Classical Mechanics Lecture 9

Today's Concepts:

- a) Energy and Friction
- b) Potential energy & force

Some comments about the course

Spring examples with numbers

Bring out a spring!

Learning fun physics Cool demonstrations are the Reason to wake up -A scientific haiku

I think the course is going pretty well. I really like it (except for the fact that my lecture is at 8am). This is the first time I've been in a calculus-based physics class and I've had quite a few moments where everything just clicked perfectly! Some of the homework problems are pretty tricky though. I definitely have to think about them. I suppose I'll really get a good idea of how the course is going after the first exam. Be glad you're at SFU — no 8am classes.

its going well, I feel like we tend to do much harder things in hw than we do in class exampl wise, maybe thats on purpose but at the same time it is frustrating because i would rather lear a few techniques about how to do a problem than to do easy ones and wonder when i learned what the hard questions are asking

What is spacial derivative? https://ccrma.stanford.edu/~jos/pasp/Spatial_Derivatives.html
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the equations are so scary, can we go over them in English?

Im still doing last weeks stuff because of 2 bloody midterms and a trunk full of physics homework. =/



Common Issues:

HW is harder than lecture

Need more practice materials

Don't know how to prepare for exam

Material is getting harder

Things we can do:

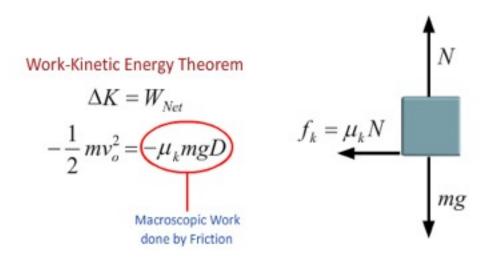
Do some HW problems in class

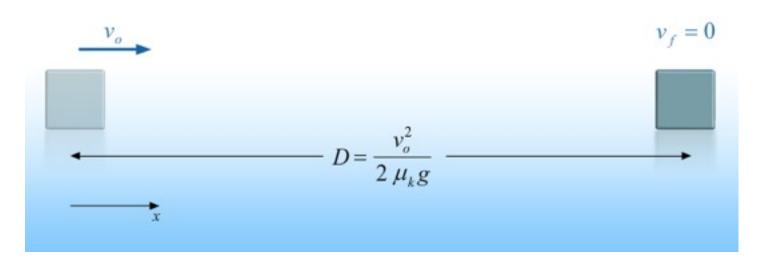
Provide practice materials to prepare for exam

Post formula sheet

Make sure office hours are utilized

Macroscopic Work done by Friction



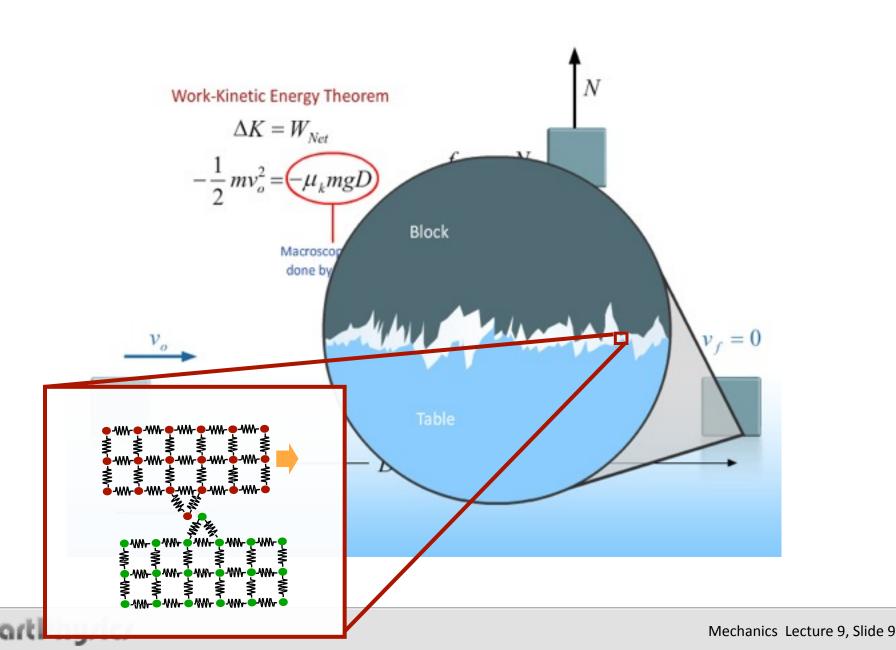


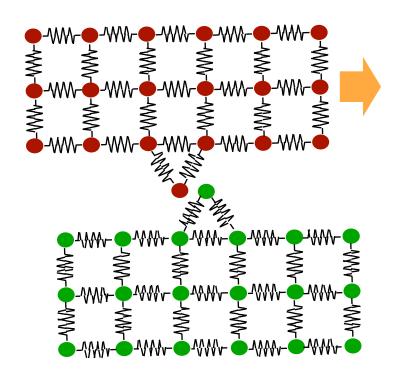
Macroscopic Work:

