

# Phys101 Lectures 32, 33

## Sound, Decibels, Doppler Effect

### Key points:

- Intensity of Sound: Decibels
- Doppler Effect

*Ref: 12-1,2,7.*

# Characteristics of Sound

**Sound can travel through any kind of matter, but not through a vacuum.**

**TABLE 12–1 Speed of Sound in Various Materials (20°C and 1 atm)**

Material	Speed (m/s)
Air	343
Air (0°C)	331
Helium	1005
Hydrogen	1300
Water	1440
Sea water	1560
Iron and steel	≈ 5000
Glass	≈ 4500
Aluminum	≈ 5100
Hardwood	≈ 4000
Concrete	≈ 3000

**The speed of sound is different in different materials; in general, it is slowest in gases, faster in liquids, and fastest in solids.**

**The speed depends somewhat on temperature, especially for gases.**

# Characteristics of Sound

**Loudness:** related to intensity of the sound wave

**Pitch:** related to frequency

**Audible range:** about 20 Hz to 20,000 Hz; upper limit decreases with age

**Ultrasound:** above 20,000 Hz;

**Infrasound:** below 20 Hz

# Intensity of Sound: Decibels

**TABLE 12–2 Intensity of Various Sounds**

Source of the Sound	Sound Level (dB)	Intensity ( $\text{W}/\text{m}^2$ )
Jet plane at 30 m	140	100
Threshold of pain	120	1
Loud rock concert	120	1
Siren at 30 m	100	$1 \times 10^{-2}$
Auto interior, at 90 km/h	75	$3 \times 10^{-5}$
Busy street traffic	70	$1 \times 10^{-5}$
Talk, at 50 cm	65	$3 \times 10^{-6}$
Quiet radio	40	$1 \times 10^{-8}$
Whisper	20	$1 \times 10^{-10}$
Rustle of leaves	10	$1 \times 10^{-11}$
Threshold of hearing	0	$1 \times 10^{-12}$

**The intensity of a wave is the energy transported per unit time across a unit area.**

**The human ear can detect sounds with an intensity as low as  $10^{-12} \text{ W}/\text{m}^2$  and as high as  $1 \text{ W}/\text{m}^2$ .**

**Perceived loudness, however, is not proportional to the intensity.**

# Sound Level: Decibels

The loudness of a sound is much more closely related to the **logarithm** of the intensity.

Sound level is measured in **decibels (dB)** and is defined as:

$$\beta \text{ (in dB)} = 10 \log \frac{I}{I_0}.$$

$I_0$  is taken to be the **threshold of hearing**:

$$I_0 = 1.0 \times 10^{-12} \text{ W/m}^2.$$

**Example: Sound intensity on the street.**

**At a busy street corner, the sound level is 75 dB. What is the intensity of sound there?**

## Example: Loudspeaker response.

A high-quality loudspeaker is advertised to reproduce, at full volume, frequencies from 30 Hz to 18,000 Hz with uniform sound level  $\pm 3$  dB. That is, over this frequency range, the sound level output does not vary by more than 3 dB for a given input level. By what factor does the intensity change for the maximum change of 3 dB in output sound level?

## **Conceptual Example: Trumpet players.**

**A trumpeter plays at a sound level of 75 dB. Three equally loud trumpet players join in. What is the new sound level?**



**Example: Airplane roar.**

**The sound level measured 30 m from a jet plane is 140 dB. What is the sound level at 300 m? (Ignore reflections from the ground.)**

