

Answer Key

1. a) Find minimum AC: either set $MC = AC$ or take derivative of AC and set $= 0$.
 $AC = .01q^2 - 1.2q + 111$ $dAC/dq = 0.2q - 1.2 = 0$ $q = 60$
 at $q = 60$, $AC = 75 = \text{Price in Long run equilibrium}$ $Q = 4500$

b) $4500/60 = 75$ firms

- c) Licence fee does not change MC. Firm sets $MC = P$

$$MC = 0.3q^2 - 2.4q + 111 = P (= 300 - 0.5Q)$$

Let $Q = 60q$ and sub into above

$$0.3q^2 - 2.4q + 111 = 300 - 0.5(60q)$$

$$q^2 - 20q + 6300 = 0 \Rightarrow (q + 90)(q - 70) = 0 \Rightarrow q = 70 \text{ and } p = 90$$

$$\text{Gross profit } (70 \times 90) - 5320 = 980$$

Profit gets bid away on licence.

2. a) At min AC, $q = 25$ and $AC = 125$. Therefore $P = \$125$
 b) From the demand curve $Q = 1500$. $1500/25 = 60$ firms
 c) The minimum AC will shift up by 20% therefore the new long run price is
 $P = (1.2)(\$125) = \150 , and $Q = 1400$. therefore the number of firms = 56
 d) the new longrun price is $125 + 50 = 175$. $Q = 1300$ and firms = 52
 e) For firms to increase from 60 to 63, market Q will increase to 1575 (63×25).
 From the demand curve, $P = 106.25$. Subsidy = $125 - 106.25 = \$18.75$

Chapter 10:

- #3 a) $MC = 10$, $y = 50$, $p = 60$ and profit = 2500 - F
 b) Entrant's demand $p = (110 - y_1) - y_E = 60 - y_E$
 c) entrant's $MR = 60 - 2y_E = MC = 10$ $y_E = 25$, $p = 35$ entrant's profit = 625 - F
 d) natural monopoly occurs for $F > 625$.

- #9 a) the profit maximizing prices are \$45 and \$60. Profit = \$382.50
 b) any fixed fee that extracts CS above some price will work.
 c) if $y \leq 3$ then $P = 90 - 10y$ and $MR = 90 - 20y$
 if $y > 3$ then $P = 70 - 10y/3$ and $MR = 70 - 20y/3$
 $p^* = 35$ and profit = 367.59

chapter 11, #1

- a) $p = 280$, $q = 360$ profit = 64800
 b) n = number of firms:
 $p = (460 + 100n)/(n+1)$ $q = 720/(n+1)$ profit = $259200/(n+1)$
 c) each firm produces 180 and profit = 32400. violator would produce 270. Violators profit will increase by \$4,050
 d) The limit output is 560, limit price is \$180 and profit is \$44,800 - \$3,200
 e) There would be two firms, each earning \$8,800
 f) There would be 3 firms. profits of each = \$1,600
 g) One firm. Profit = \$44,800