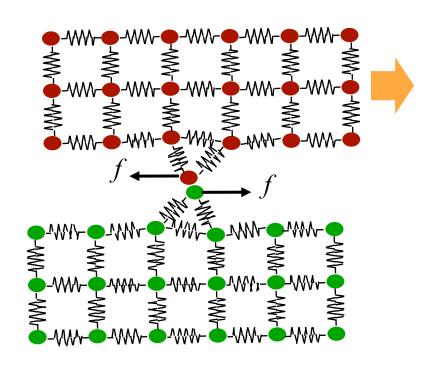
This is not a new idea – it's the same "work" you are used to.

$$W = \int_{a}^{b} \vec{F} \cdot d\vec{l}$$
 Applied to big (i.e. macroscopic) objects rather than point particles (picky detail)

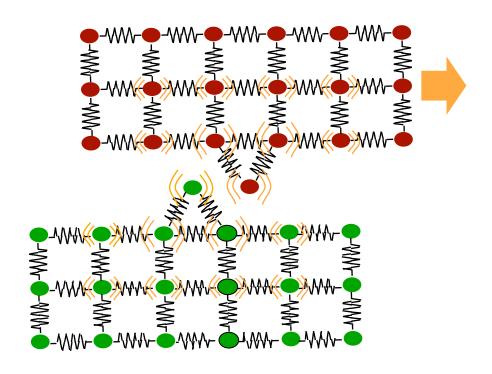
We call it "macroscopic" to distinguish it from "microscopic".



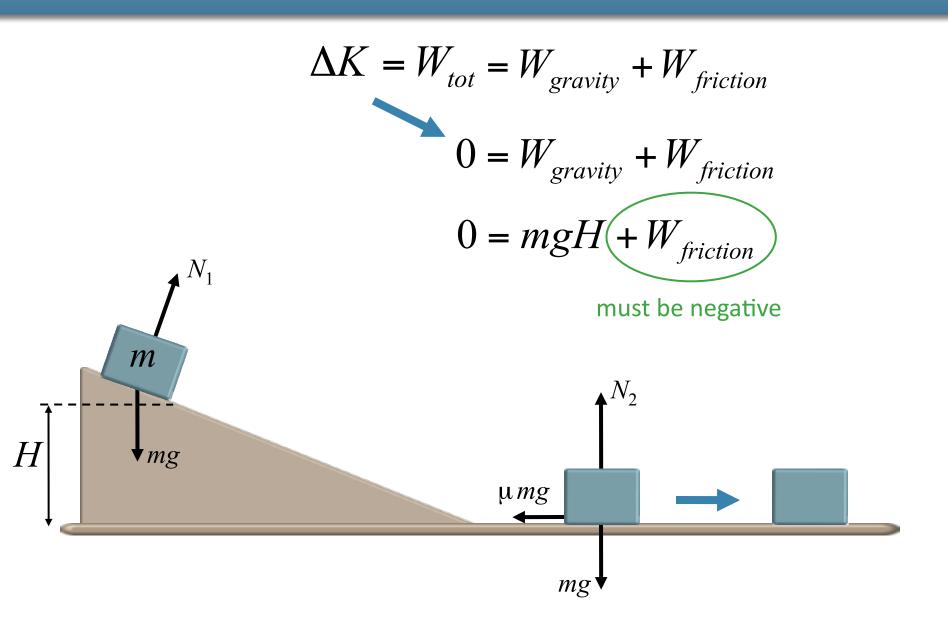




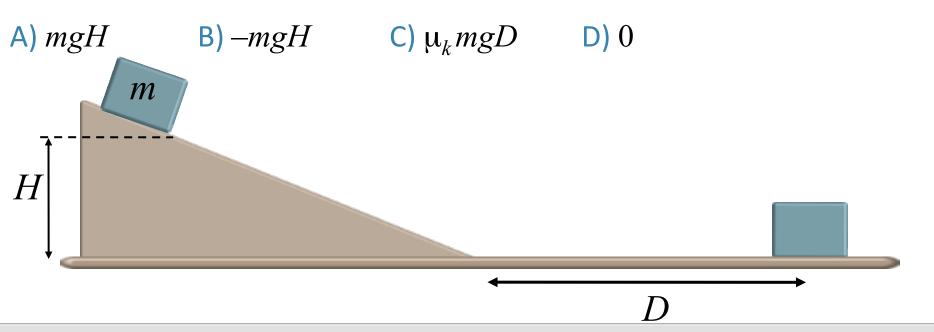
"Heat" is just the kinetic energy of the atoms!



