

```
#rwalk() generates 500 steps of a symmetric random walk and contrasts frequency non-
#convergence with proportion convergence.
```

```
> rwalk
function (n=500,p=.5)
{
  heads=rbinom(n-1,1,p)
  a=2*(heads)-1
  b=diffinv(a,xi=0)
  c=1:n
  pheads=(diffinv(heads,xi=.5))/c
  op=par(mfrow=c(2,1))
  plot(c,b,type="n",main="Law of Averages",xlab="Toss Number",ylab="Excess
of Heads",lw=2,cex.lab=1.5,cex.main=2)
  lines(c,b,col="red")
  lines(c,rep(0,n),col="black")
  plot(c,pheads,type="n",xlab="Toss Number",ylab="Proportion of
Heads",lw=2,cex.lab=1.5)
  lines(c,pheads,col="blue")
  lines(c,rep(.5,n),col="black")
  par(op)
  #Sys.sleep(1)
}
```

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```
# rw() uses a symmetric random walk to mimic the Toronto stock market index over one
#year.
```

```
> rw
function (n=250,p=.5,stepsize=1)
{
  heads=rbinom(n-1,1,p)
  a=(2*(heads)-1)*stepsize
  b=diffinv(a,xi=0)+100
  c=1:n
  plot(c,b,type="n",main="Symmetric Random Walk",xlab="Step
Number",ylab="Net Gain",lw=2,cex.lab=1.5,cex.main=2,ylim=c(80,150))
  lines(c,b,col="red")
  lines(c,rep(0,n)+100,col="black")
}
```

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```
# risky() takes a portfolio of risky companies and shows that, if the companies are
# independent, they can produce a profit quite reliably.
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```
> risky
function (m=1,n=25)
#n is the number of companies
#m is the number of simulations
```

```

#if m=1 just get one portfolio expe
{
  cum=1:m
  for (i in 1:m)
  {
    return=c(-1,-.5,0,3)
    a=sample(return,n,T,c(.25,.25,.25,.25))
    if (m ==1) {plot(table(a),xlab="net returns",ylab="frequency",col="purple")
      pause()
      quartz()
      plot(difffinv(a),type="l",xlab="company
ID",col="green",ylab="cumulative net return")
      text(.75*n,max(a)-1,"Profit=",cex=2)
      text(.75*n,max(a)-2,100*mean(a),cex=2)
      text(.85*n,max(a)-2,"%",cex=2)
      pause()
      my.dotplot(a,xlab="Net Return",col="blue")
    }
    cum[i]=mean(a)
  }
  if (m >1) {my.dotplot(cum,xlab="Average Profit per $1 Invested",col="blue")}
  pause()
  graphics.off()
}

```