



Welcome to Kinematics!

Classical Mechanics

iClicker

- Register your i>Clicker in class during the “roll call.”
- You may register it after you use it and still get the marks.
- If you want to use iClicker GO (eg., smartphone app) let me know.

SmartPhysics Protocol

- Online Prelectures (animated textbook, before lecture)
- Online Checkpoints (check knowledge, before lecture)
- Lectures (very interactive)
- Online Homework (first deadline Sunday, 80% credit for late online homework up to about one week from Sunday)

SmartPhysics

https://www.physicsbrain.com/fall10/course/default.aspx?cid=279#

UBUC UBUC Weather Physics DES XM DRUDGE ENLIST MorningShowWG SmartPhysics Physics 211 Other bookmarks

smartPhysics

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Instructor Links

Search...

[*] Go to current chapter

Linear Dynamics: $\vec{F} = m\vec{a}$

1) 1-D Kinematics

Prefecture	<div><div></div></div>	Tuesday, August 24 at 6:00 AM
Preflight	<div><div></div></div>	Tuesday, August 24 at 6:00 AM

2) Vectors and 2-D Kinematics

Prefecture	<div><div></div></div>	Thursday, August 26 at 6:00 AM
Preflight	<div><div></div></div>	Thursday, August 26 at 6:00 AM
Homework	<div><div></div></div>	Tuesday, August 31 at 6:00 AM

3) Relative and Circular Motion

4) Newton's Laws

5) Forces and Free-Body Diagrams

6) Friction

Conservation Laws: $\int(\vec{F} = m\vec{a})$

Rotational Dynamics: $\vec{r} \times (\vec{F} = m\vec{a})$

Applications

Today: Tuesday, August 24

Daily Planner

Tuesday, August 24, 2010

6:00 am Prefecture - 1-D Kinematics

6:00 am Preflight - 1-D Kinematics

Thursday, August 26, 2010

6:00 am Prefecture - Vectors And 2-D Kinematics

6:00 am Preflight - Vectors And 2-D Kinematics

Tuesday, August 31, 2010

6:00 am Prefecture - Relative And Circular Motion

6:00 am Preflight - Relative And Circular Motion

Announcements

Aug 21 2 days ago

Welcome to Physics 211! Please do the prelecture and preflight for 1-D Kinematics.

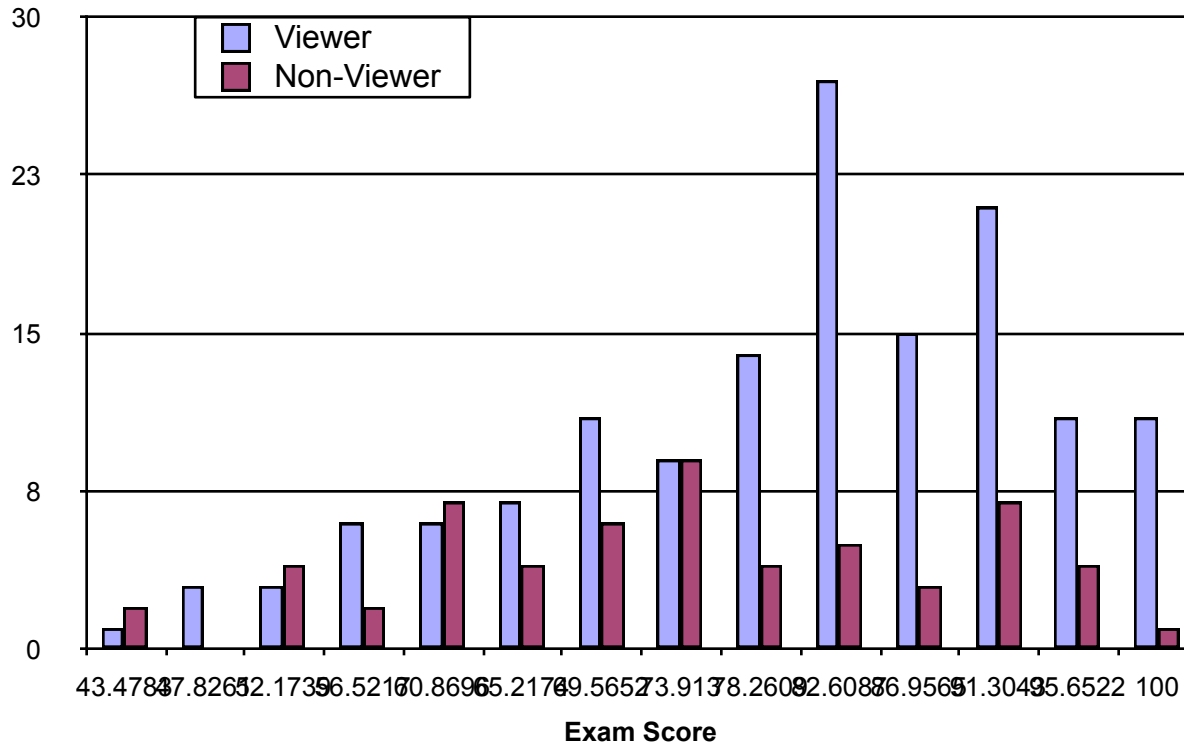
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Physics 211 Fall 10
University of Illinois

W. H. FREEMAN
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Q: What are the benefits of participating ?

A: You learn more



Students who...	Exam 1 average
Viewed pre-lectures	80%
Blew through pre-lectures	73%

Clicker Question 1



Do you have your i>clicker with you today?

- A) Yes
- B) No
- C) Maybe
- D) I like pudding



Clicker Question 2



Which of the following best describes your high-school physics class?

