

Topics for Today

- ① The Road Ahead
 - How chpts. 13-16 fit together
- ② The Foreign Exchange Market
- ③ Covered Interest Parity and the determination of Forward exchange rates
- ④ The Demand for Foreign Currency Denominated Assets
- ⑤ Uncovered Interest Rate Parity

Ultimately, our goal is to explain the behavior of 3 key variables:

- 1.) E = Exchange Rate
 - 2.) R = Interest Rate
 - 3.) Y = Output
-

These are jointly determined, endogenous variables.

We study these variables by examining 3 key markets:

- 1.) The foreign exchange market
 - 2.) The domestic money market
 - 3.) The market for goods + services
-

These markets are interdependent.

We are studying a general equilibrium system.

The exogenous (determining) variables are :

- 1.) M, M^* = Domestic + Foreign Money Supplies
- 2.) R^* = Foreign Interest Rate
- 3.) Y^* = Foreign Output

A Warning About Notation

Exchange Rate = The price of one currency in terms of another currency.

Since exchange rates are relative prices, we can define them in 2 ways :

1.) Value of domestic Currency = $\frac{\text{Foreign Currency}}{\text{Domestic Currency}}$

2.) Price of foreign Currency = $\frac{\text{Domestic Currency}}{\text{Foreign Currency}}$

We will use (2)

$E \uparrow \Rightarrow$ domestic currency depreciates

foreign currency appreciates

Our strategy will be to take a step-by-step approach

Analyze equilibrium in each market in isolation, taking the outcomes in other markets as given, and then fit all the pieces together at the end.

Chpt. 13 : The FX Market

"Uncovered Interest Parity"

Derive an equilibrium relationship between (E, R, R^*, E^e)

E^e : expected future ex. rate

Chpt. 14 : The Money Market

Determinants of R

(holding, Y and P fixed)

Chpt. 15 :
"Purchasing Power Parity"

Expectations / Long-Run Equil.

Determination of E^e (and P).

Chpt. 16 :
DD-AA Model

Simultaneous determination of Y and E (with R in the background) in goods + asset markets

The Foreign Exchange Market

The FX market is by far the world's largest financial market

On a typical day, roughly \$1.5-2.0 trillion changes hands

⇒ in less than a week FX transactions exceed the annual value of world trade.

The FX market is a decentralized multiple-dealer market. It never closes!

Most trading is between dealers (about 60-70%)

About $\frac{1}{2}$ of inter-dealer trades go through FX brokers.

Major Participants

- 1.) Commercial Banks
- 2.) Other financial institutions
- 3.) Corporations
- 4.) Central Banks

Leading Trading Centers

- 1.) London
- 2.) New York
- 3.) Tokyo
- 4.) Frankfurt, Hong Kong, Singapore

Major Instruments

- 1.) Spot (2 day settlement lag)
 - 2.) Forwards
 - 3.) Swaps
- } "over-the-counter" markets

Futures + options also exist, but they are less important

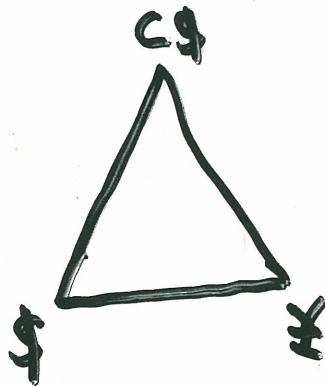
Most volume is in forwards + swaps (~60%)
with swaps being more important than forwards

Most fx trading takes place in and through the U.S. dollar.

Cross rates are determined by "triangular arbitrage"

$$\frac{\text{C\$}}{\text{¥}} = \frac{\text{C\$}}{\text{\$}} \cdot \frac{\text{\$}}{\text{¥}}$$

i.e.



The Demand for FX Assets

Like all assets, the demand for foreign currency-denominated assets depends on 3 factors:

- 1.) Expected (real) returns
- 2.) Risk
- 3.) Liquidity

In turn, the expected dollar return on foreign currency assets depends itself on 2 factors:

- 1.) Their interest rate (or cash flows).
- 2.) Expected exchange rate changes

Note: When comparing real \$ returns on domestic and foreign assets, we can ignore inflation, since it is the same for both.

