



Impact of time-scales on the modeling and characterization of network traffic

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Road map

- **Modeling of Internet traffic**
- Trace-driven simulations
- Simulation scenarios and results
- Wavelet analysis of traffic and packet loss
- References



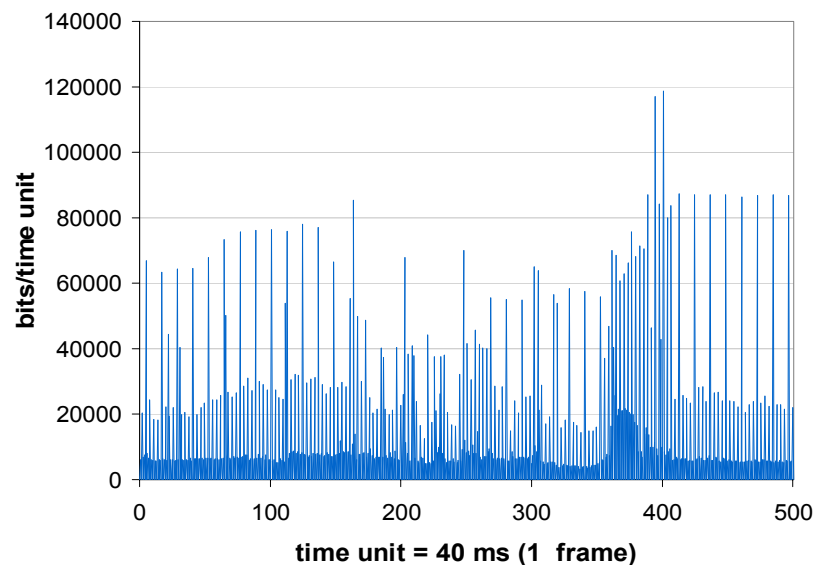
Introduction: traffic patterns

- **Complex** traffic patterns from multiplexed data, voice, image, and video patterns.
- Traditional traffic models **fail to capture** essential characteristics of these traffic patterns.
- Presence of the traffic **invariants** has been detected in traffic traces.
- Traffic exhibits **long-range dependent** (self-similar, fractal, **chaotic**) behavior.

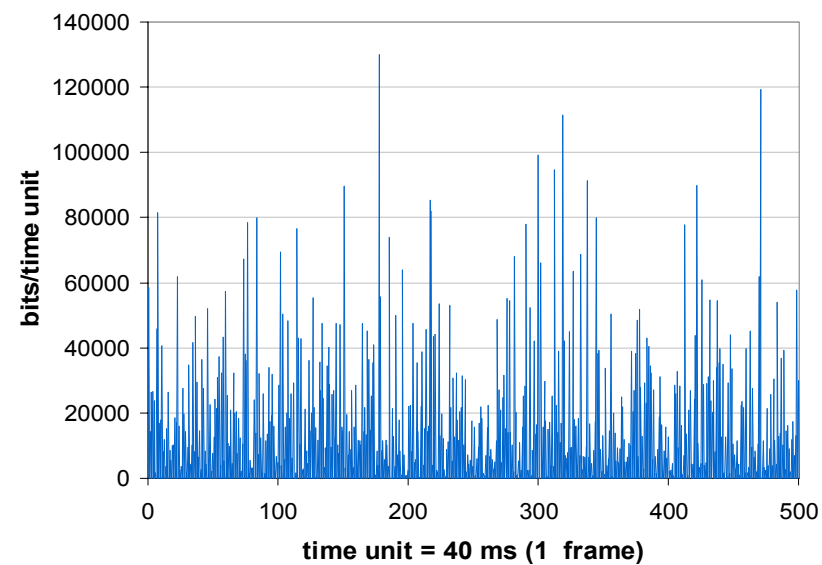


Self-similar traffic patterns

Genuine MPEG traffic trace



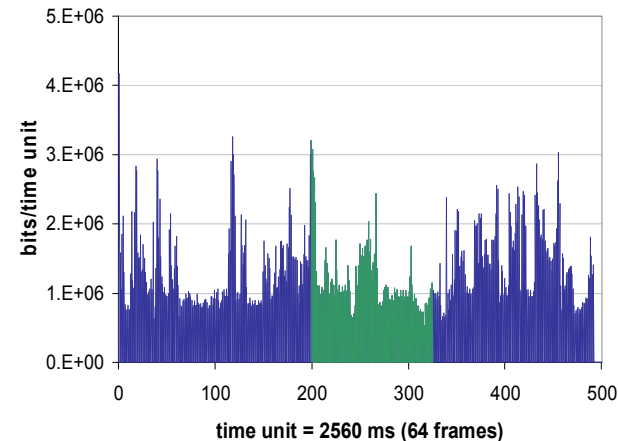
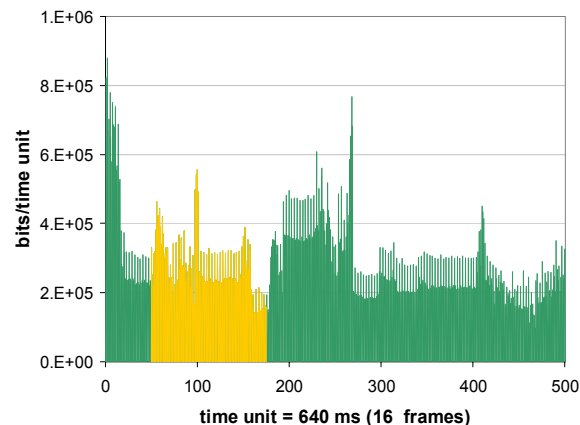
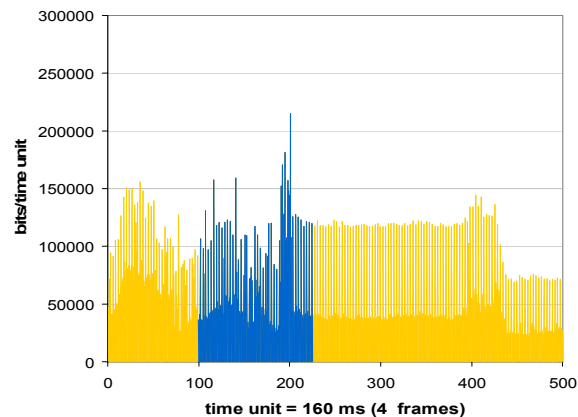
Poisson model



The two traces have identical mean.

