

Table 2*
Tests for the Martingale Property of $Z(t)$

$$\Delta Z(t) = \alpha_0 + \alpha_1 \Delta Z(t-1) + \alpha_2 t$$

Full Sample, 1960.1-2001.9 (NOB = 499)				$R^2 = .0597$	Durbin h = .905	F test = 31.57
$\alpha_0 =$	-.0007 (-.461)	$\alpha_1 =$.2439 (5.62)	Std. Error of Reg. = .0342		
				$R^2 = .0598$	Durbin h = .907	F test = 15.79
$\alpha_0 =$	-.0014 (-.353)	$\alpha_1 =$.2440 (3.09)	$\alpha_1 =$.00002 (.241)	Std. Error of Reg. = .0342
Subsample, 1990.1-2001.9 (NOB = 139)				$R^2 = .0421$	Durbin h = .232	F test = 6.01
$\alpha_0 =$.0010 (.279)	$\alpha_1 =$.2220 (2.45)	Std. Error of Reg. = .0415		
				$R^2 = .0598$	Durbin h = .233	F test = 3.57
$\alpha_0 =$	-.0055 (-.742)	$\alpha_1 =$.2198 (2.37)	$\alpha_2 =$.00009 (.857)	Std. Error of Reg. = .0415
Subsample, 1980.1-1989.12 (NOB = 118)				$R^2 = .1033$	Durbin h = 2.47	F test = 13.36
$\alpha_0 =$.0005 (.137)	$\alpha_1 =$.3207 (3.56)	Std. Error of Reg. = .0391		
				$R^2 = .1063$	Durbin h = 2.68	F test = 6.84
$\alpha_0 =$.0044 (.531)	$\alpha_1 =$.3178 (2.85)	$\alpha_2 =$	-.00007 (-.569)	Std. Error of Reg. = .0391
Subsample, 1970.1-1979.12 (NOB = 118)				$R^2 = .0480$	Durbin h = .753	F test = 5.85
$\alpha_0 =$.0004 (.281)	$\alpha_1 =$.2182 (2.42)	Std. Error of Reg. = .0190		
				$R^2 = .0480$	Durbin h = .849	F test = 2.90
$\alpha_0 =$.0004 (.104)	$\alpha_1 =$.2182 (2.41)	$\alpha_2 =$.00000 (.001)	Std. Error of Reg. = .0191

Subsample, 1960.1-1969.12 (NOB = 118) $R^2 = .0537$ Durbin h = .581 F test = 6.58

$\alpha_0 =$ -.0024 $\alpha_1 =$.2302 Std. Error of Reg. = .0579
 (-.457) (2.57)

$R^2 = .0622$ Durbin h = .362 F test = 3.81

$\alpha_0 =$ -.0120 $\alpha_1 =$.2253 $\alpha_2 =$.0002 Std. Error of Reg. = .0579
 (-.811) (1.14) (.910)

* Values in brackets below coefficient estimate are t-test values for the hypothesis that the coefficient equals zero. For the regressions with a time trend, heteroskedasticity adjusted standard errors (White's adjustment) are used to calculate the t-value. For regressions without time trends, the t-values are based on unadjusted standard errors.

Table 3*
Tests for the Martingale Property of $ZY(t)$

$$\Delta ZY(t) = \alpha_0 + \alpha_1 \Delta ZY(t-1) + \alpha_2 t$$

Full Sample, 1960.1-2001.9 (NOB = 499)				$R^2 = .0624$	Durbin h = .987	F test = 33.03
$\alpha_0 =$.0060 (.351)	$\alpha_1 =$.2493 (5.75)	Std. Error of Reg. = .3845		
				$R^2 = .0655$	Durbin h = 1.07	F test = 17.35
$\alpha_0 =$	-.0014 (-.519)	$\alpha_1 =$.2456 (1.65)	$\alpha_2 =$.0002 (.828)	Std. Error of Reg. = .3842
Subsample, 1990.1-2001.9 (NOB = 139)				$R^2 = .0389$	Durbin h = .784	F test = 5.50
$\alpha_0 =$.0862 (2.73)	$\alpha_1 =$.2094 (2.34)	Std. Error of Reg. = .3574		
				$R^2 = .0481$	Durbin h = .784	F test = 3.41
$\alpha_0 =$.0259 (.601)	$\alpha_1 =$.2027 (1.88)	$\alpha_2 =$.0009 (.963)	Std. Error of Reg. = .3570
Subsample, 1980.1-1989.12 (NOB = 118)				$R^2 = .0292$	Durbin h = 1.62	F test = 3.46
$\alpha_0 =$.0648 (7.38)	$\alpha_1 =$.1642 (1.86)	Std. Error of Reg. = .0573		
				$R^2 = .0382$	Durbin h = 1.46	F test = 2.27
$\alpha_0 =$.0556 (3.61)	$\alpha_1 =$.1591 (1.38)	$\alpha_2 =$.00016 (1.10)	Std. Error of Reg. = .0573
Subsample, 1970.1-1979.12 (NOB = 118)				$R^2 = .0545$	Durbin h = .943	F test = 6.63
$\alpha_0 =$	-.0310 (-.225)	$\alpha_1 =$.2336 (2.58)	Std. Error of Reg. = 1.495		
				$R^2 = .0546$	Durbin h = 1.08	F test = 3.29
$\alpha_0 =$	-.0434 (-.126)	$\alpha_1 =$.2337 (2.36)	$\alpha_2 =$.0002 (.050)	Std. Error of Reg. = 1.495