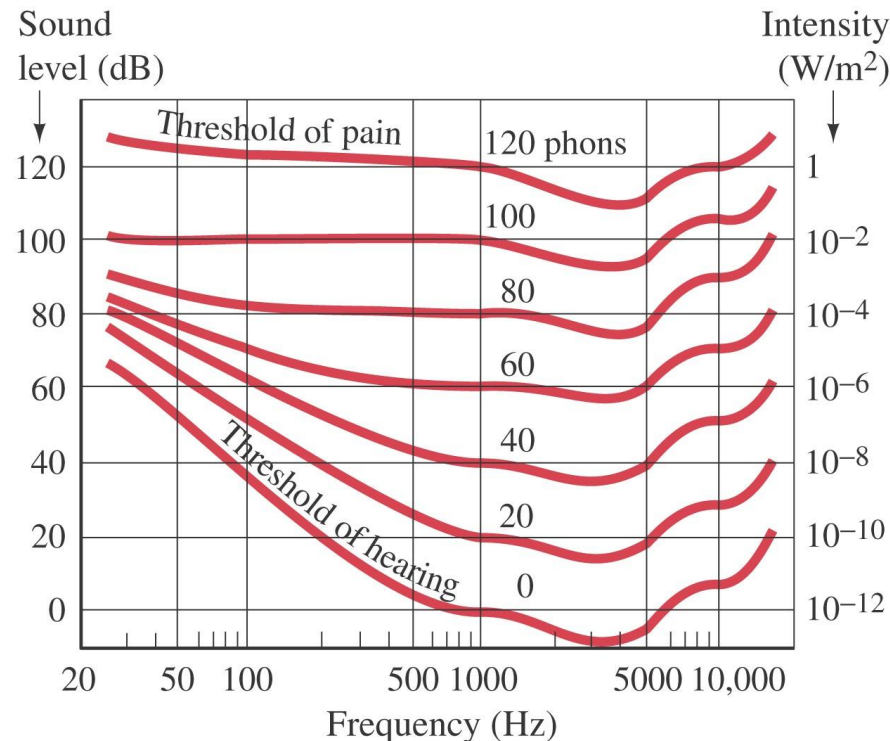


**Example: How tiny the displacement is.**

**Calculate the displacement of air molecules for a sound having a frequency of 1000 Hz at the threshold of hearing.**

# Intensity of Sound: Decibels

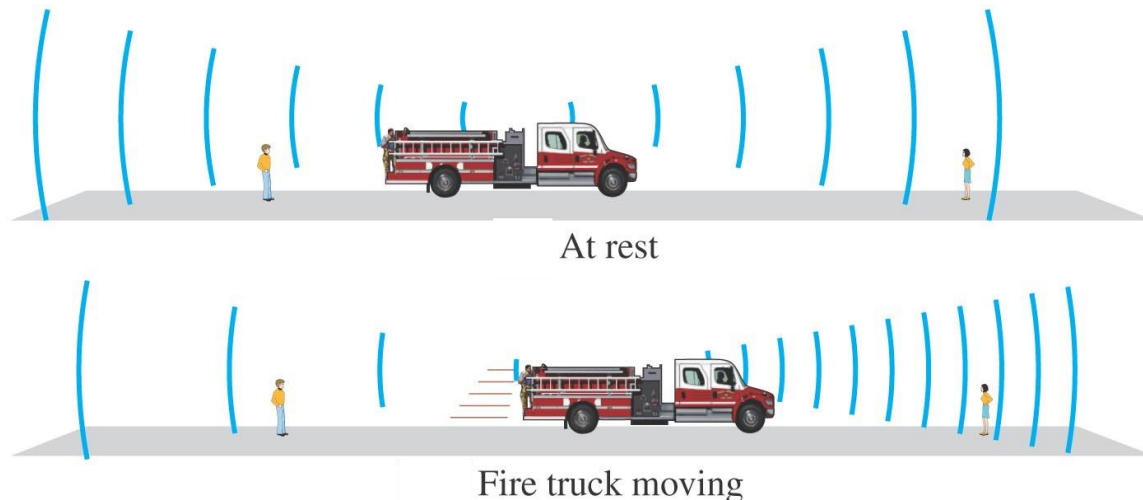
The ear's **sensitivity** varies with **frequency**. These curves translate the **intensity** into **sound level** at different **frequencies**.



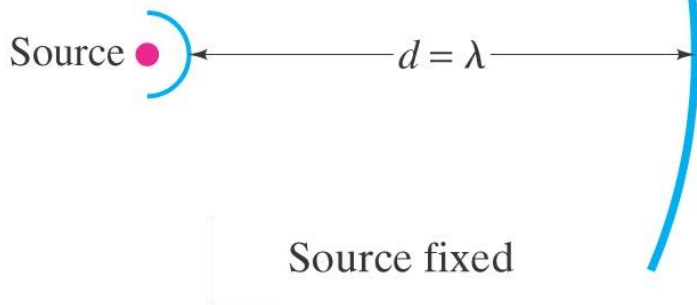
# Doppler Effect

**The Doppler effect occurs when a source of sound is moving with respect to an observer.**

**A source moving toward an observer appears to have a higher frequency and shorter wavelength; a source moving away from an observer appears to have a lower frequency and longer wavelength.**



