

Topics: Internal Energy
Systems in Thermodynamics
1st, 2nd and third laws of Thermodynamics

Ref: 17-2, 18-1, 2, 5

• Final Exam:

B9200 : A - K } Next Thur.
B9201 : L - Z } April 8. 12:00 - 3:00 PM.

• Relation between microscopic motion and Temperature:

$$\frac{3}{2} kT = \left(\frac{1}{2} m v^2 \right)_{\text{ave}} \quad \text{--- ideal gas}$$

$$P = \frac{2}{3} \left(\frac{N}{V} \right) \left(\frac{1}{2} m v^2 \right)_{\text{ave}} \quad \text{---}^* \text{ see 17.2 for derivation.}$$

• Internal Energy of ideal gases:

$$U = \sum \left(\frac{1}{2} m v^2 \right) = \frac{3}{2} N kT.$$

(Total energy of the system)

- Systems in Thermodynamics

- Open system

Can exchange both mass and energy
with other systems .

e.g: A class room .

e.g: Each student .

- Closed system

can exchange energy, but not mass .

e.g: Water in a bottle .

- Isolated system .

Neither mass nor energy can be
exchanged with other systems .

e.g: Water in a thermal bottle .

- The first Law of Thermodynamics
(Energy conservation).

$$\Delta U = Q - W$$

U — internal energy of the system

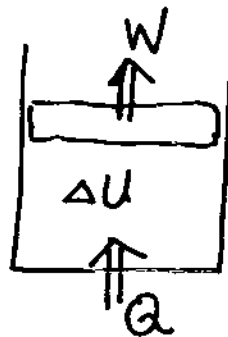
Q — Heat that flows into the system.

W — Work done by the system.

$-W$ — Work done on the system.

A typical heat engine

$$Q = \Delta U + W.$$



- The 2nd Law of Thermodynamics:

e.g:

There are different equivalent statements:
A Spontaneous heat flow is always from higher temperature to lower temperature.

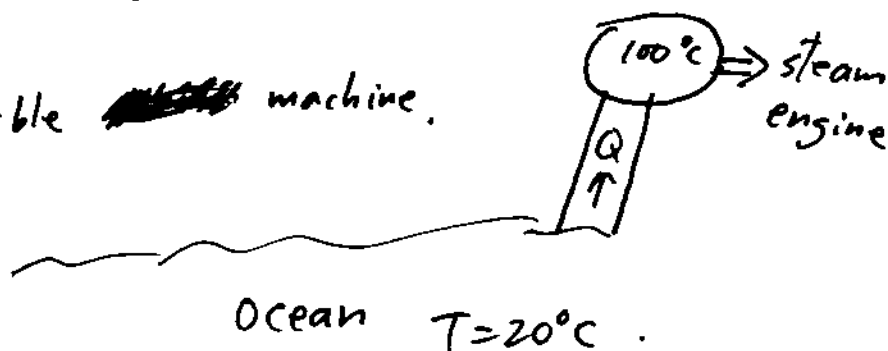
- The 2nd Law of thermodynamics

(There are different but equivalent ways of expressing it)

e.g: A spontaneous heat flow is always from higher temperature to lower temperature.

It would be nice if The 2nd Law were wrong.

e.g: An impossible ~~machine~~ machine.



- The third Law of thermodynamics.

zero-kelvin temperature can not be reached.

$\therefore$ 0 K — ^{means} No thermal motion in the system.

We could get closer and closer to it, but never be able to reach it.

* Review on Selected Topics .

1. Vectors

- What quantities are vectors ?

e.g: position , displacement ,
velocity , acceleration ,
momentum , Force .

- Addition and subtraction of vectors .

— Head to Tail

— Component method .

- Components .

— why a) convert vector calculations to algebraic calculations.
b) . x - and y - are independent components .

— How to find the components .

— How to reconstruct the vector from components .

- Dot product and work.

$$W = \vec{F} \cdot \Delta \vec{x}.$$

- Typical mistakes.

— Can't recognise a quantity as a vector.

— Add/subtract algebraically.

— forget the direction

2. Kinematics.

- Definitions.

e.g: $\vec{v}_{av} = \frac{\Delta \vec{x}}{\Delta t}$ $\vec{a}_{av} = \frac{\Delta \vec{v}}{\Delta t}$

vector difference!

- Graphical relationship:

e.g: $x \rightarrow v_x \rightarrow a_x$. (slope of curve)

e.g: $a_x \rightarrow v_x \rightarrow x$. area under curve.

- Linear vs. circular.

$$v = r \cdot \omega. \quad (\text{angle - rads})$$

$$a_c = \frac{v^2}{r}, \quad a_t = r \cdot \alpha.$$