- A) Awesome
- B) Pretty good
- C) So-so
- D) Not so good
- E) Awful

Classical Mechanics

Lecture 1

Today's Concepts:

- a) Displacement, Velocity, Acceleration
- b) 1-D Kinematics with constant acceleration

Your Comments

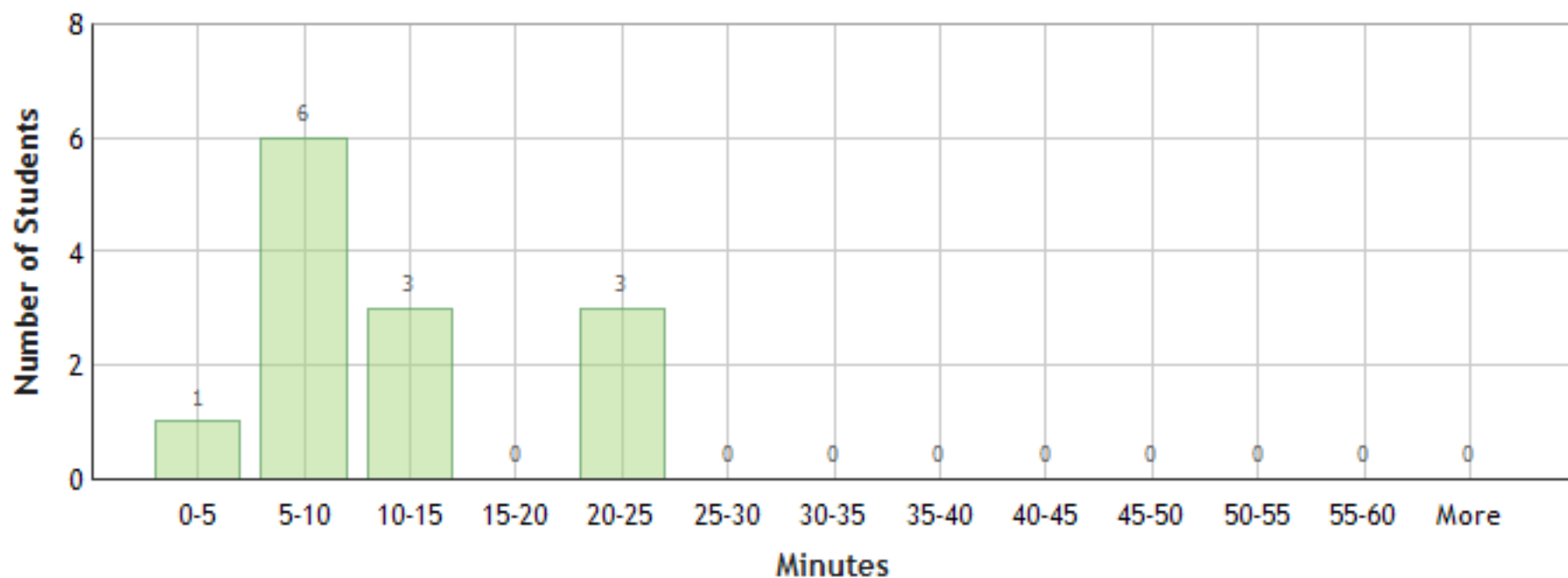
“The connection between acceleration and displacement”

“does the velocity actually goes to zero as the cart turns from right to left? how is the cart still moving if the velocity is zero?”

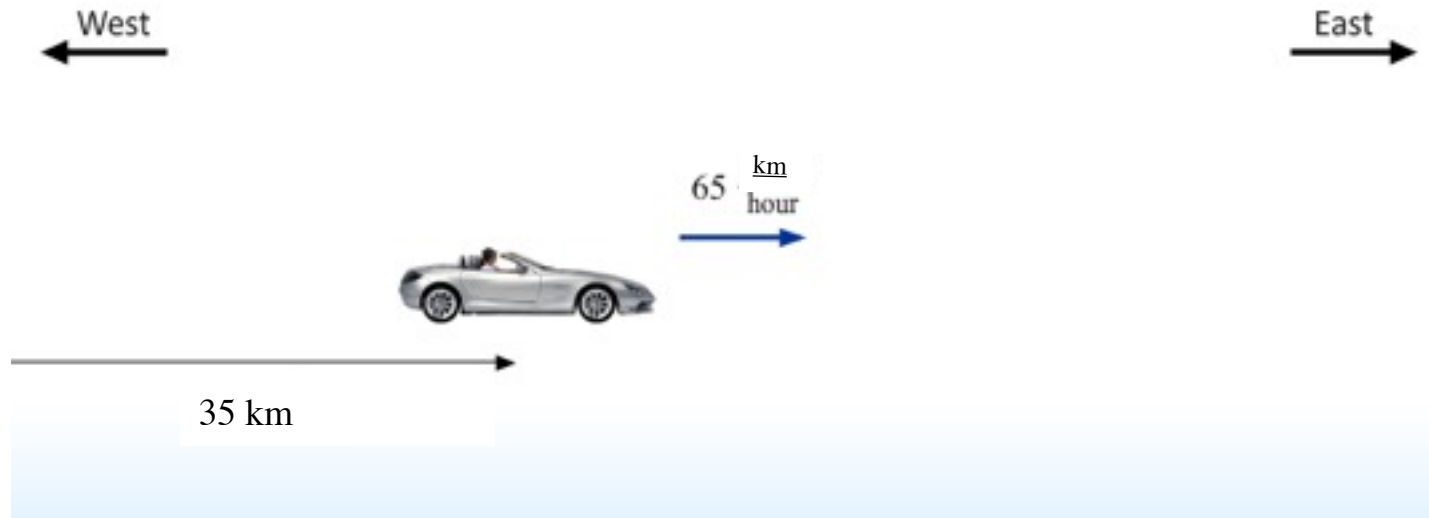
“Perhaps the introduction of the calculus concept is setting us up for later in the course?”