Subsample, 1960.1-1969.12 (NOB = 118) $R^2 = .0549$ Durbin h = .522 F test = 6.67

$\alpha_0 =$ -.0326 $\alpha_1 =$.2353 Std. Error of Reg. = 1.237
 (-.285) (2.58)

$R^2 = .0643$ Durbin h = 1.19 F test = 3.92

$\alpha_0 =$ -.2483 $\alpha_1 =$.2270 $\alpha_2 =$.0036 Std. Error of Reg. = 1.237
 (-.779) (1.21) (.930)

* Values in brackets below coefficient estimate are t-test values for the hypothesis that the coefficient equals zero. For the regressions with a time trend, heteroskedasticity adjusted standard errors (White's adjustment) are used to calculate the t-value. For regressions without time trends, the t-values are based on unadjusted standard errors.

Table 4*
Tests for the Martingale Property of $Y(t)$

$$\Delta Y(t) = \alpha_0 + \alpha_1 \Delta Y(t-1) + \alpha_2 t$$

Full Sample, 1960.1-2001.9 (NOB = 499) $R^2 = .0524$ Durbin h = 1.43 F test = 27.53				
$\alpha_0 =$.0357 (.864)	$\alpha_1 =$.2312 (5.25)			Std. Error of Reg. = .9216
$R^2 = .0525$ Durbin h = 1.47 F test = 13.75				
$\alpha_0 =$.0487 (.485)	$\alpha_1 =$.2313 (4.25)	$\alpha_1 =$ -.00005 (-.157)		Std. Error of Reg. = .9225
Subsample, 1990.1-2001.9 (NOB = 139) $R^2 = .0341$ Durbin h = .644 F test = 4.83				
$\alpha_0 =$.0619 (.829)	$\alpha_1 =$.1941 (2.20)			Std. Error of Reg. = .8734
$R^2 = .0416$ Durbin h = .663 F test = 3.57				
$\alpha_0 =$.1957 (1.65)	$\alpha_1 =$.1905 (1.98)	$\alpha_2 =$ -.0019 (-.874)		Std. Error of Reg. = .8732
Subsample, 1980.1-1989.12 (NOB = 118) $R^2 = .1187$ Durbin h = 2.53 F test = 15.63				
$\alpha_0 =$.0385 (.647)	$\alpha_1 =$.3438 (3.95)			Std. Error of Reg. = .6437
$R^2 = .1217$ Durbin h = 2.72 F test = 7.97				
$\alpha_0 =$ -.0288 (-.211)	$\alpha_1 =$.3409 (2.66)	$\alpha_2 =$.0011 (.553)		Std. Error of Reg. = .6454
Subsample, 1970.1-1979.12 (NOB = 118) $R^2 = .0509$ Durbin h = .040 F test = 6.28				
$\alpha_0 =$ -.0418 (-.467)	$\alpha_1 =$.2261 (2.51)			Std. Error of Reg. = .9747
$R^2 = .0513$ Durbin h = .081 F test = 3.13				
$\alpha_0 =$ -.0718 (-.338)	$\alpha_1 =$.2258 (2.44)	$\alpha_2 =$.0005 (.194)		Std. Error of Reg. = .9788

Subsample, 1960.1-1969.12 (NOB = 118) $R^2 = .0421$ Durbin h = 1.30 F test = 5.09

$\alpha_0 = .0835$ $\alpha_1 = .2067$ Std. Error of Reg. = 1.157
 (.780) (2.26)

$R^2 = .0523$ Durbin h = 1.20 F test = 3.17

$\alpha_0 = .2916$ $\alpha_1 = .1999$ $\alpha_2 = -.0035$ Std. Error of Reg. = 1.157
 (1.29) (1.70) (-1.07)

* Values in brackets below coefficient estimate are t-test values for the hypothesis that the coefficient equals zero. For the regressions with a time trend, heteroskedasticity adjusted standard errors (White's adjustment) are used to calculate the t-value. For regressions without time trends, the t-values are based on unadjusted standard errors.

