

Review:

I Cleveland:

Ch 1 - Intro

Shortcomings of Ordinary Histograms and Scatter Plots for Data Analysis

Value of visualizations for data analysis

Ch 2 - Univariate Data

Singer Data – describe structure of it – why approp here?

Multi-panel graphs

Quantiles and Quantile Plots, interpolation

Q-Q plots and Normal Q-Q Plots – just like scatterplots?

m-d plot – what does it show?

box plot – when is it most useful?

Fits and Residuals – Understanding the process

Monotone Spread – why is it worth noticing?

Additive and Multiplicative shifts

Power Transformations and Log Transformation – when needed

- how to choose a good one, and why needed?

r-f plot, s-l plot – what do they show?

Ch 3 – Bivariate Data

Banking to 45° - aspect ratio – why? how?

Loess Details – choice of alpha, weight function, grid (role of grid?)

Weighted Least Squares – why?

Bisquare – robust fitting – role of weighting – why? how?

Density estimation – kernel estimation – how and how to explain?

weight function role, grid

Jittering (when useful?)

Slicing, choosing overlapping slicing intervals (regression connection?)

Role of variables – prediction vs fitting the data

Time Series examples

Iterative residual analysis

Cut-and-stack plots

Cycle Plots

Brushing and Labeling

## Ch 4 – Trivariate Data

Matrix Plots

Coplots of  $Z$  on  $X_1$  and  $X_2$

Interaction of  $X_1$  and  $X_2$  on  $Z$  - two coplots

Brushing again

Coplots of Fitted Surfaces – rubber data, ethanol data

parametric vs non-parametric approaches (as in ethanol exercise)

Cropping – why? – only for smoothed surfaces?

Level Plots – compare with contour plots

Coplots vs Level Plots – when is one better than the other?

Improvisation (using context to adapt methods)

Contour Plots – method of producing from grid

- use of colour

- choice of number of contours

- effect of smoothing

Level Plots of (Fitted, usually) Surfaces

Wireframe Plots

- varying perspective

## Ch 5 Hypervariate Data

Role of Variables

Matrix Plots and Visual Linking (Brushing)

Four Variable Coplots ( 1 dept + 3 indept)

- Problem with equal count algorithm (p 133 and p 278)

- Looking for interactions in columns, rows and along diagonal of plot matrix

- Use of 3 coplots for same data

- Verbalizing the visualization

Cropping – simple and complex – needed?

Coplots of hypervariate surfaces – how different from coplots of hypervariate data

s-l plots of residuals – purpose and consequences

q-q plots of residuals – purpose and consequences

Simplification using Indexes ( e.g. Iris Elongation p 300)

## Ch 6 Multiway Data

Categorical Variables and Counts

Transformations of Counts (positive measurements are often skewed right)

Making use of unspecified characteristics of a graph (like order of labels, order of panels)

Median ranking for ordering – robustness

Modeling Counts – additive and multiplicative fits – use for residual analysis

Spatial (or geographic) location conditioned on frequency ( Fig 6.11 p 319)

Sections 6.3 can be omitted. 6.4 relates to barley data in book intro.

## II Non-Cleveland Data Sets:

Mercedes – nonparametric smoothing (loess and moving averages)