That's right

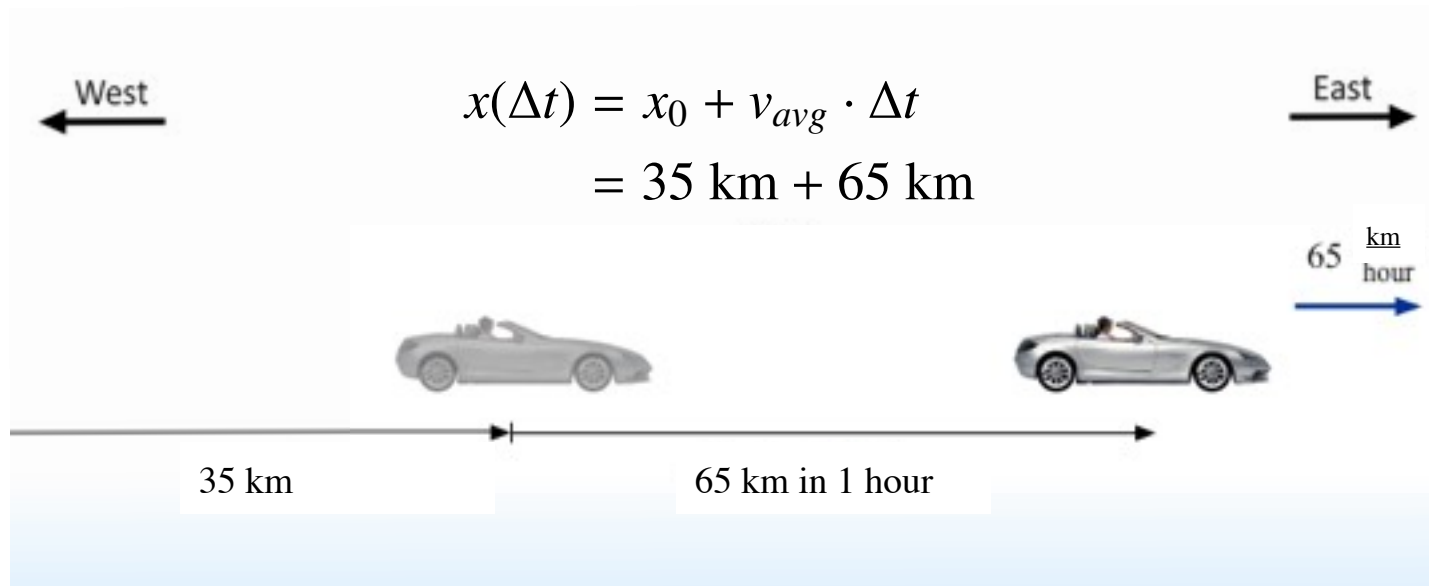
Time Spent Viewing Assignment (N = 13)



Prelecture Example



Prelecture Example



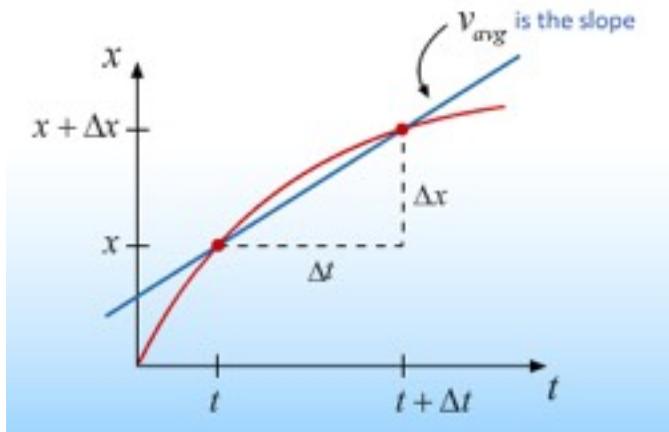
Displacement and Velocity in One Dimension

Average Velocity

$$v_{avg} \equiv \frac{\Delta x}{\Delta t}$$

Displacement

Time taken

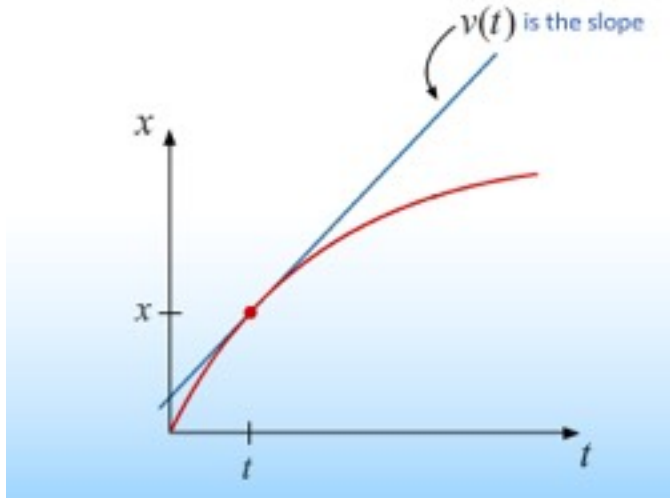


Displacement and Velocity in One Dimension

Instantaneous Velocity

$$v(t) \equiv \frac{dx(t)}{dt}$$

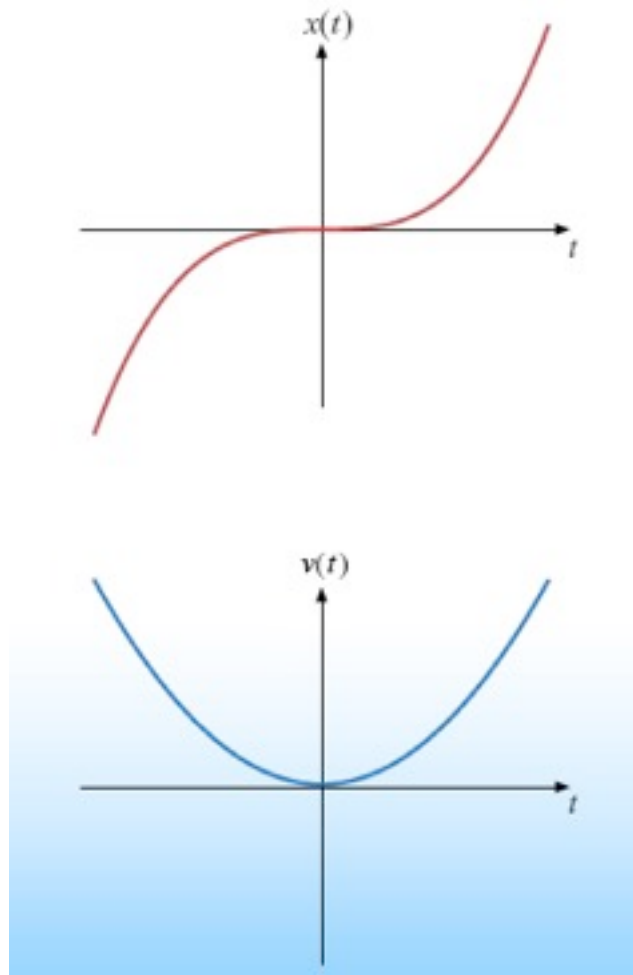
The $v(t)$ vs. t plot is just the slope of the $x(t)$ vs. t plot



