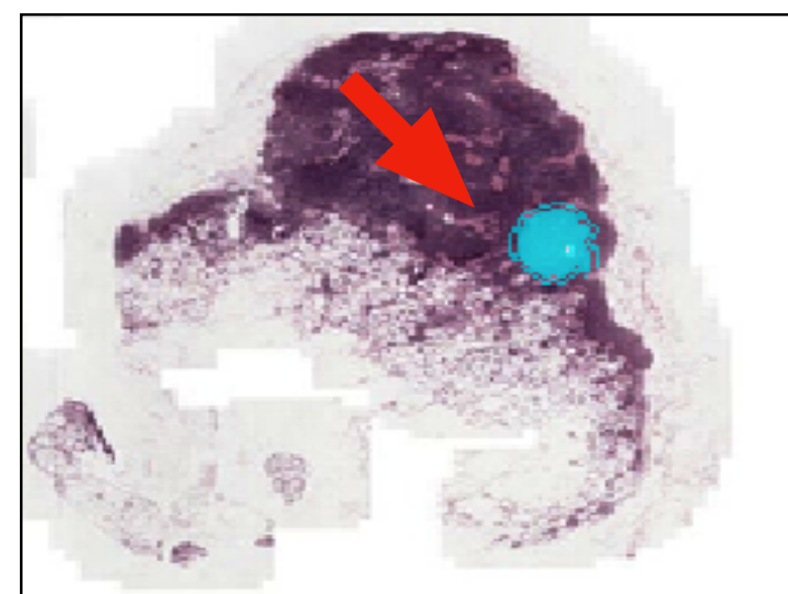


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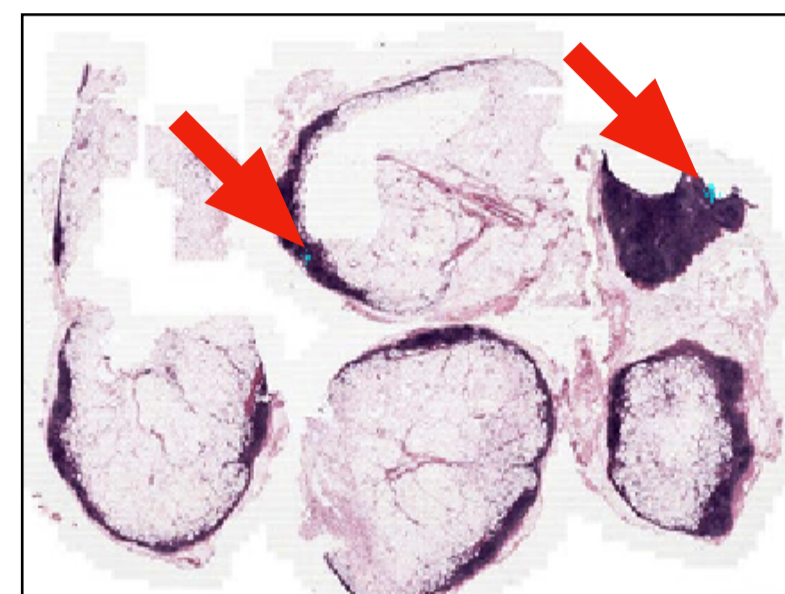
{abentaie@sfu.ca, hamarneh@sfu.ca}

Identifying Cancer In Whole Slide Images (WSI)

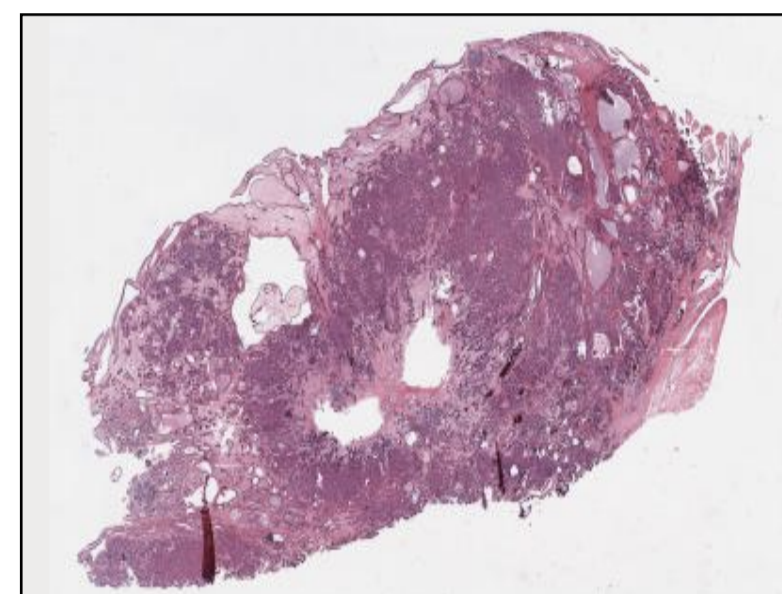
- ▶ Cancers are primarily diagnosed from the analysis of tissue biopsies
- ▶ Identifying abnormal areas in multi giga-pixel WSI is an open challenge for both automatic systems and experts diagnosis [1]
- ▶ Patch-based techniques for WSI analysis are commonly used but often rely on manual annotations that are not always easily available
- ▶ This work investigates whether an automatic diagnosis system can learn **where** to look for abnormalities in WSI