Figure 1: Interest Rate Detrended S&P Composite Index

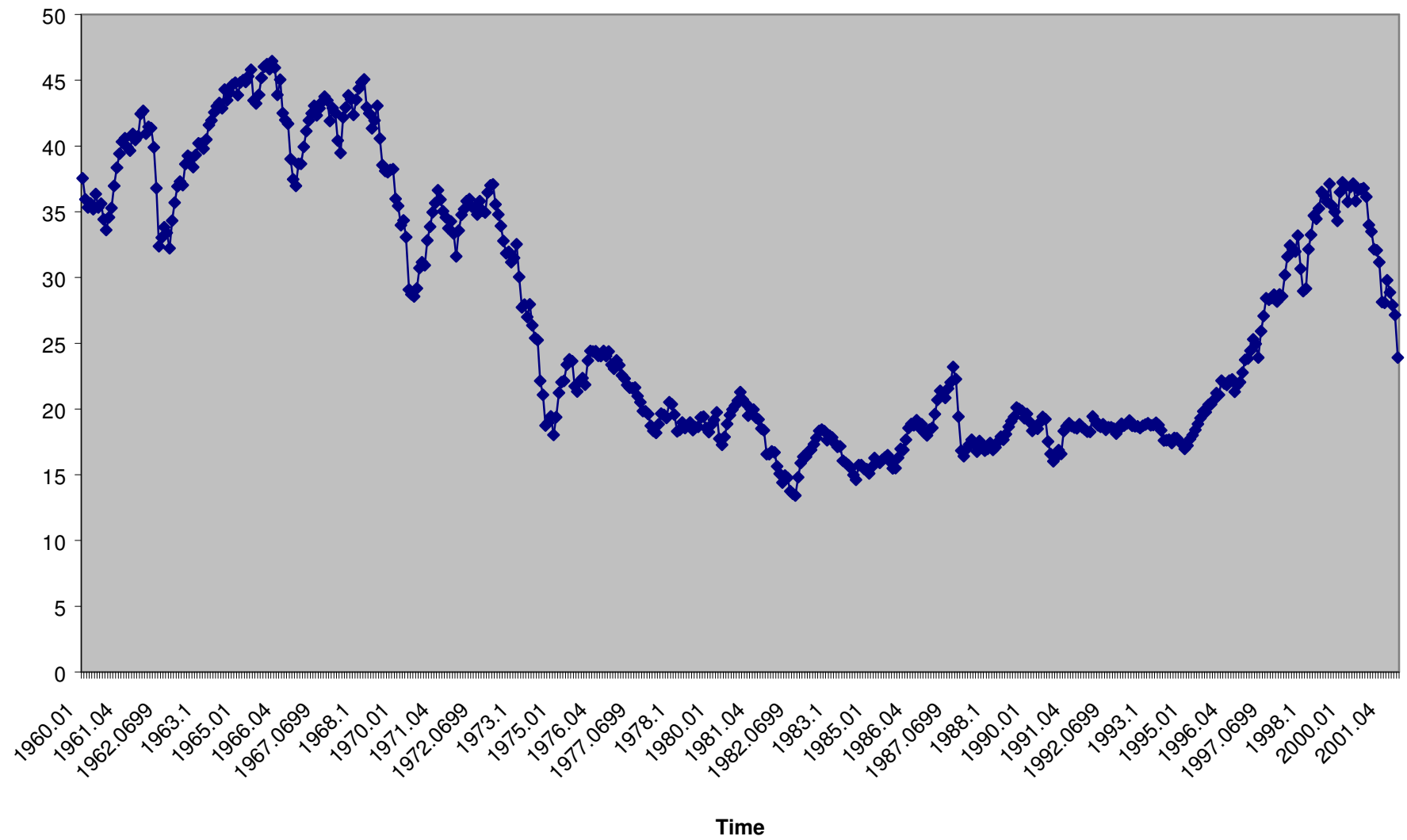


Figure 2: Interest Rate Detrended Dividends for the S&P Composite Index