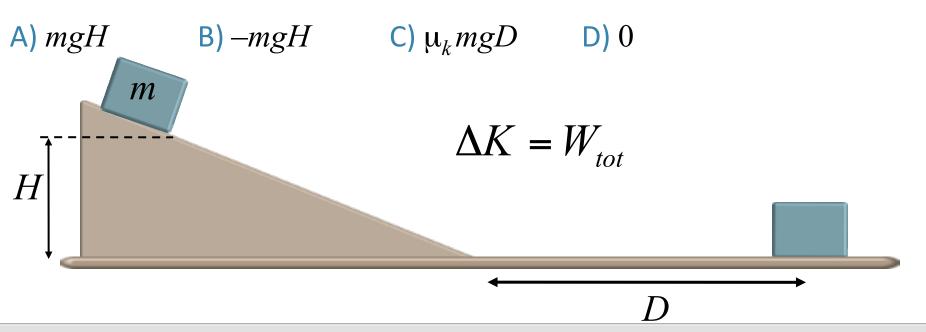
Do spinning Heat Demo



A block of mass m, initially held at rest on a frictionless ramp a vertical distance H above the floor, slides down the ramp and onto a floor where friction causes it to stop a distance r from the bottom of the ramp. The coefficient of kinetic friction between the box and the floor is μ_k . What is the macroscopic work done on the block by friction during this process?



A block of mass m, initially held at rest on a frictionless ramp a vertical distance H above the floor, slides down the ramp and onto a floor where friction causes it to stop a distance D from the bottom of the ramp. The coefficient of kinetic friction between the box and the floor is μ_k . What is the total macroscopic work done on the block by all forces during this process?

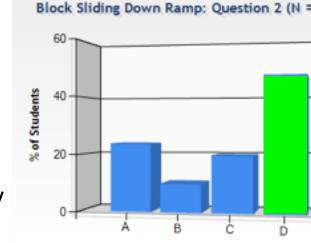


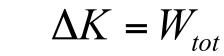


What is the total macroscopic work done on the block by all forces during this process?

- A) mgH B) -mgH C) $\mu_k mgD$
- **D)** 0

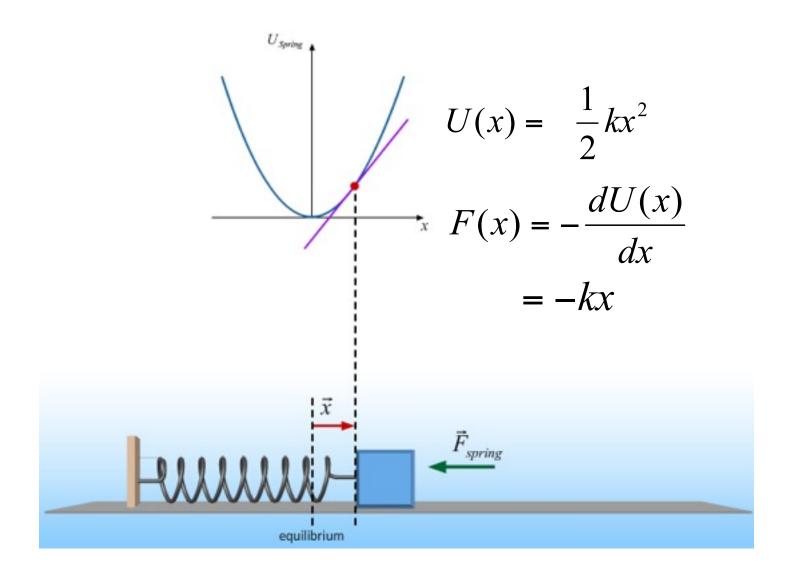
- B) work= change in potential energy
- C) The only work being done on the object is by the friction force.
- D) total work is equal to the change in kinetic energy. since the box starts and ends at rest, the change in kinetic energy is zero. m







