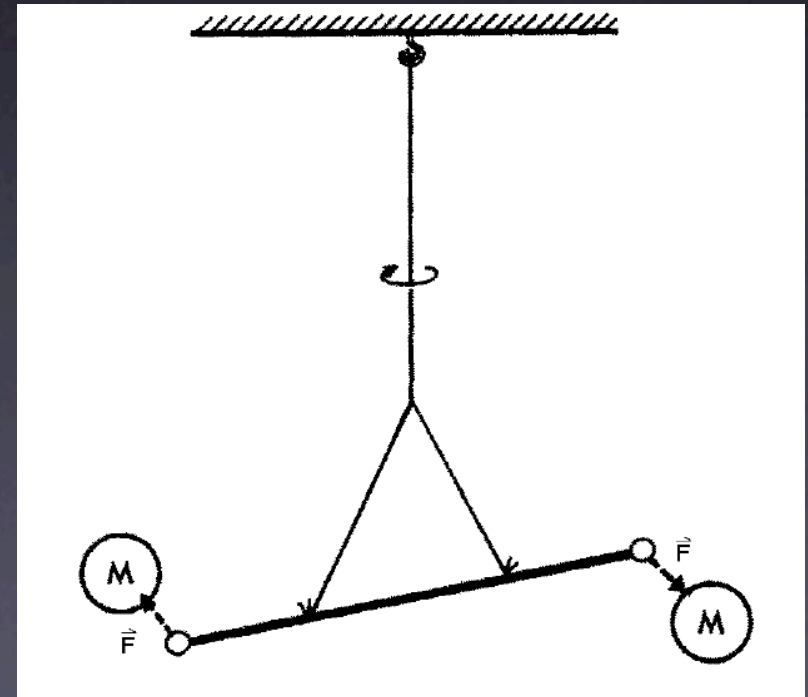
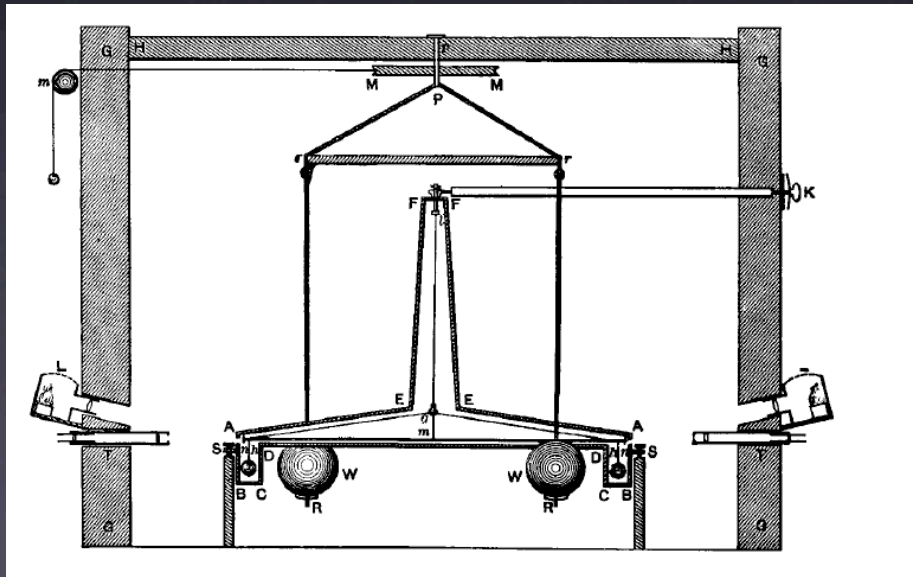
# Enter Henry's Torsion Balance



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Henry Cavendish that is... (1798)





Enter

# Henry's Torsion Balance

Henry Cavendish that is...



$$G = 0.667 \times 10^{-10} \text{ N-m}^2/\text{kg}^2$$

# Quiz

- Somewhere in space, 150 000 000 km from the sun is a stool
- On that stool is an ordinary spring scale
- And on that scale is a planet
- How much does the planet weight?

# Answer

- The stool has a very weak gravitational field
- The planet is not heavy enough to crush the stool
- The planet weighs 45 N
- The planet's mass is 5.972 sextillion metric tonnes. ( $5.972 \times 10^{24}$  kg)