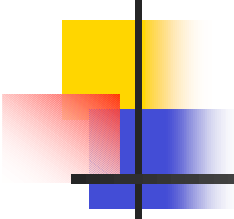


# A Theory for GEN

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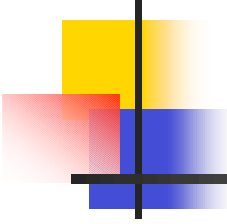
- Although there is a similarity between GEN and non-monotonic reasoning (NMR), there are differences in outlook
  - A semantic theory for GEN
    - An account of the conditions under which GEN sentences are true
  - A theory of inference for NMR
    - An account of what NMR inferences are default-valid and which aren't



# Generics and NMR

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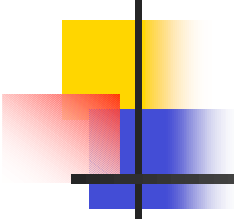
- The semantics for generics should also give an account of the use of generics in reasoning...in NMR
- NMR validity not to be confused with “ordinary” validity [= “if the premises are true, then the conclusion must be too”]



# NMR Inferences we accept

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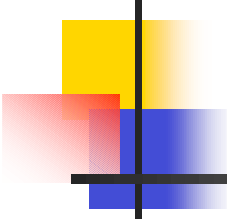
- Defeasible Modus Ponens
- Penguin Principle
- Weak Penguin Principle
- Extended Nixon Diamond
- Defeasible Transitivity
- Defeasible Strengthening of Antecedent
- Non-interacting Defaults



# NMR Inferences we don't like

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- Nixon Diamond
- The defeats of the earlier defeasible arguments



## “Dogs bark”

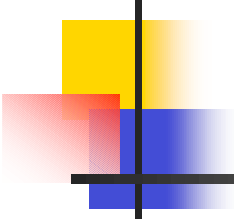
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1.  $\text{GEN}[x](\text{Dog}(x); \text{Bark}(x))$
2.  $\text{GEN}[x,s](\text{Dog}(x) \& \text{In}(x,s); \exists y(e < s \& \text{Barking}(x,e)))$

(in general we are sort of “intuitive” about what the appropriate variables are)

We want to evaluate 2 at world w. The idea is:

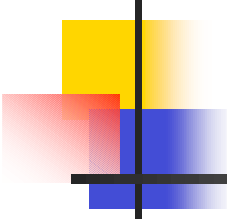
For every d consider the worlds that are “normal” with respect to both w and to the *proposition* that d is a dog.  
[proposition = set of possible worlds]



# Selection function, \*

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- $*(w,p) \Rightarrow$ 
  - ✓ “the set of all the normal p-worlds, according to w”
  - ✓ “the worlds in which p, together with all of p’s typical consequences (typical according to w) hold”



# Restrictions on \*

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- Facticity:

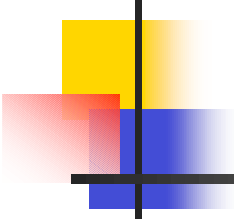
- *Dogs are dogs:*  $\text{GEN}[x](Fx;Fx)$
- $*(w,p) \subseteq p$

- Weakening of Consequent:

- *If all B's are C's, then if A's are B, then A's are C*
- If  $[p] \subseteq [q]$ , then  $*(w,p) \subseteq *(w,q)$

- OR:

- *If men are allowed to vote and women are allowed to vote, then (things that are) men or women are allowed to vote*
- $*(w,p \cup q) \subseteq [*(w,p) \cup *(w,q)]$

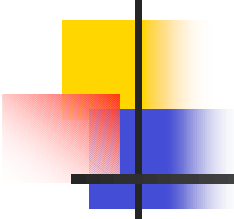


# Restrictions we don't want

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## 3 Centering

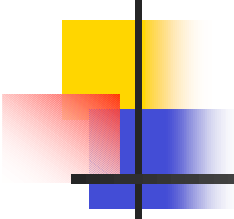
- If  $w \models p$  then  $w \models^*(w, p)$
- Would make MP be valid
- ♣  $\forall x((Ax \& Bx) \rightarrow \text{GEN}[x](Ax; Bx))$ 
  - Makes generics extensional



# Restrictions we don't want

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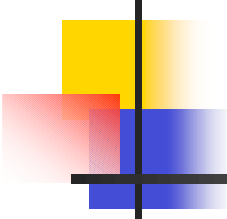
- Centering
  - If  $w \models p$  then  $w \models^*(w, p)$
  - Would make MP be valid
- $\forall x((Ax \rightarrow Bx) \rightarrow \text{GEN}[x](Ax; Bx))$ 
  - Makes generics extensional
- $( (\text{GEN}[x](Ax; Bx) \& \text{Gen}[x](Ax \& Bx; Cx)) \rightarrow \text{GEN}[x](Ax; Cx) )$ 
  - *Dogs bark, and Dogs that bark annoy Fred; so Dogs annoy Fred.*



# Tricky example

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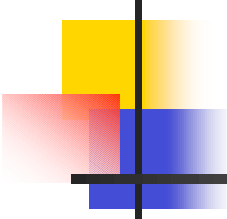
- Elephants like zookeepers
  - $\text{GEN}[x,y](\text{Eleph}(x) \& \text{Zook}(y); \text{Like}(x,y))$
- Elephants don't like Clyde
  - $\text{GEN}[x](\text{Eleph}(x); \neg \text{Likes}(x,y))$
- Clyde is a zookeeper
  - $\text{Zook}(c)$



# Solution

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- Wrong translation of first premise.  
Instead of:
  - $\text{GEN}[x,y](\text{Eleph}(x) \& \text{Zook}(y); \text{Like}(x,y))$
- It should be
  - $\text{GEN}[x](\text{Eleph}(x); \text{GEN}[y](\text{Zook}(y); \text{Like}(x,y)))$
- So, deny “exportation” for GEN (unlike  $\rightarrow$ , for which exportation works)



# Problem with other theories

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- Even fancy theories with normal worlds have problems if they insist on just one absolutely normal world
  - Turtles live to be 100 or more years old
    - Surely not all turtles can live to 100 and still be a “normal possible world”!
  - $\text{GEN}[x](\text{Turtle}(x); \text{Hundred-Yr}(x))$ 
    - For each individual turtle  $t$ ,  $*$  determines, together with  $w$  and the predicate ‘is a turtle’, a set of “ $t$ -turtle with respect to  $w$ ” normal worlds. In each of these  $t$  lives to 100. But other turtles don’t have to.