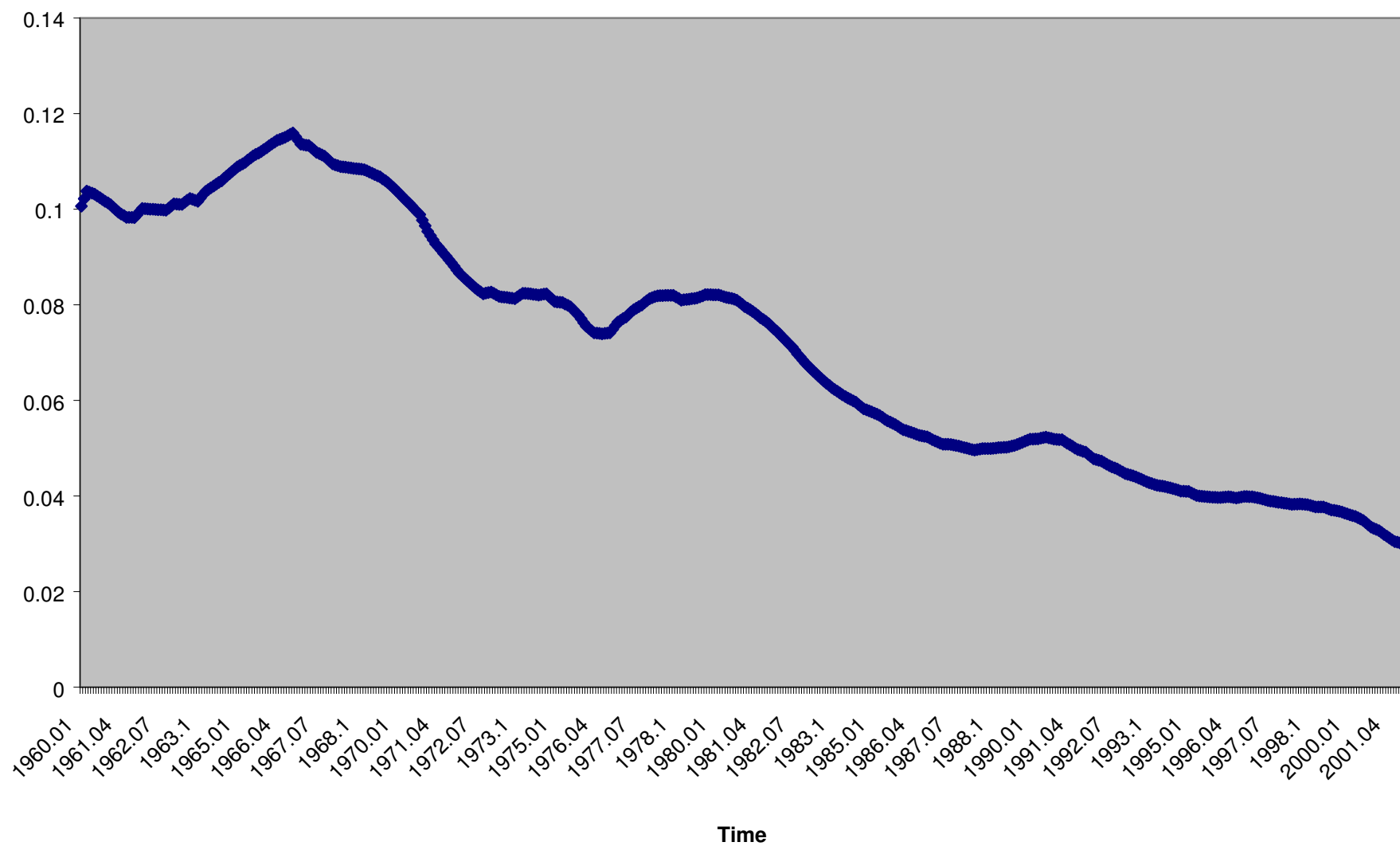


Figure 3: CPI Deflated (1980=100) S&P Composite Index

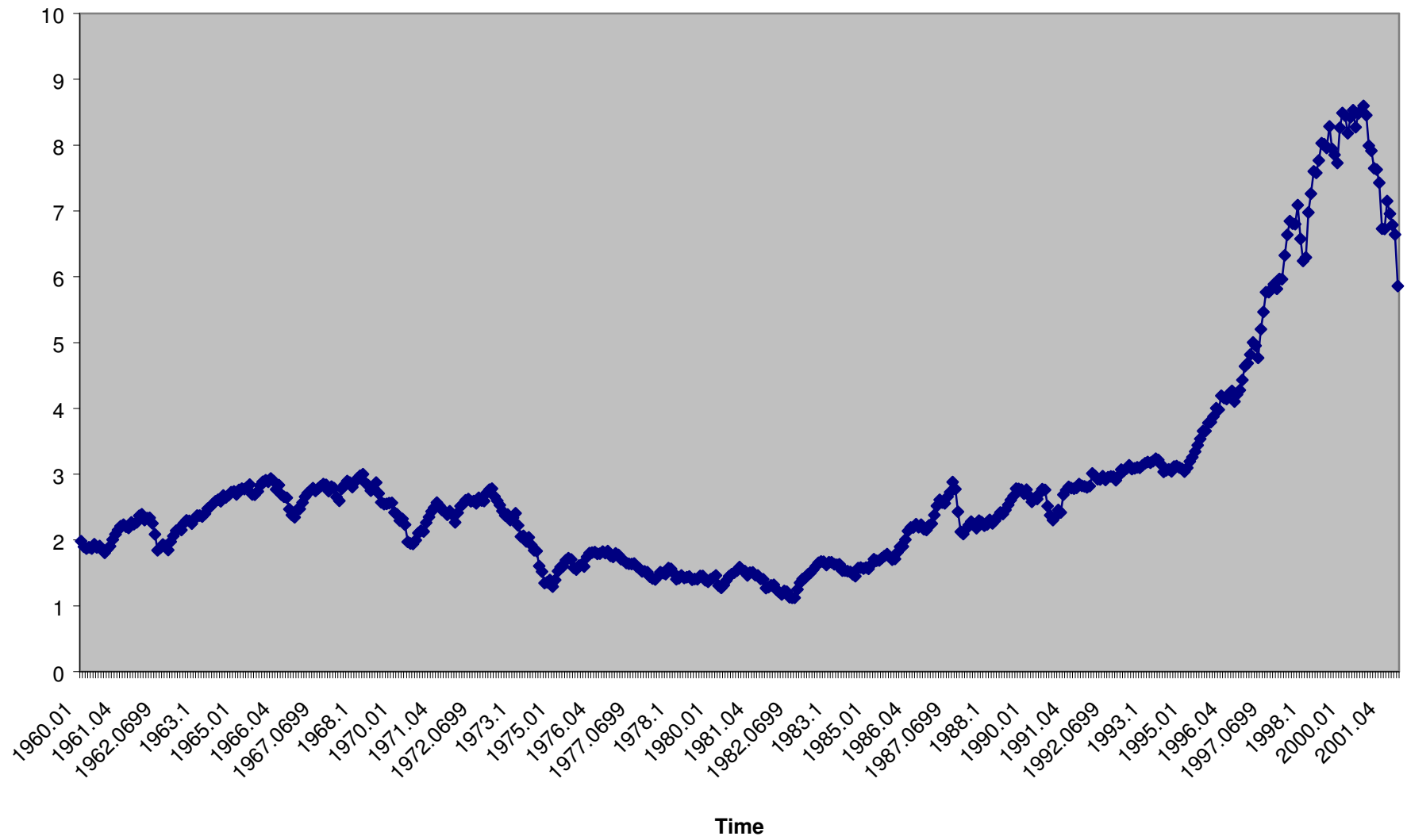