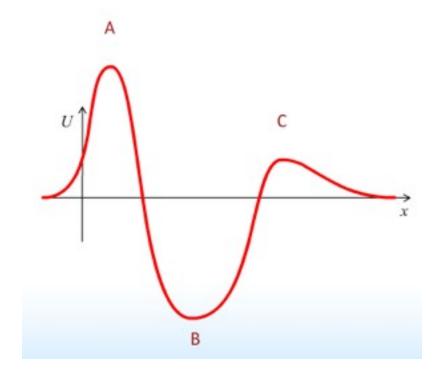
Potential Energy vs. Force



Potential Energy vs. Force

$$F(x) = -\frac{dU(x)}{dx}$$

	P.E. Function	Force \vec{F}
Gravity (Near Earth)	$mgh + U_o$	$m\vec{g}$
Gravity (General Expression)	$-G\frac{m_1m_2}{r}+U_o$	$-G\frac{m_1m_2}{r^2}\hat{r}$
Spring	$\frac{1}{2}kx^2 + U_o$	$-k\vec{x}$



Demo

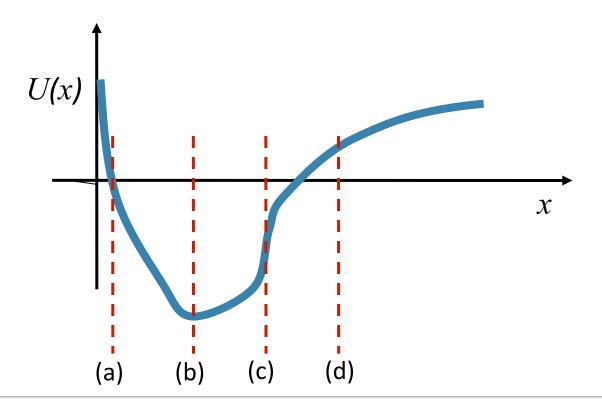
Clicker Question



Suppose the potential energy of some object U as a function of x looks like the plot shown below.

Where is the force on the object zero?

- A) (a)
- B) (b)
- **C**) (c)
- D) (d)



$$F(x) = -\frac{dU(x)}{dx}$$

Clicker Question

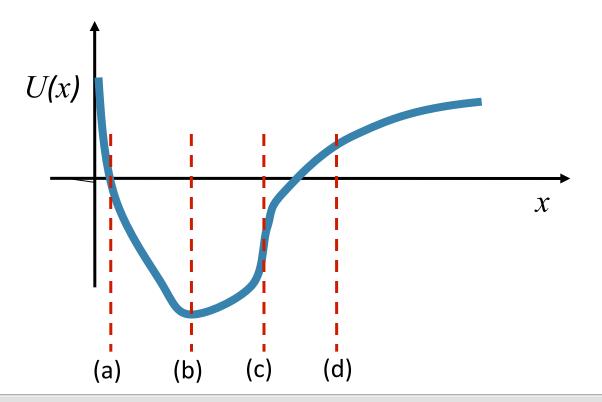


Suppose the potential energy of some object U as a function of xlooks like the plot shown below.

Where is the force on the object in the +x direction?

- A) To the left of (b) B) To the right of (b)

C) Nowhere

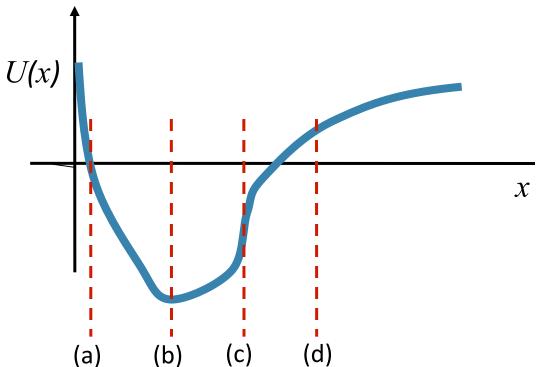


$$F(x) = -\frac{dU(x)}{dx}$$

Suppose the potential energy of some object U as a function of xlooks like the plot shown below.

Where is the force on the object biggest in the -x direction?

