

Physics 101

Lecture 34

Monday, March 29, 2004

Topics: Conduction, convection, Radiation

Heat capacity and specific heat.

Ideal gas

Ref: 16-5, 6, 17-1, 2.

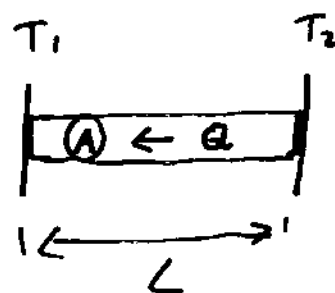
• Conduction $\approx$ No mass transport.

Heat flow due to interactions among molecules and atoms.

$$Q = k A \left(\frac{\Delta T}{L} \right) t$$

Q — amount of heat in Joules.

k — Thermal conductivity.

 ΔT — Temperature difference $\Delta T = T_2 - T_1$.

A — cross section

L — length of rod.

t — time in sec.

Table 16-3.

for k: Copper
p. 519. is a better
heat conductor
than gold.

- convection

— due to mass transport.

e.g.: forced hot air.

complicated — no quantitative calculations in this course.

- Radiation (Stefan-Boltzmann Law)

— due to electromagnetic wave.

(No physical contact)

Radiated power:

$$P = e \sigma A T^4 \quad (\text{in Watts})$$

$$\sigma = 5.67 \times 10^{-8} \text{ W/m}^2 \cdot \text{K}^4 \quad (\text{Stefan-Boltzmann constant})$$

$0 \leq e \leq 1$ — emissivity.

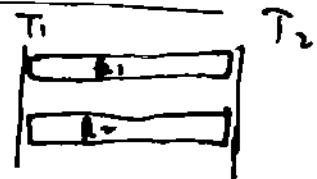
for black body (ideal): $e = 1$

perfect emitter

- conduction

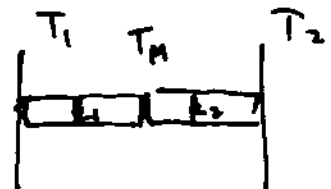
* Parallel rods.

$$Q_{\text{Total}} = Q_1 + Q_2$$



* Series rods:

$$Q_1 = Q_2 = Q_{\text{Total}}$$



e.g.:
Fall 2002. Final. exam.
22.
(Next).

- Heat Capacity. — C

For an object: $\Delta T \propto Q$.

Q - Heat absorbed by the object.

Its heat capacity: $C = \frac{Q}{\Delta T}$ (depends on mass)

$$\Delta T = \frac{Q}{C}, \quad Q = C \cdot \Delta T$$

The larger the heat capacity.

the harder to change the temperature.

Sign of Q : if $\Delta T > 0$, T increases.

Then $Q > 0$, Heat added to system.

if $\Delta T < 0$, T decreases.

Then $Q < 0$, Heat removed from system.

- Specific heat — c

For a ~~substance~~ substance

$$c = \frac{Q}{m \cdot \Delta T} = \frac{C}{m} \quad (\text{independent of mass})$$

Values of specific heat for different materials: Table 16-2.
p. 516.

example: 16-5. p. 515.

• Ideal Gases (you learn this in chemistry)

— No interaction between molecules.

$$\frac{PV}{T} = \text{const.}$$

e.g. when V is fixed, $T \uparrow \Rightarrow P \uparrow$.

e.g. when T is fixed, ~~$P \uparrow \Rightarrow V \downarrow$~~

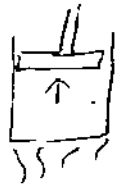
$V \downarrow \Rightarrow P \uparrow$.



(compressor).

e.g. when P is fixed, $T \uparrow \Rightarrow V \uparrow$

steam engine.



$$\frac{PV}{T} = Nk.$$

$\left\{ \begin{array}{l} N - \text{Number of molecules.} \\ k = 1.38 \times 10^{-23} \text{ J/K.} \end{array} \right.$

Boltzmann constant.

OR:

$$\frac{PV}{T} = nR.$$

$\left\{ \begin{array}{l} n - \text{number of moles} \\ R = 8.31 \text{ J/mol}\cdot\text{K.} \end{array} \right.$

Universal gas constant.

$$N = n N_A$$

N_A — Number of molecules in a mole.

$N_A = 6.022 \times 10^{23}$ Avogadro's number.

- Kinetic Theory .

Model — Many identical molecules

each can be considered as an elastic ball.
very small.

origin of pressure — Impulse of collision

between the molecules and the
wall of container .

Temperature and average kinetic energy :

$$\frac{3}{2} kT = (\epsilon_k)_{ave} .$$

OR.

$$\frac{3}{2} kT = \left(\frac{1}{2} m v^2 \right)_{ave} . \quad (v^2)_{ave} = \frac{3kT}{m} .$$

∴ RMS speed of gas molecule

$$v_{rms} = \sqrt{(v^2)_{ave}} = \sqrt{\frac{3kT}{m}} .$$

RMS — Root mean squared .