Figure 4: Absence of Arbitrage Detrender Function, $Z(t)$

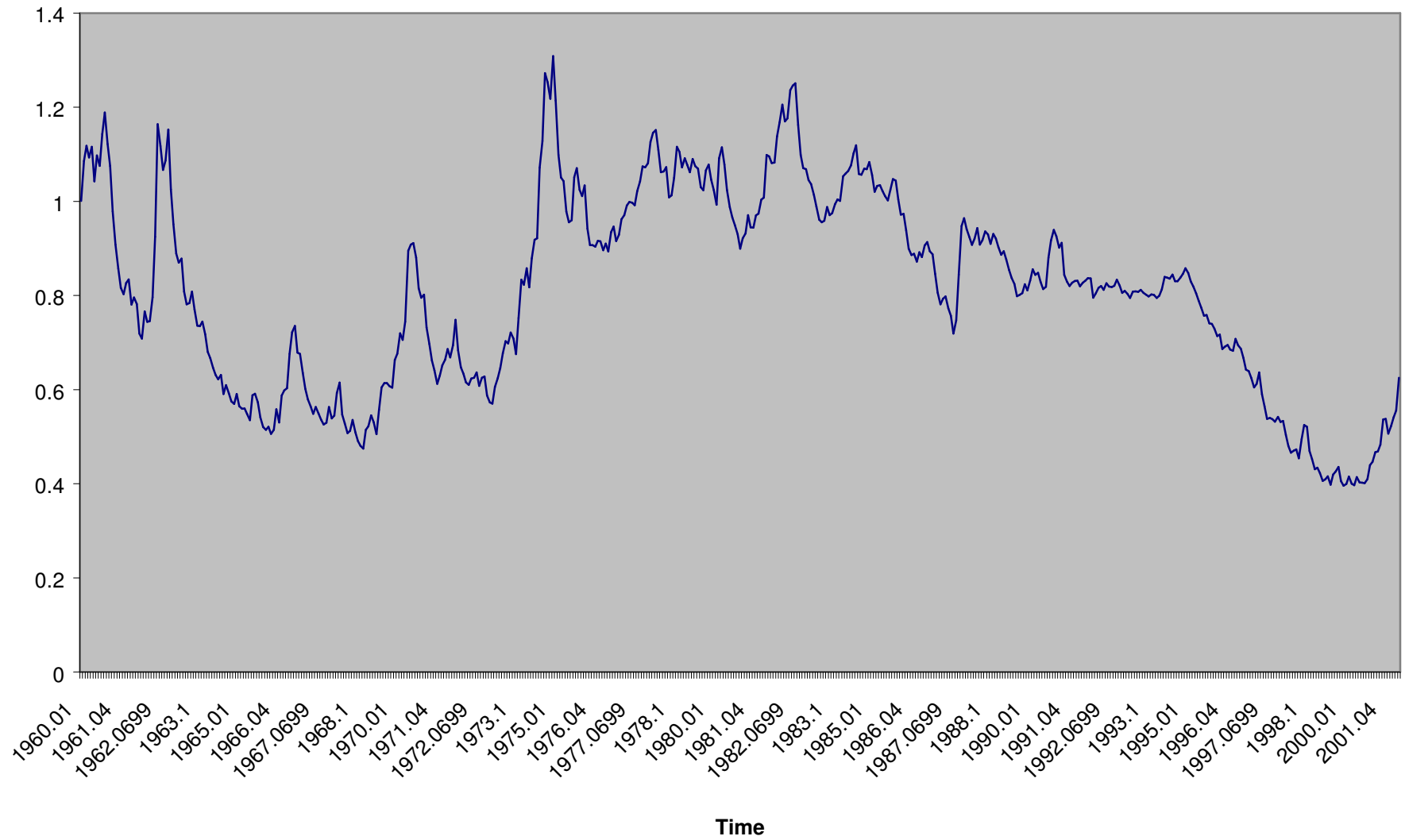


Figure 5: Interest Rate Deflated and Z(t) Detrended, ZY(t)