Definition:

$$\text{Speed} = |v(t)|$$

Displacement and Velocity in One Dimension



Are the plots shown at the left correctly related

A) YES

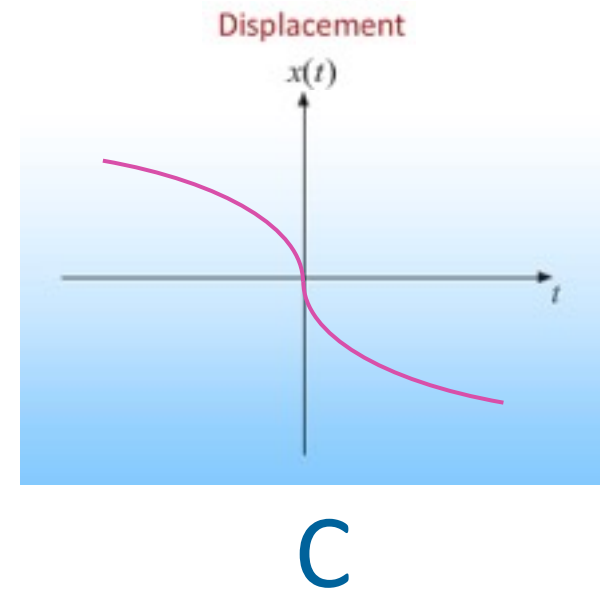
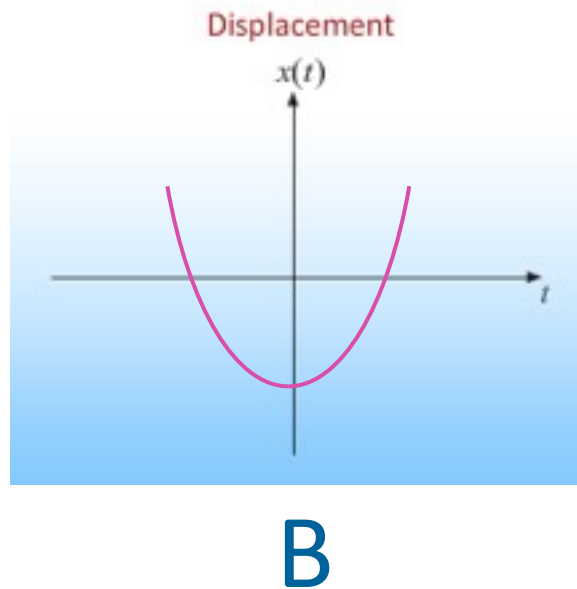
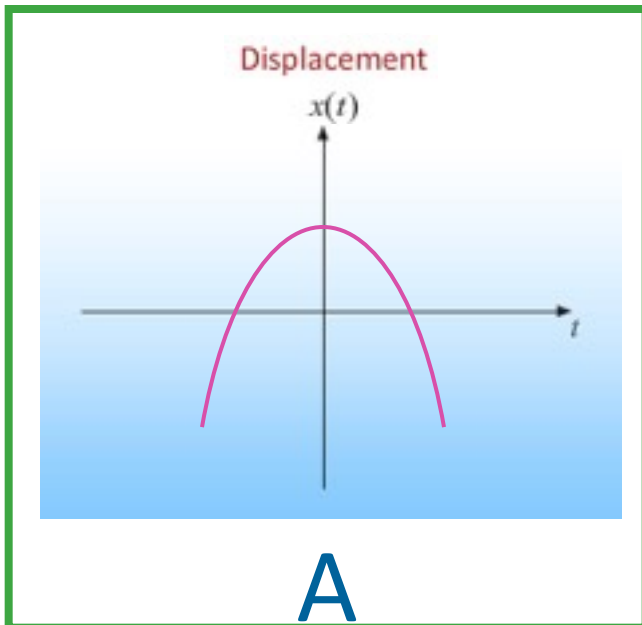
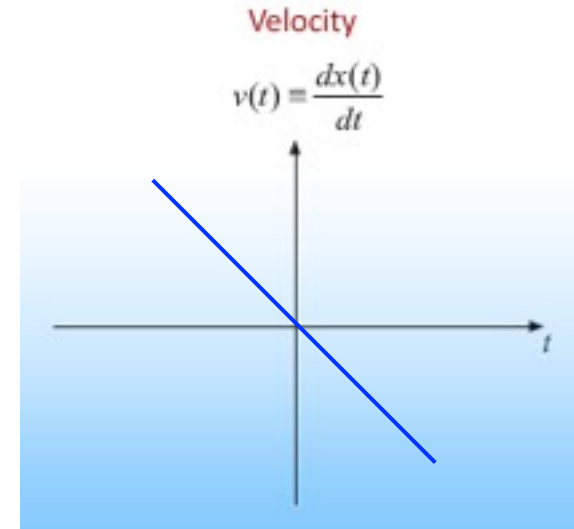
B) NO



Clicker Question

The velocity vs. time plot of some object is shown to the right.

Which diagram below could be the Displacement vs. time plot for the same object?