periodicity and seasonality

bias vs imprecision – choice of degree of smoothing

residual analysis

role of graphics

Bimbo – modeling and simulation to assess missing data

comparison of distributions with ecdf

maximization by evaluation on a grid

role of graphics

Men – predictive vs explanatory models

role of graphics and residual analysis

use and abuse of stepwise methods

the bootstrap for assessing variability

and applicability to complex procedures

parametric approaches – strengths and limitations

Ubi – preprocessing of data with index formation

confounding between experimental conditions

hazards of one-at-a-time adjustment

predictive vs explanatory models

dummy variables

transformations

use of dummy variables

linear spaces as approximations

role of graphics and residual analysis

compromising to obtain partial information

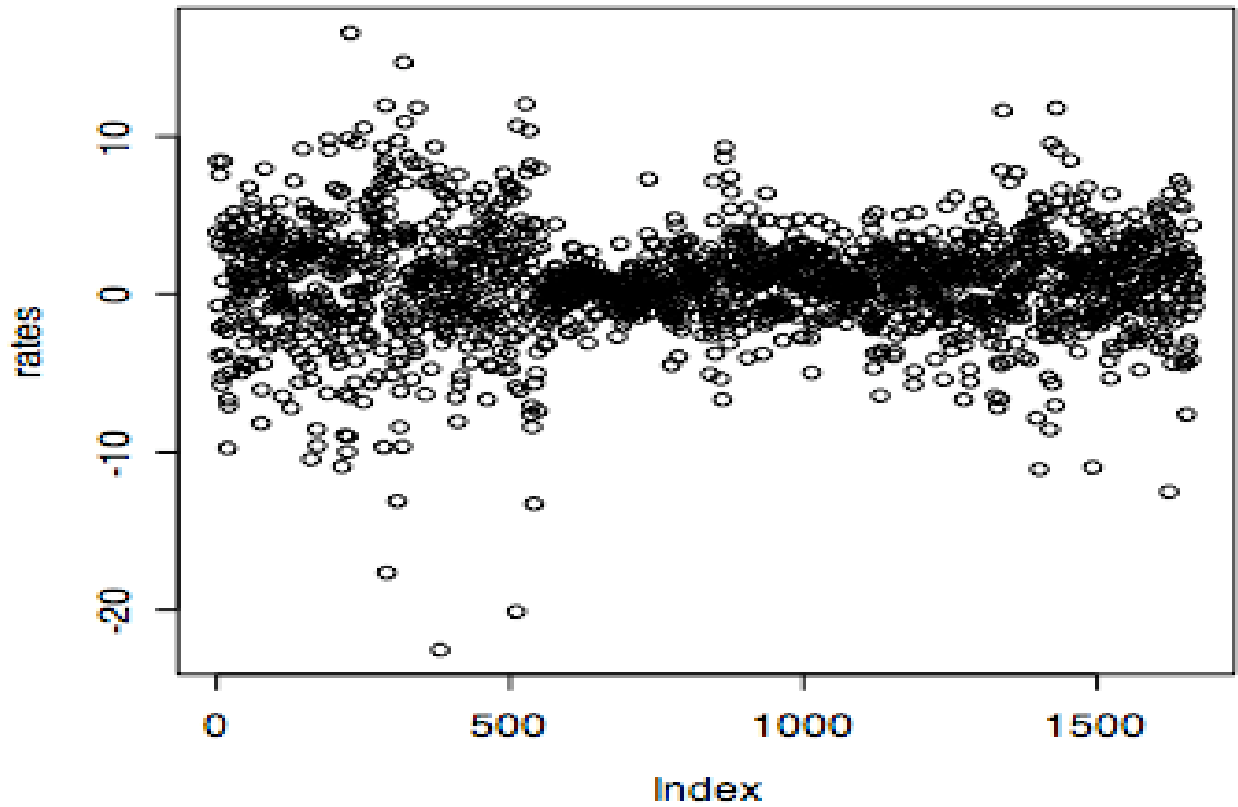
TSE - variability as a characteristic of interest

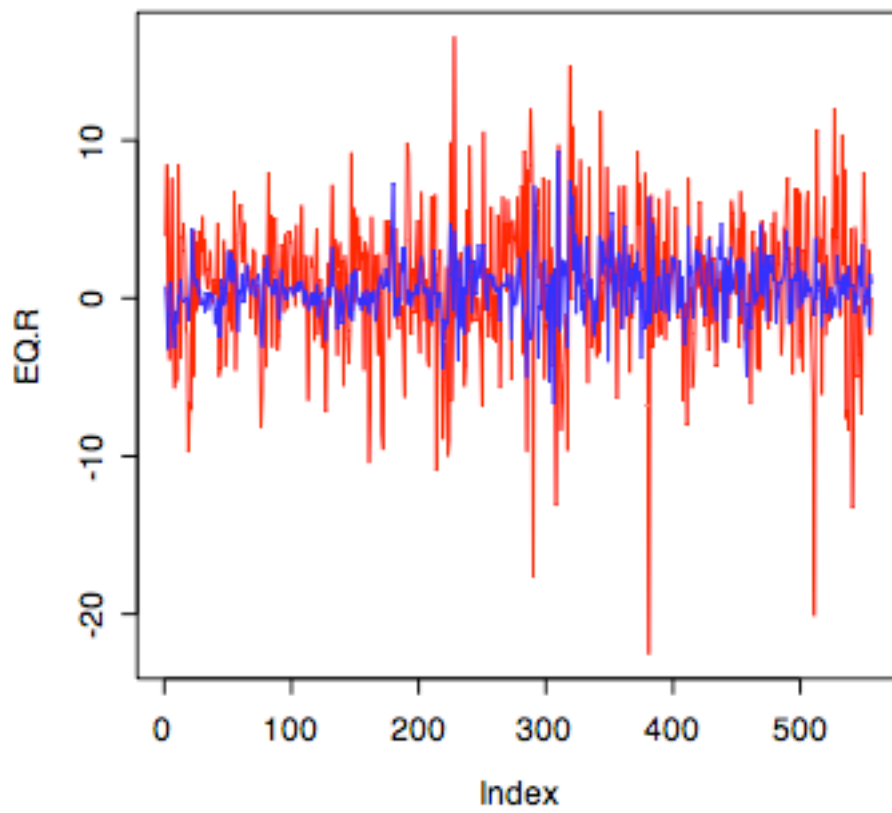
time series serial correlation – symmetric random walk