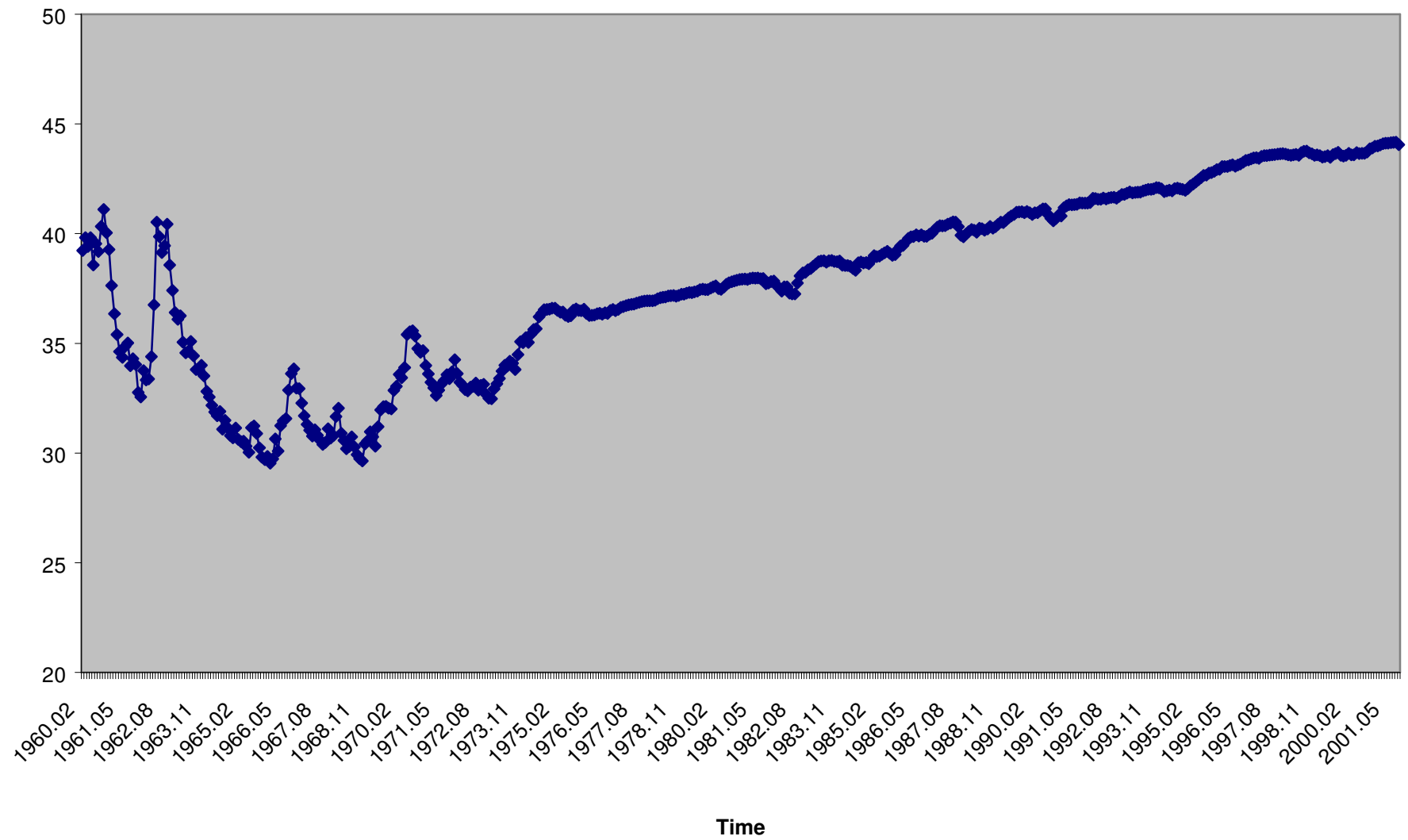


Figure 6: Comparison of $Y(t)$ and $ZY(t)$, 1990-2001

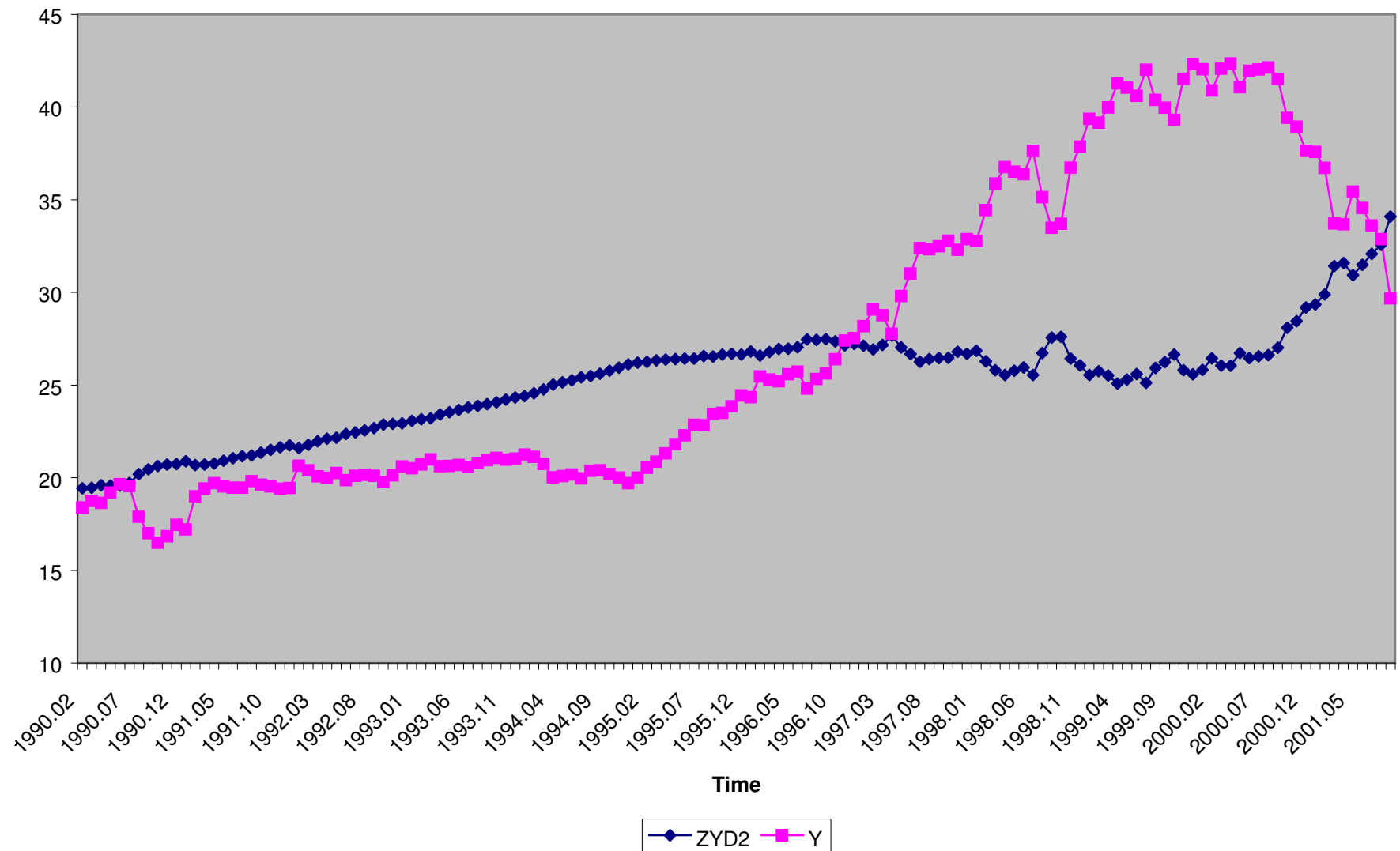