$$\lambda = vT = \frac{v}{f}$$

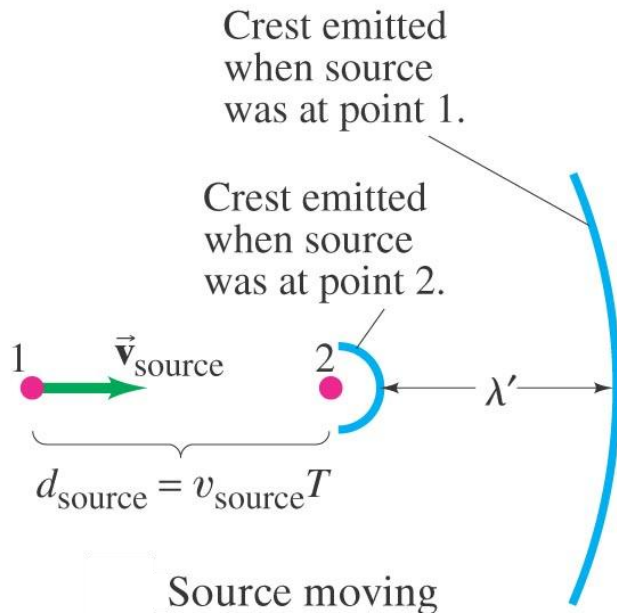


If we can figure out what the **change in the wavelength is**, we also know the **change in the frequency**.

When the source is approaching, the **observed wavelength is shorter**:

$$\lambda' = \lambda - v_{source}T$$

Then the observed frequency is:



$$\begin{aligned} f' &= \frac{v}{\lambda'} = \frac{v}{\lambda - v_{source}T} \\ &= \frac{v}{\lambda \left( 1 - \frac{v_{source}T}{\lambda} \right)} = \frac{f}{1 - \frac{v_{source}T}{\lambda}} \\ &= \frac{f}{1 - \frac{v_{source}}{v}} > f \end{aligned}$$

$v$  – velocity of sound

# Doppler Effect

The change in the frequency is given by:

$$f' = \frac{f}{\left(1 - \frac{v_{\text{source}}}{v_{\text{snd}}}\right)}.$$

Source approaching:  
Higher freq.  
 $f' > f$

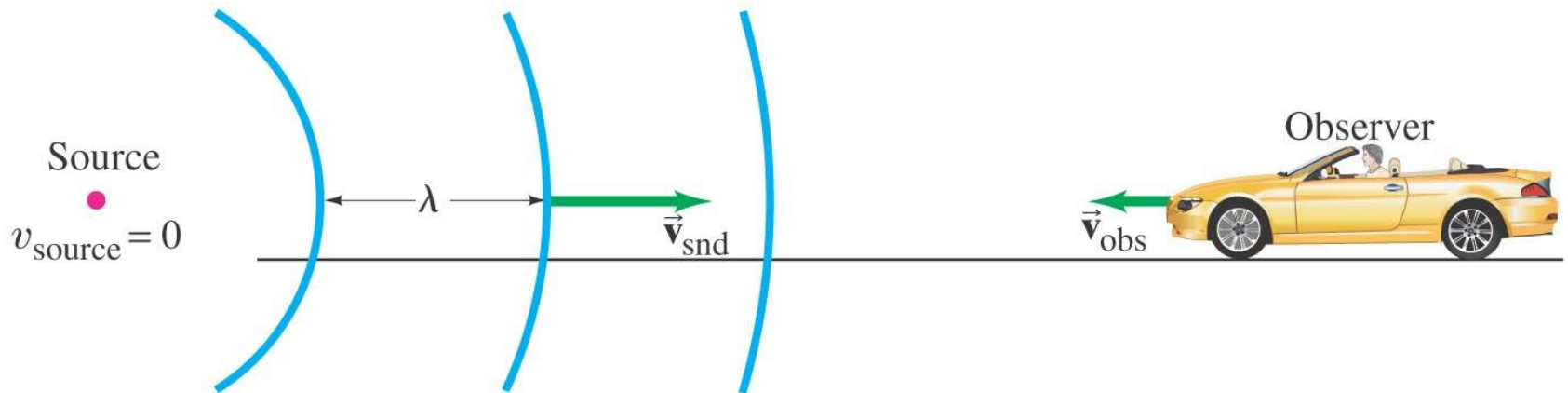
Similarly, if the source is moving away from the observer:

$$f' = \frac{f}{\left(1 + \frac{v_{\text{source}}}{v_{\text{snd}}}\right)}.$$

Source receding:  
Lower freq.  
 $f' < f$

# Doppler Effect

If the **observer** is moving with respect to the **source**, things are a bit different. The **wavelength** remains the same, but the **wave speed** is different for the observer.



$$v' = v + v_{\text{obs}} \quad \text{when the observer is approaching}$$

**For an observer moving toward a stationary source:**

**Observed sound velocity:**  $v' = v + v_{obs}$

**Observed frequency:**

$$f' = \frac{v'}{\lambda} = \frac{v + v_{obs}}{\lambda} = \frac{v}{\lambda} \left( 1 + \frac{v_{obs}}{v} \right) = f \left( 1 + \frac{v_{obs}}{v} \right)$$

**Observer approaching:  
Higher freq.  
 $f' > f$**

**And if the observer is moving away:**

$$v' = v - v_{obs}$$

$$f' = \frac{v'}{\lambda} = \frac{v - v_{obs}}{\lambda} = \frac{v}{\lambda} \left( 1 - \frac{v_{obs}}{v} \right) = f \left( 1 - \frac{v_{obs}}{v} \right)$$

**Observer receding:  
Lower freq.  
 $f' < f$**

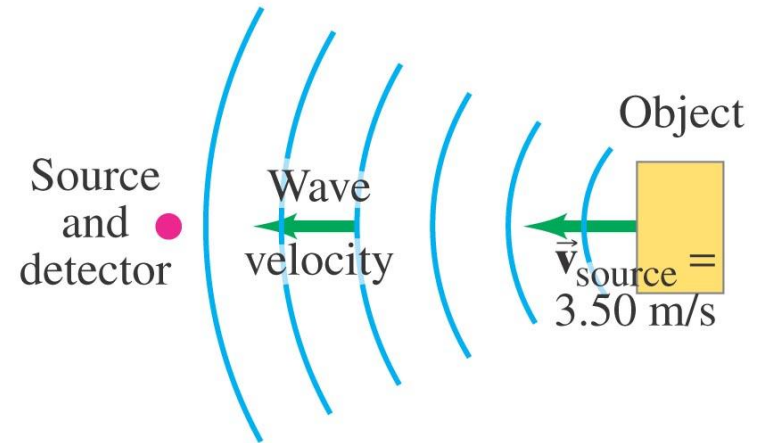
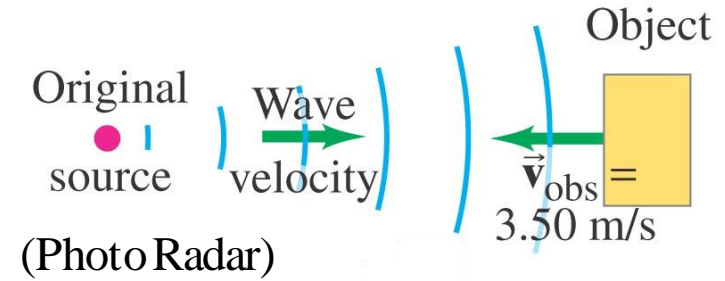


**Example: A moving siren.**

**The siren of a police car at rest emits at a predominant frequency of 1600 Hz. What frequency will you hear if you are at rest and the police car moves at 25.0 m/s (a) toward you, and (b) away from you?**

## Example: Two Doppler shifts.

A 5000-Hz sound wave is emitted by a stationary source. This sound wave reflects from an object moving toward the source. What is the frequency of the wave reflected by the moving object as detected by a detector at rest near the source?



# Doppler Effect

All four equations for the Doppler effect can be combined into one; you just have to keep track of the signs!

$$f' = f \left( \frac{v_{\text{snd}} \pm v_{\text{obs}}}{v_{\text{snd}} \mp v_{\text{source}}} \right).$$

The signs:

Approaching: higher freq.  $f' > f$

Receding: lower freq.  $f' < f$