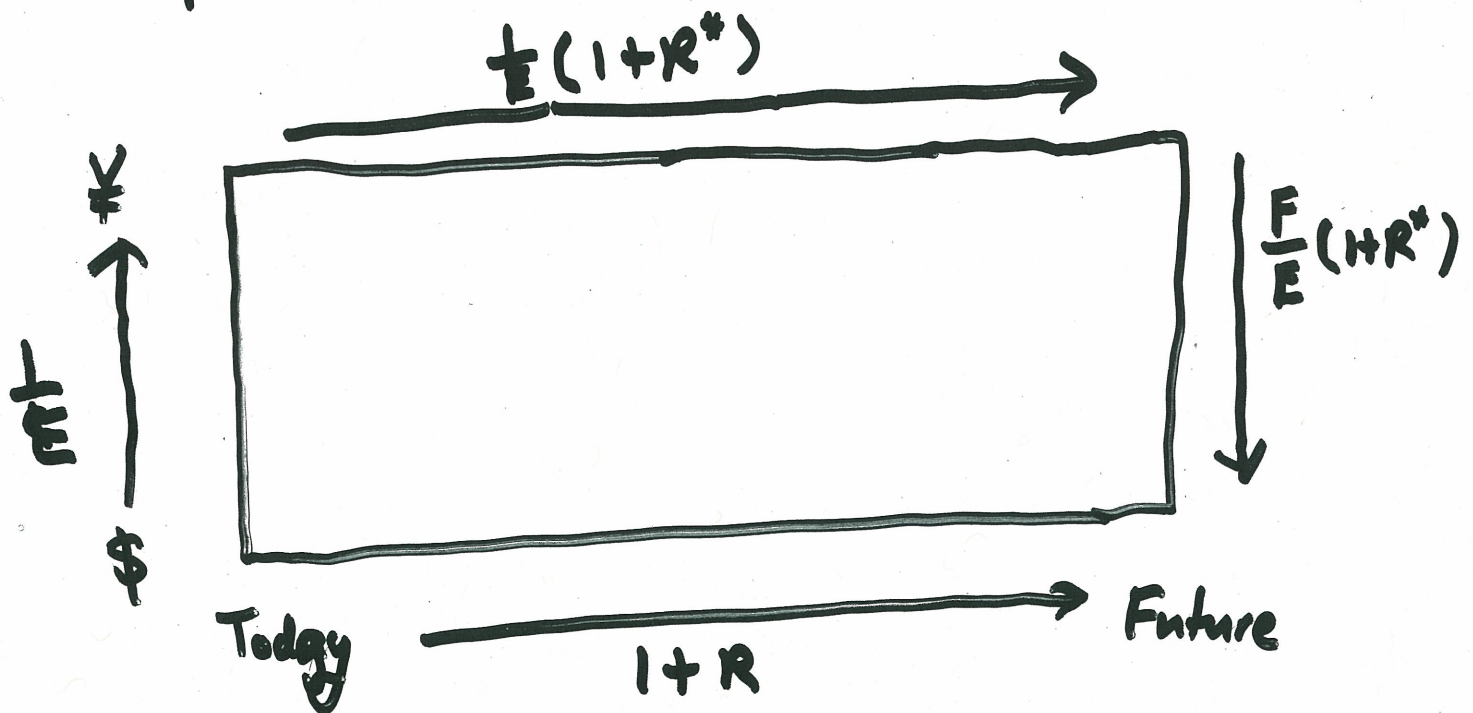
Covered Interest Parity

E_t = spot rate at time t ($\$/¥$)

F_t = forward rate at t ($\$/¥$)

R_t = U.S. (nominal) interest rate

R_t^* = Japanese (nominal) interest rate



There are 2 ways of getting future \$

- 1.) Invest in U.S. ($1+R$)
- 2.) Buy yen, invest in Japan, sell the ¥ forward $\frac{F}{E}(1+R^*)$

To prevent arbitrage possibilities, these 2 strategies must be equivalent.

$$\boxed{\frac{F}{E} (1+R^*) = 1+R}$$

→ Covered int.
rate pari

$$\text{or, } F = E \left(\frac{1+R}{1+R^*} \right) \quad \left. \vphantom{F = E \left(\frac{1+R}{1+R^*} \right)} \right\} \text{Determination of forward rate}$$

→ Divide by $1+R^*$, subtract 1 from both sides

$$\boxed{\frac{F-E}{E} = \frac{R-R^*}{1+R^*} \approx R-R^*}$$

✓
Covered Interest Parity

$$\frac{F-E}{E} = \text{"forward discount of \$"}$$

Swap: Combo of spot + forward
Buy $\neq$ now and simultaneously
sell $\neq$ forward.

Uncovered Interest Parity

What if you don't sell forward? Wait and convert fx ~~and~~ at the (unknown) future spot ex. rate.

Expected (\$) return on fx deposit:

$$\frac{E^e}{E} (1 + R^*)$$

Equilibrium in the fx market:

Expected returns (expressed in common currency units) are the same on domestic and foreign-currency denominated deposits

$$\boxed{R - R^* = \frac{E^e - E}{E}} \quad \} \text{UIP}$$

✓
Interest differential

✓
Expected rate of domestic currency depreciation

or

$$R = R^* + \frac{E^e - E}{E}$$

Note, combining CIP and UIP

We get $F = E^e$, i.e., Forward Rate = Expected Future Spot Rate

Real World Considerations We are abstracting from:

1.) Risk - Future spot rate is unknown

2.) Transactions Costs / Liquidity.