logarithms and percentage changes

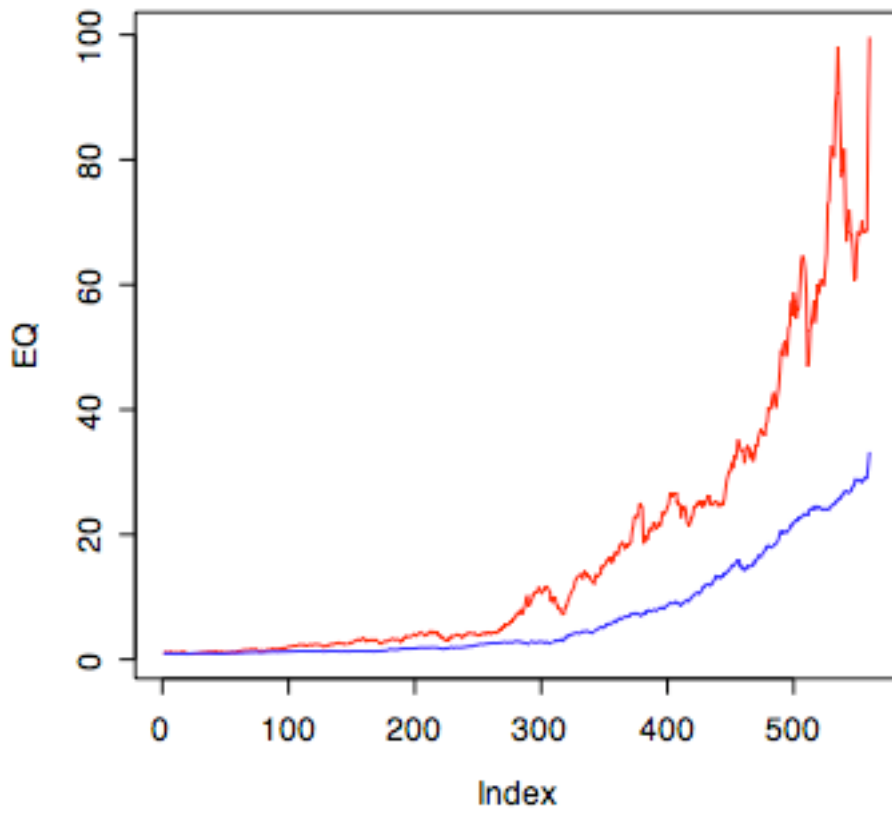
TSE data: Equities and Bonds 1956-2002

```
rates=c(EQ.R,BD.R,MIX.R)  
> plot(rates)  
> plot(EQ.R, type="l",col="red")  
> lines(BD.R,col="blue")
```

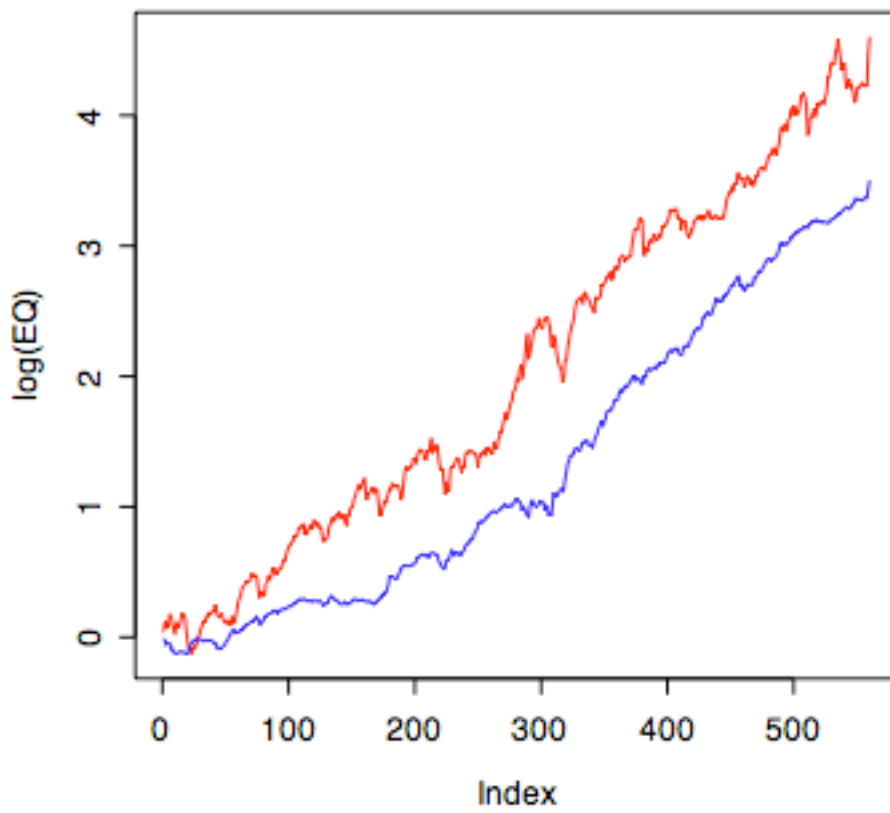




```
plot(EQ,type="l",col="red")  
> lines(BD,col="blue")
```



Now take logs ....(why?)



SD is used as a measure of "risk". Is this right?