BUS 316

Preliminary Mathematics/Statistics Exam:

NOTE: This assignment is only for information purposes and the grade will NOT be used as part of the assignment component. Failure to submit the assignment will affect the assignment component of the assessment.

Be sure to provide the following information on your answer sheet:

a) Your name; b) The course which was taken to satisfy the mathematical and statistical prerequisite for this course; c) If you are a college or international transfer student, indicate the school which you previously attended. If you are a SFU student indicate the instructor(s) who taught your math/stat. prerequisite course(s).

1) Evaluate by providing a numerical solution or simplify the expression where possible, otherwise expand the summation or formula listing all relevant terms:

$$a > \sum_{i=0}^{10} t \qquad b > \ln (\exp[a]) = \log_{a} \{e^{a}\}$$

$$c > \sum_{i=1}^{3} \sigma_{i}^{2} X_{i}^{2} + 2 \sum_{i>j} X_{i} X_{j} \sigma_{ij} \qquad d > \sum_{j=1}^{3} \sum_{i=1}^{3} X_{i} X_{j} \sigma_{ij}$$

$$e > \exp[a] \exp[bx] = e^{a} / e^{bx} \qquad f > (x + y)^{3}$$

$$e > \ln(1 + x) \text{ for } x \text{ small (How small is small?)}$$

2) Differentiate the function y with respect to the variable x, i.e., evaluate dy/dx:

$$a > y = \frac{1}{(1+x)^n} \qquad b > y = \sum_{t=1}^{T} \frac{1}{(1+x)^t}$$

$$c > y = \ln[x] \qquad d > y = \exp[ax] = e^{ax}$$

3) Provide definitions (mathematical expressions or equations where possible) for the following terms:

- a) sample mean (average) b) sample variance c) sample covariance
- d) var(A + B) --- the variance of a linear combination of two random variables (A and B)
- e) var(cA B) --- where c is a constant and A and B are random variables
- f) correlation coefficient for A and B-- in terms of covariance and standard deviations

4) Simplify the following expressions by re-expressing the series as a ratio:

a)
$$1 + x + x^2 + x^3 + x^4 + \dots$$
 for $|x| < 1$ b) $\sum_{i=1}^{T} \frac{1}{\{1 + r\}^t}$