Lymph Node
Macro Metastasis



Lymph Node
Micro Metastasis

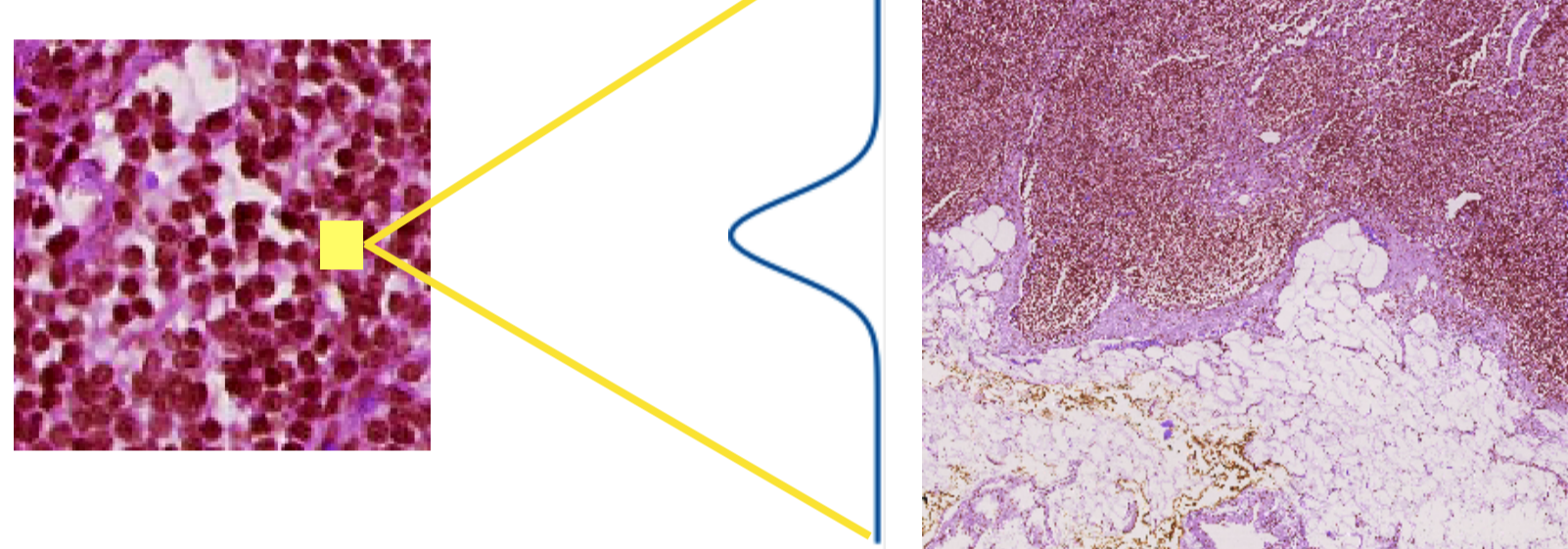


Clear Cell Ovarian Carcinoma
Unknown Location

Spatial Attention Mechanism

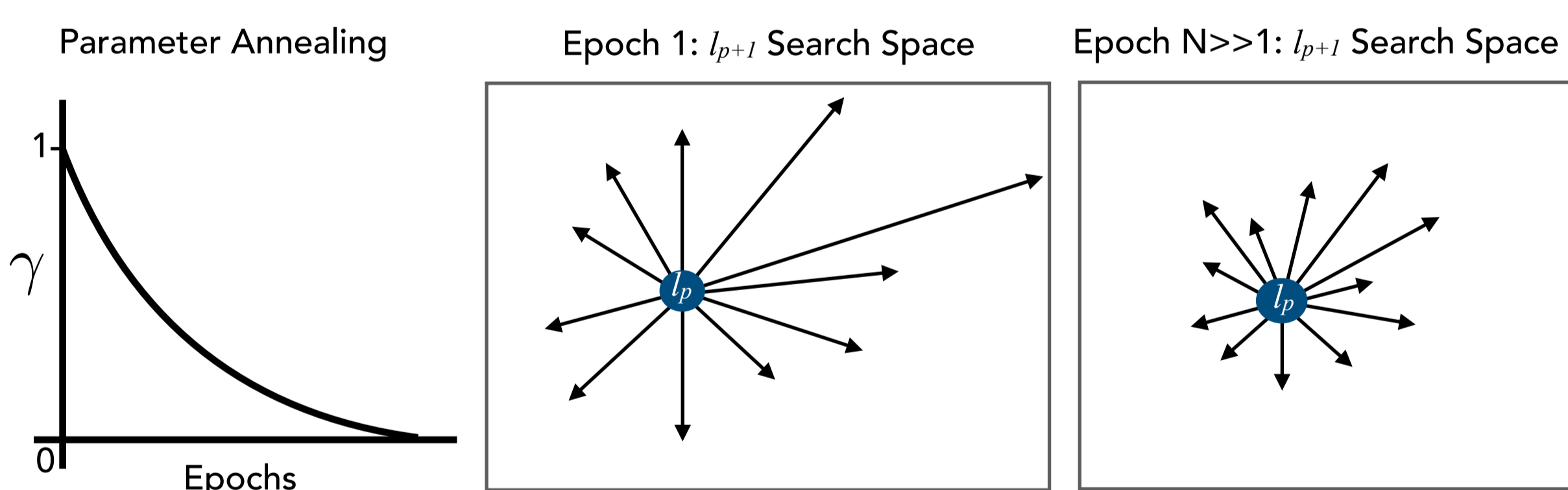
- ▶ The attention mechanism applies two grids (one per image axis) of 2D Gaussian filters \mathcal{A} (parameterized by l) to an input image X