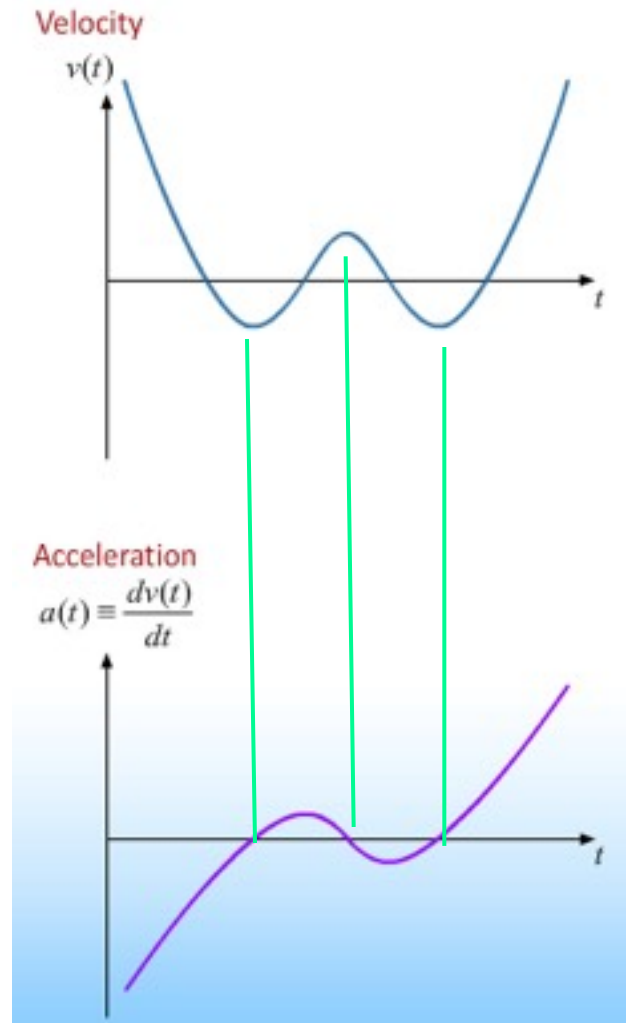


Acceleration

Displacement $x(t)$

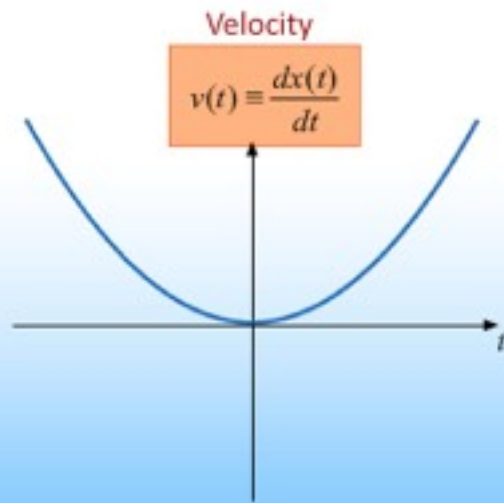
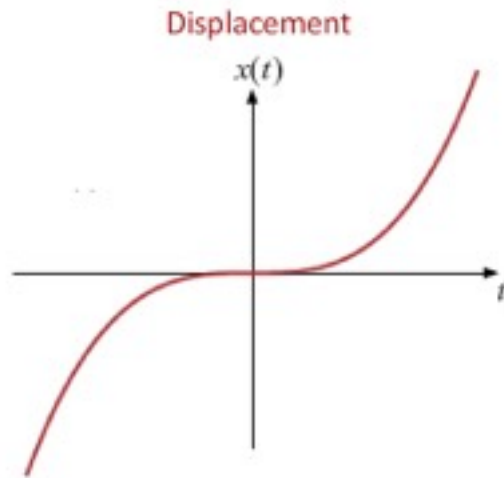
Velocity $v(t) \equiv \frac{dx(t)}{dt}$

Acceleration $a(t) \equiv \frac{dv(t)}{dt}$

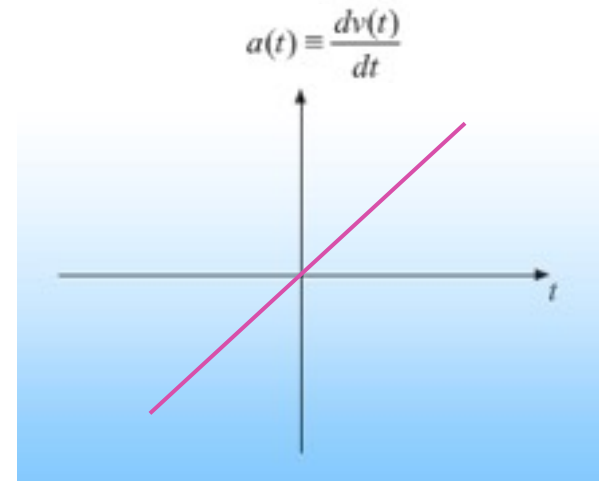


Checkpoint 1

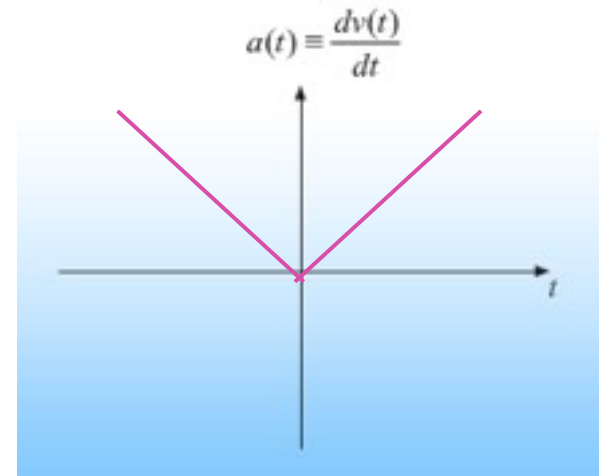
For the Displacement and Velocity curves shown on the left, which is the correct plot of acceleration vs. time?



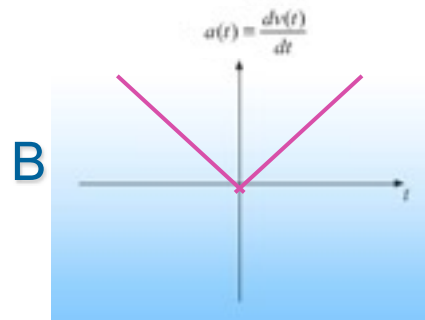
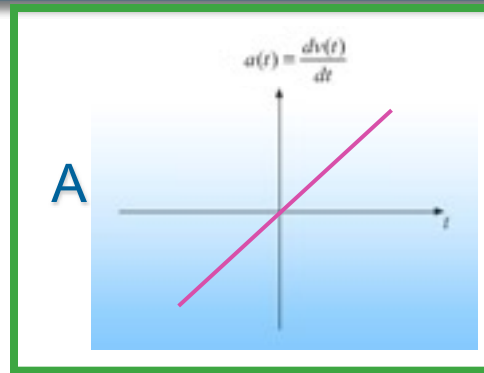
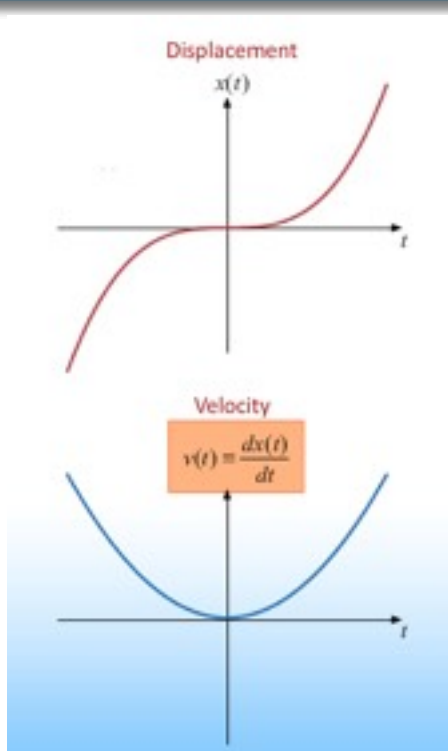
A