Figure 7: Comparison of $Y(t)$ and $ZY(t)$, 1970-1980

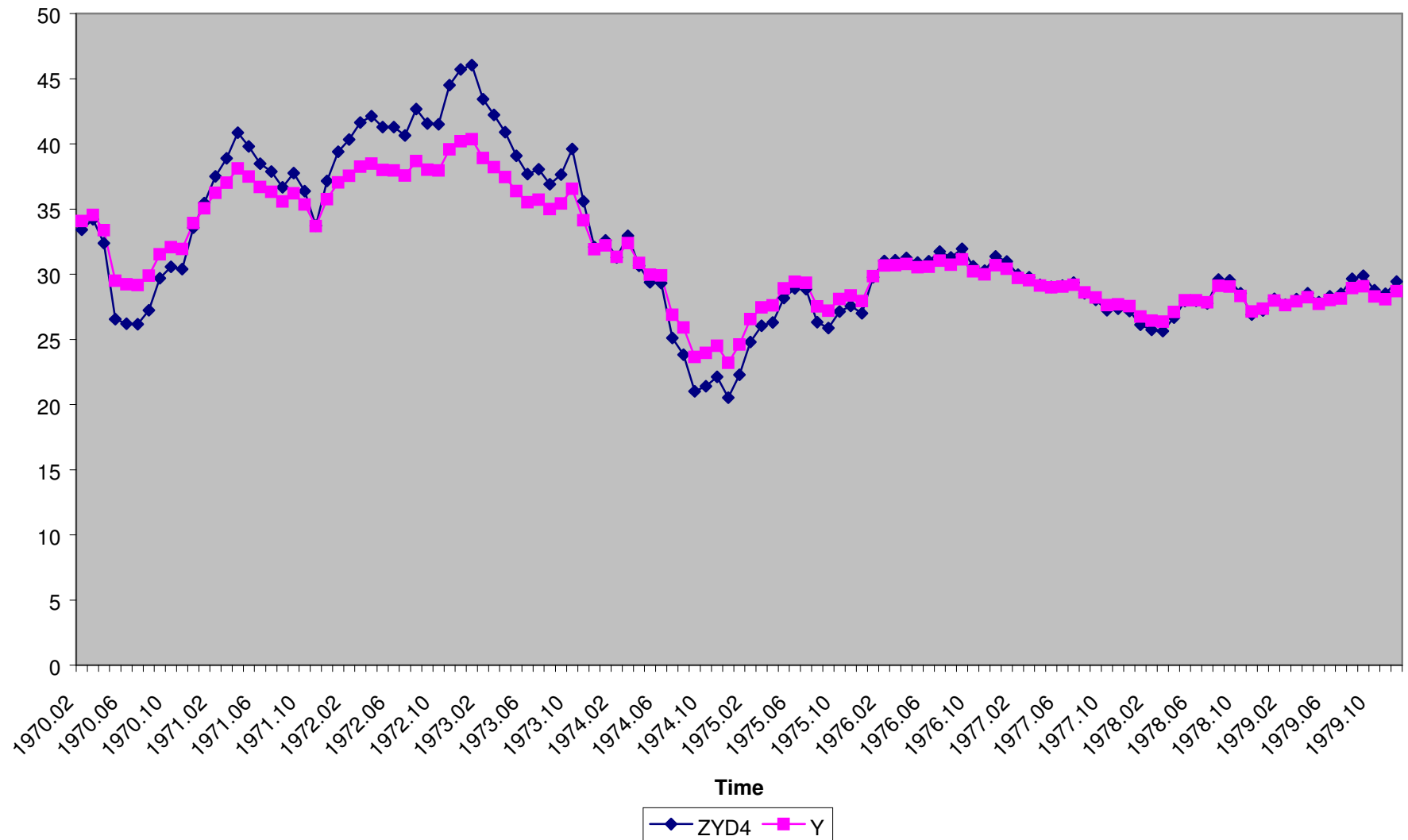