$$x_p = A_p^x X A_p^{yT}$$



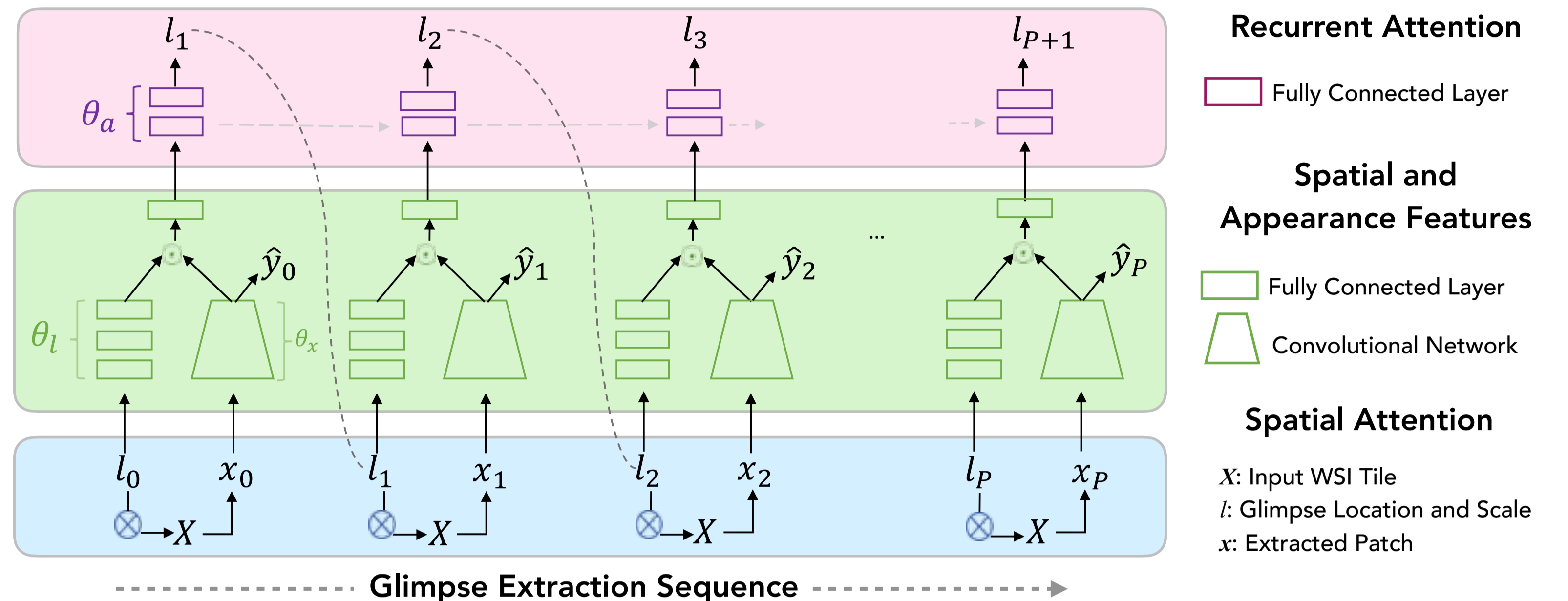
Discriminative Attention

$$\mathcal{L}_l(\mathcal{D}; \theta) = \gamma \sum_{i=1}^N \sum_{p=1}^P \exp(-\|l_p - l_{p+1}\|_1)$$



Recurrent Visual Attention Model

- ▶ Desired Properties:
 - ▶ Requires a limited set of patches to infer a tissue slide label
 - ▶ Automatically identifies locations and scales at which to extract patches
 - ▶ Integrates global context and memory of previously observed tissue areas



Weakly Supervised Training Objective Function

- ▶ Given a dataset \mathcal{D} of training WSI and slide-level class labels, the model is trained with the following regularized loss function:

$$\mathcal{L}(\mathcal{D}; \theta) = \mathcal{L}_c(\mathcal{D}; \theta) + \mathcal{L}_p(\mathcal{D}; \theta) + \mathcal{L}_a(\mathcal{D}; \theta) + \mathcal{L}_l(\mathcal{D}; \theta)$$

WSI-Level Cross Entropy Classification Loss

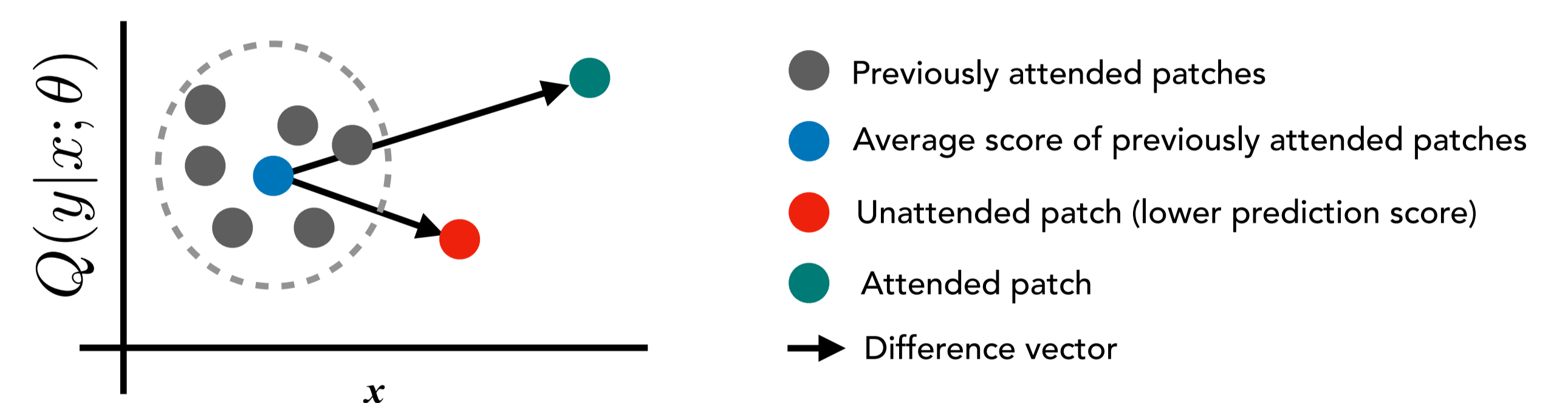
$$\mathcal{L}_c(\mathcal{D}; \theta) = \sum_{i=1}^N \log Q(\hat{Y} = Y^{(i)} | x_{[1:P]}^{(i)}; \theta)$$

Glimpse-Level Cross Entropy Classification Loss

$$\mathcal{L}_p(\mathcal{D}; \theta) = \sum_{i=1}^N \sum_{p=1}^P \log Q(\hat{y}_p = Y^{(i)} | x_p^{(i)}; \theta)$$

Selective Exploration

$$\mathcal{L}_a(\mathcal{D}; \theta) = - \sum_{i=1}^N \sum_{p=2}^P Q(y_p^{(i)} | x_p^{(i)}; \theta) - \left(\frac{1}{p-1} \sum_{k=1}^{p-1} Q(y_k^{(i)} | x_k^{(i)}; \theta) \right)$$



Experiments & Results on Camelyon16 Challenge Dataset [2]