B

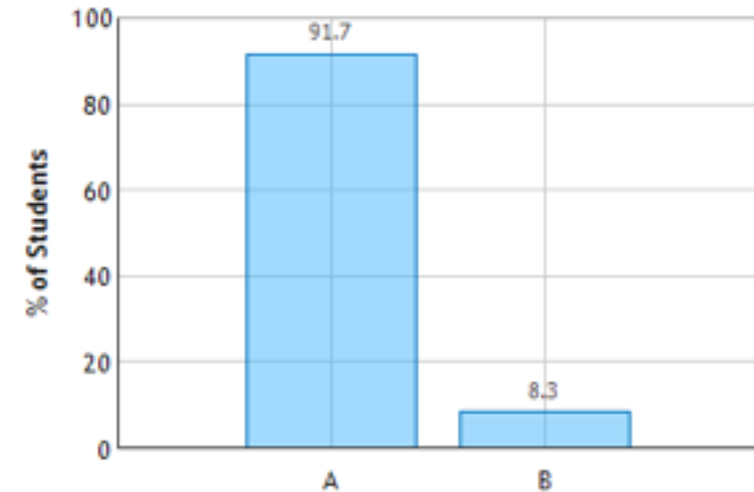


Clicker Question 4



% of Students

$x(t)$, $v(t)$, $a(t)$ plots: Question 1 (N = 12)



Typical A answer

The velocity curve has a negative slope when $t < 0$ and a positive slope when $t > 0$. Therefore, the acceleration's value is negative when $t < 0$ and positive when $t > 0$.

Typical B answer

Since the velocity slowed down then increased I chose that graph because it showed a deceleration then acceleration.

Constant Acceleration

$$v(t_f) - v(t_i) = \int_{t_i}^{t_f} a(t) dt$$

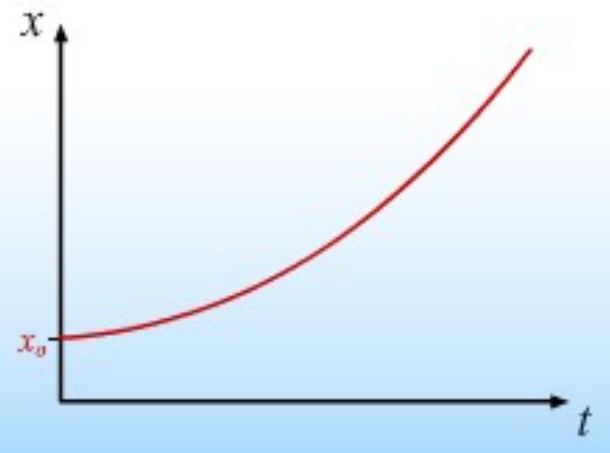
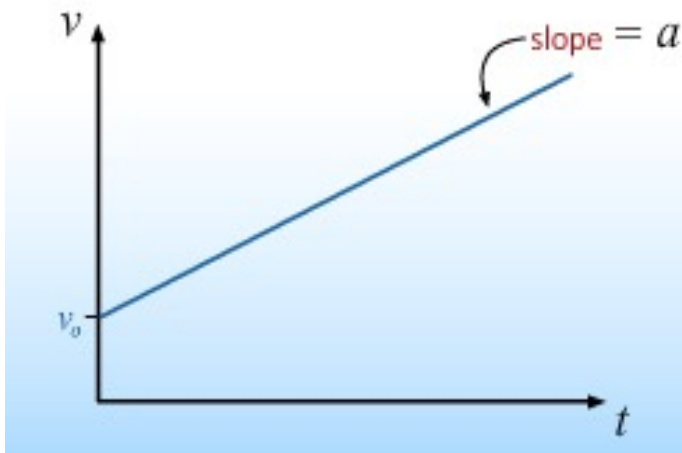
$$x(t_f) - x(t_i) = \int_{t_i}^{t_f} v(t) dt$$