Figure 8: Comparison of $Y(t)$ and $ZY(t)$, 1960-1970.

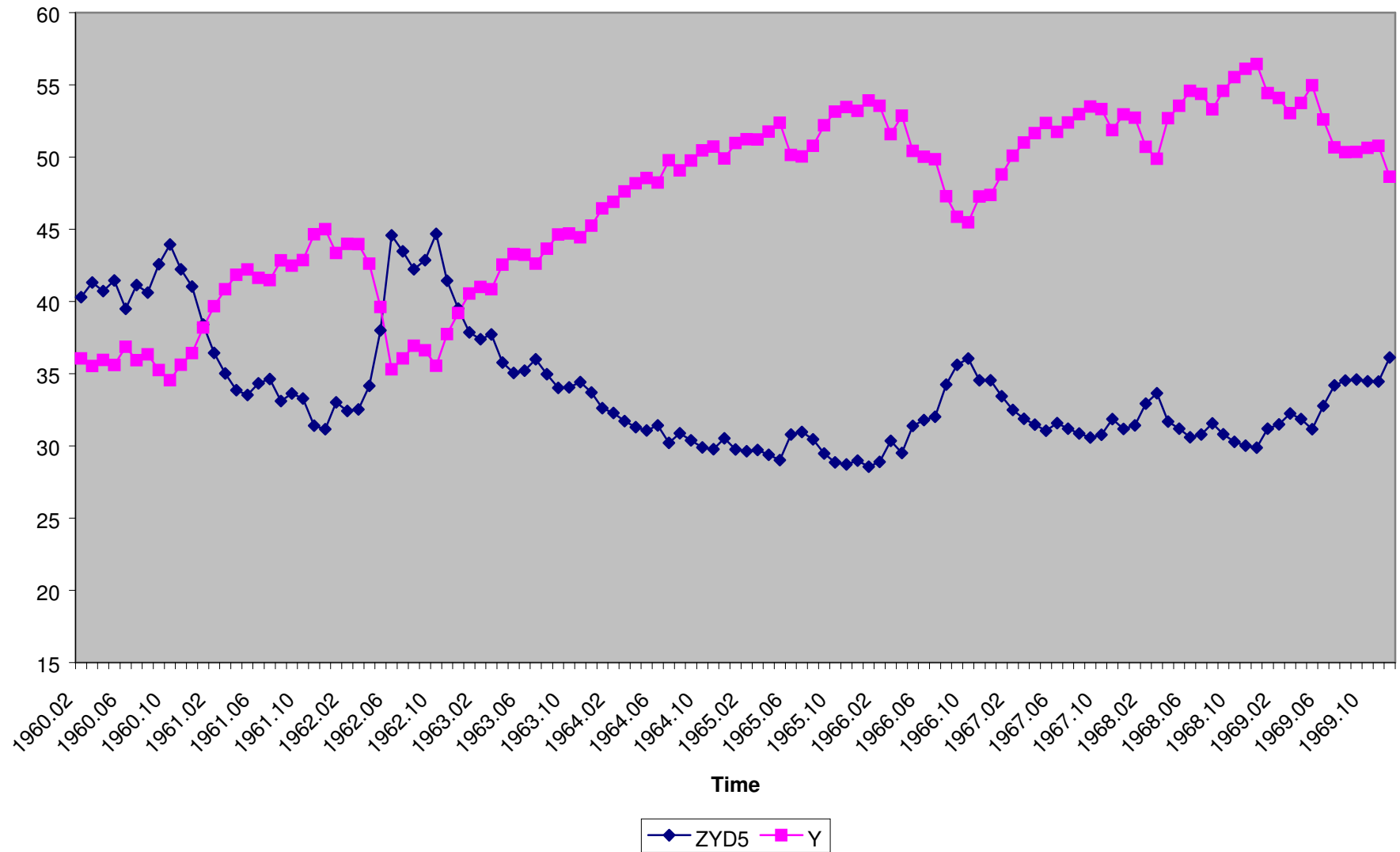


Figure 10: Comparison of Subsample Z(t)