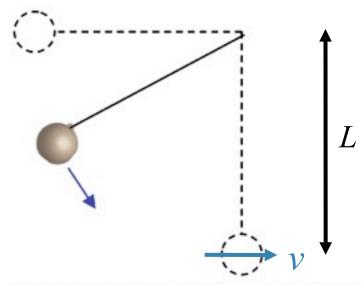
- A) (a) B) (b) C) (c)
- D) (d)





Potential Energy Function: Question 1 (N = 82)

$$F(x) = -\frac{dU(x)}{dx}$$



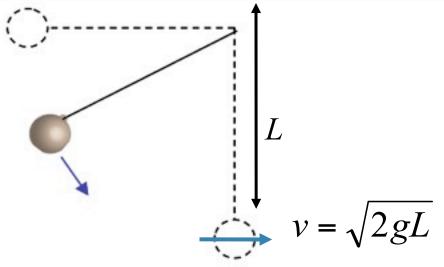
A mass m = 5.8 kg hangs on the end of a massless rope L = 1.97 m long. The pendulum is held horizontal and released from rest.

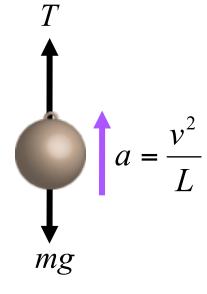
1) How fast is the mass moving at the bottom of its path?



Conserve Energy from initial to final position

$$mgL = \frac{1}{2}mv^2 \longrightarrow v = \sqrt{2gL}$$



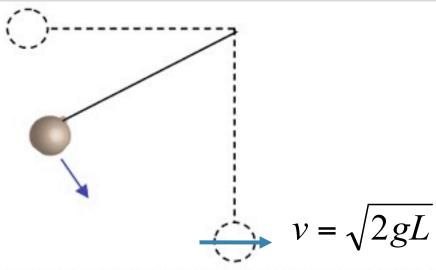


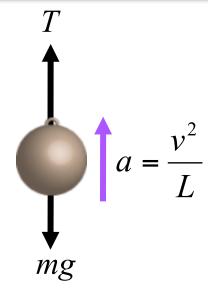
A mass m = 5.8 kg hangs on the end of a massless rope L = 1.97 m long. The pendulum is held horizontal and released from rest.

How fast is the mass moving at the bottom of its path?
 m/s Submit

2) What is the magnitude of the tension in the string at the bottom of the path?

$$T - mg = \frac{mv^2}{L} \qquad \longrightarrow \qquad T = mg + \frac{mv^2}{L}$$





A mass m = 5.8 kg hangs on the end of a massless rope L = 1.97 m long. The pendulum is held horizontal and released from rest.

How fast is the mass moving at the bottom of its path?

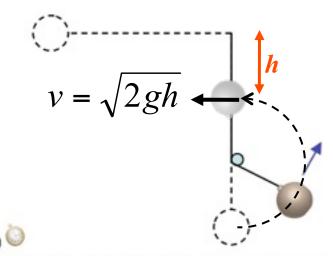
m/s Submit

- 2) What is the magnitude of the tension in the string at the bottom of the path?
 - N Submit
- 3) If the maximum tension the string can take without breaking is T_{max} = 500 N, what is the maximum mass that can be used? (Assuming that the mass is still released from the horizontal and swings down to its lowest point.) kg Submit

$$T = mg + \frac{mv^2}{L}$$

$$T = mg + \frac{m2gL}{I}$$

$$T = 3mg$$



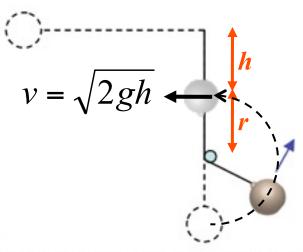
Now a peg is placed 4/5 of the way down the pendulum's path so that when the mass falls to its vertical position it hits and wraps around the peg. As it wraps around the peg and attains its maximum height it ends a distance of 3/5 L below its starting point (or 2/5 L from its lowest point).

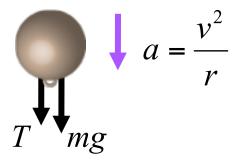
How fast is the mass moving at the top of its new path (directly above the peg)?

m/s Submit

Conserve Energy from initial to final position.

$$mgh = \frac{1}{2}mv^2 \longrightarrow v = \sqrt{2gh}$$





Now a peg is placed 4/5 of the way down the pendulum's path so that when the mass falls to its vertical position it hits and wraps around the peg. As it wraps around the peg and attains its maximum height it ends a distance of 3/5 L below its starting point (or 2/5 L from its lowest point).

How fast is the mass moving at the top of its new path (directly above the peg)?

m/s Submit

5) Using the original mass of m = 5.8 kg, what is the magnitude of the tension in the string at the top of the new path (directly above the peg)?

N Submit

$$T + mg = \frac{mv^2}{r} \longrightarrow T = \frac{mv^2}{r} - mg$$