constant
 $a(t) = a$

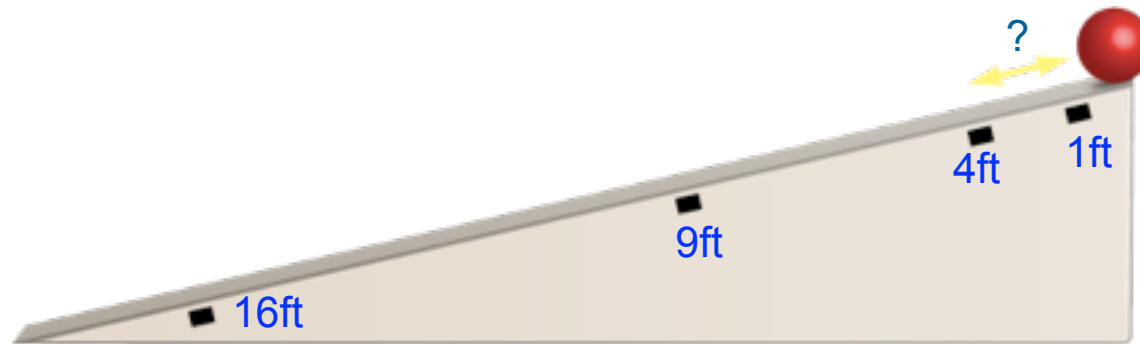
$$x = x_o + v_o t + \frac{1}{2} a t^2$$

$$v = v_o + a t$$

$$v^2 - v_o^2 = 2a(x - x_o)$$



Clicker Question 5

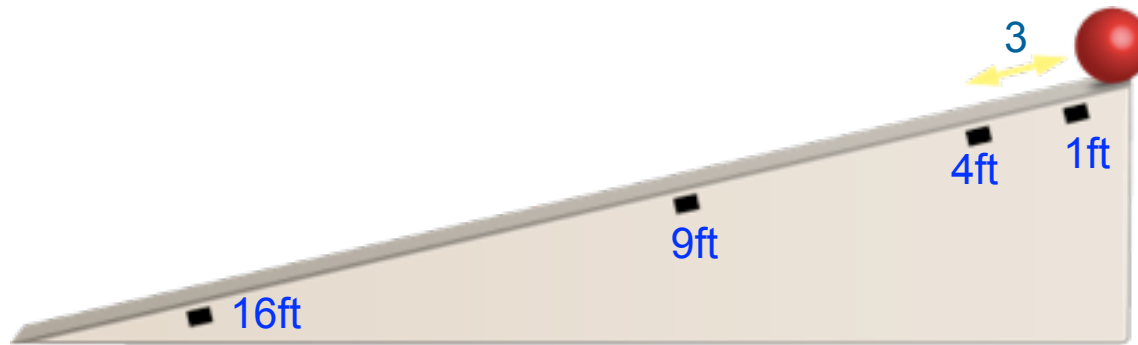


At $t = 0$ a ball, initially at rest, starts to roll down a ramp with constant acceleration. Suppose it moves 1 ft between $t = 0$ sec and $t = 1$ sec.

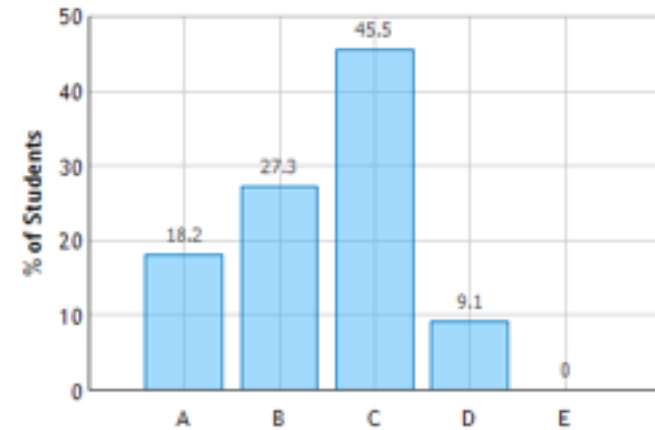
How far does it move between $t = 1$ sec and $t = 2$ sec?

- A) 1 ft B) 2 ft C) 3 ft D) 4 ft E) 6 ft

Checkpoint 2 Responses



Rolling down a ramp: Question 1 (N = 11)



Typical A answer

Constant acceleration means, the velocity of the ball is increasing at a constant rate thus, the ball will cover the same distance as it covered in the first second after release. from $V = at$

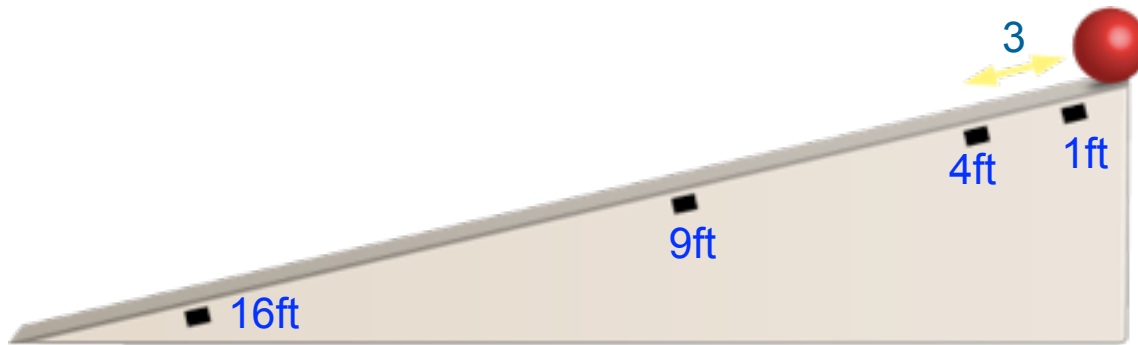
Typical B answer

If the acceleration is constant, then the velocity is always increasing at the same rate. At $t=0$ the velocity was 0, at $t=1$ the velocity was 1 feet/s, so the velocity at $t=2$ must be 2 feet/s. Which means that between $t=1$ and $t=2$ it moved 2 feet.

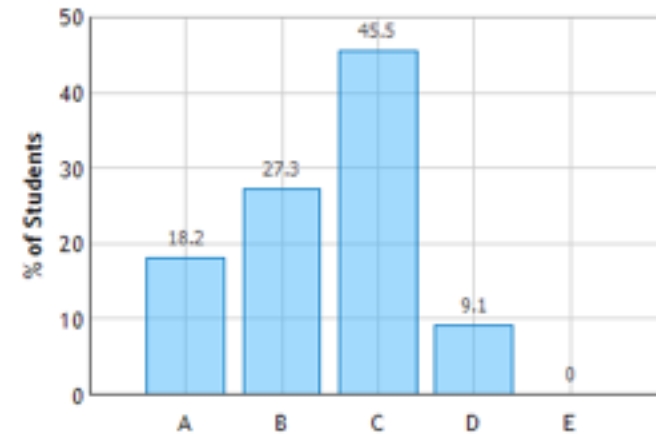
Typical C answer

Acceleration is 1 ft/s^2 and the velocity at the end of the first interval is 2 ft/s so at the second interval the distance is 3 ft from the equation $d = vt + \frac{1}{2}at^2$

Checkpoint 2 Responses



Rolling down a ramp: Question 1 (N = 11)



Typical D answer

$$x(t) = a \cdot t^2 \quad x(1) = a \cdot (1)^2 = 1 \rightarrow a = 1 \quad x(2) = (1) \cdot (2)^2 = 4$$

Question asks for distance from $t=1$ s to $t=2$.

Typical E answer (last year)

The equation $v_f = v_o + at$ will give us the final velocity and with that the final displacement. Given that $v_o = 1$ foot/second, $a = 4.9$ (this is true due to the gravitational pull from the ramp assuming a 30° ramp) and t to be 1s. This calculates to the final answer being approximately 5.9 m.

$g \neq 9.8 \text{ ft/s}^2$ — angle not necessarily 30°

If there's time

“Not relating to the prelecture, but in the checkpoint it uses feet instead of metre. Are we going to have to know the conversions for the imperial system as well in this course??

NO

Name _____

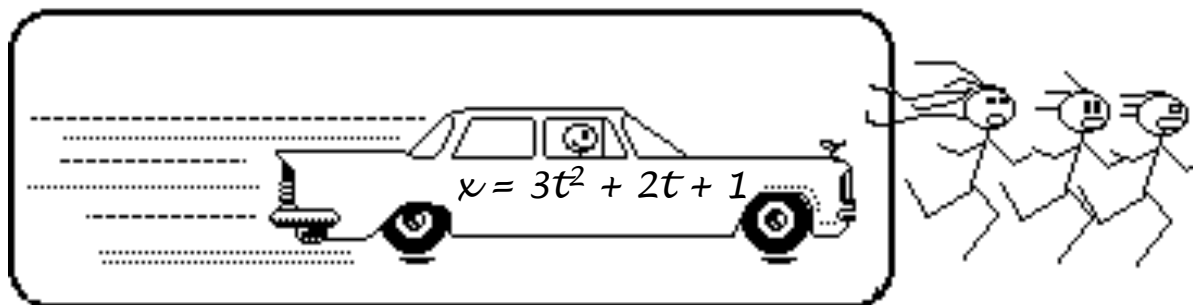
Date (YY/MM/DD) ____/____/____

SFU e-mail _____@sfu.ca

Section _____ Group _____

UNIT 4: ONE-DIMENSIONAL MOTION II

A Mathematical Description



At the point where a speeding driver is caught by a cop, the cop comes up to the speeder and says, "You were going 60 miles an hour!" The driver says, "That's impossible, I was

Numerical analysis of motion from a picture.

is possible to view the position of the cart on each frame as shown in Figure 4-2 below.

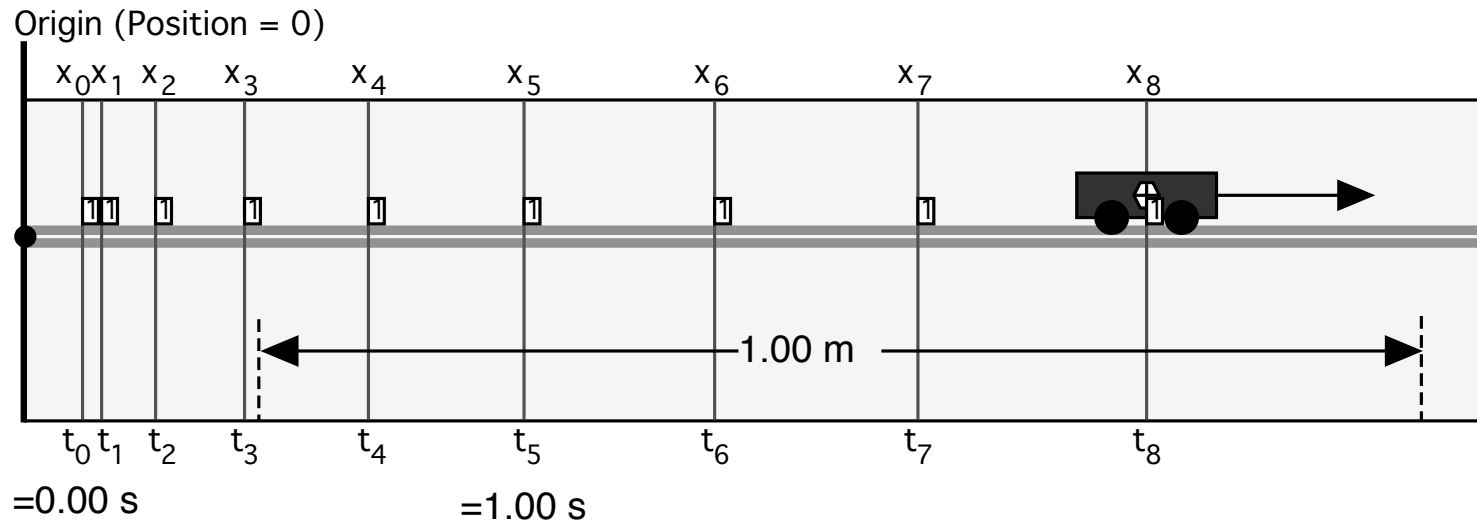


Figure 4-2: A scale diagram of the position of an accelerating cart at 8 equally spaced time intervals. The cart actually moved a distance of just less than 1 metre. Every 6th frame was displayed in the cart movie, so that 5 frames were recorded each second. *At each time the centre of the cart is located in the upper left corner of the rectangle with a number 1 in it.*

Measure the picture

Fill in the table.

the cart's distance from the origin in pixels (1 pixel = 1 picture element).

TABLE 4-1

	cm (or pixels) from origin in diagram	Elapsed Time (s)	Actual distance from origin (m)
	1	2	3
Frame #	Position	$d(\quad)$	$t(s)$
0	x_0		0.000
			0.100
1	x_1		0.200
			0.300
2	x_2		0.400
			0.500
3	x_3		0.600
			0.700
4	x_4		0.800
			0.900
5	x_5		1.000
			1.100
6	x_6		1.200
			1.300
7	x_7		1.400
			1.500
8	x_8		1.600

- d is the distance on the picture
- x is the distance in reality
- measure to the nearest 0.1 mm
 - guess the tenths of mm

Put the average velocity at the midpoint of the position interval.

Put the average acceleration at the midpoint of the velocity interval.

Don't write in the shaded boxes.

TABLE 4-2

Elapsed Time (s) 2	Actual distance from origin (m) 3	Average velocity (m/s) 4	Average acceleration (m/s) 5
$t(s)$	$x(m)$	$\langle v \rangle (m/s)$	$\langle a \rangle (m/s/s)$
0.000			
0.100			
0.200			
0.300			
0.400			
0.500			
0.600			
0.700			
0.800			
0.900			