Influence of time-scales

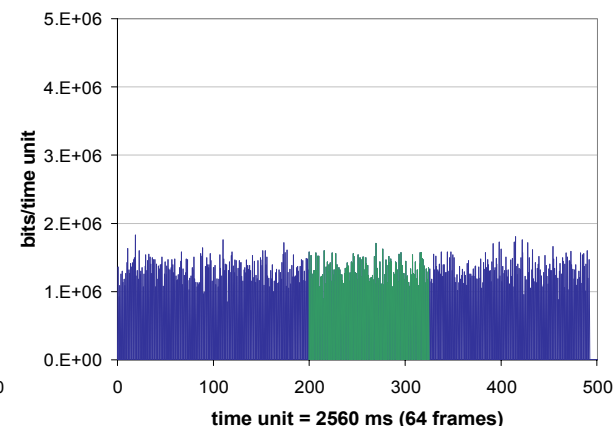
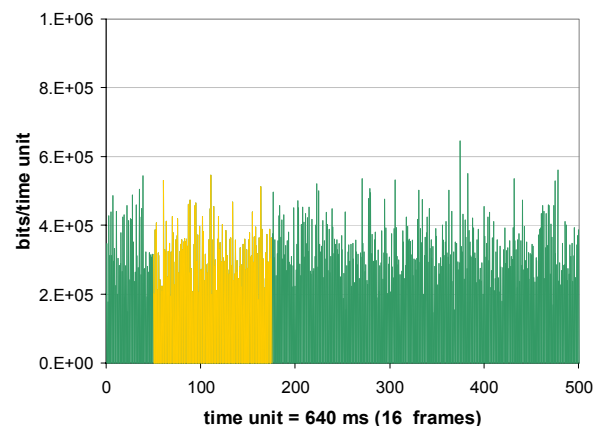
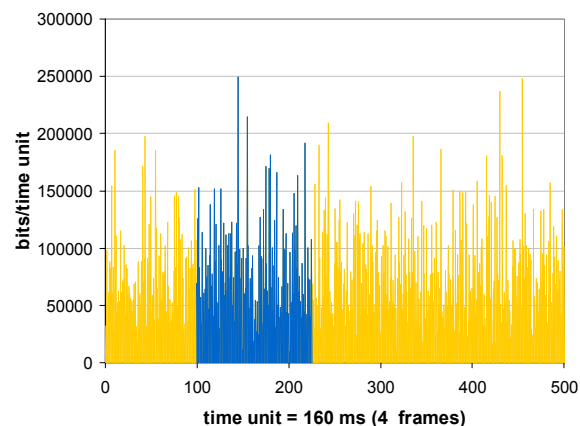
- Genuine MPEG traffic trace:



W. Leland, M. Taqqu, W. Willinger, and D. Wilson, "On the self-similar nature of Ethernet traffic (extended version)," *IEEE/ACM Trans. Networking*, vol. 2, pp. 1 – 15, 1994.

Influence of time-scales

- Synthetically generated Poisson model:

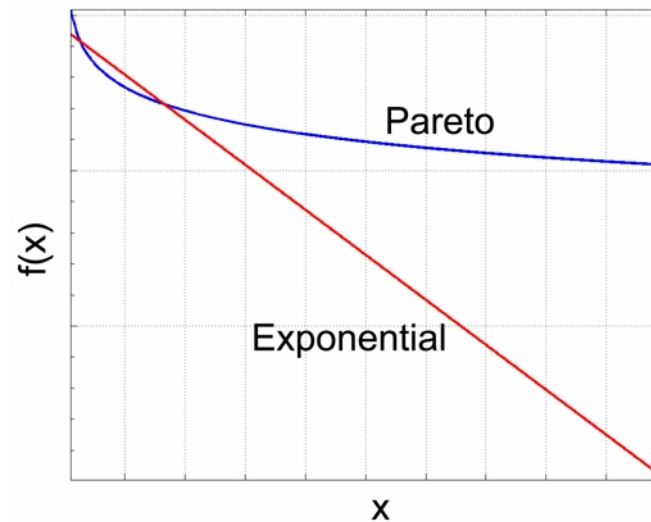


W. Leland, M. Taqqu, W. Willinger, and D. Wilson, "On the self-similar nature of Ethernet traffic (extended version)," *IEEE/ACM Trans. Networking*, vol. 2, pp. 1 – 15, 1994.



Heavy-tailed distributions

- Pareto distribution can be used to model the distribution of packets and packet loss:





LRD and Hurst parameter

- Self-similar process:
 - long-range dependent (LRD)
 - fractal
 - with heavy-tailed distributions
 - Hurst parameter: $0.5 < H < 1$
- Network traffic often exhibits self-similarity.



LRD and Hurst parameter

Long-tailed distributions:

- variance of a sample mean $X^{(m)}$ decreases (slowly) as:

$$\text{var}(X^{(m)}) = \sigma^2 m^{-\beta}$$

- power spectral density of a self-similar process is:

$$\Gamma(\nu) = c \cdot |\nu|^{-\alpha}$$

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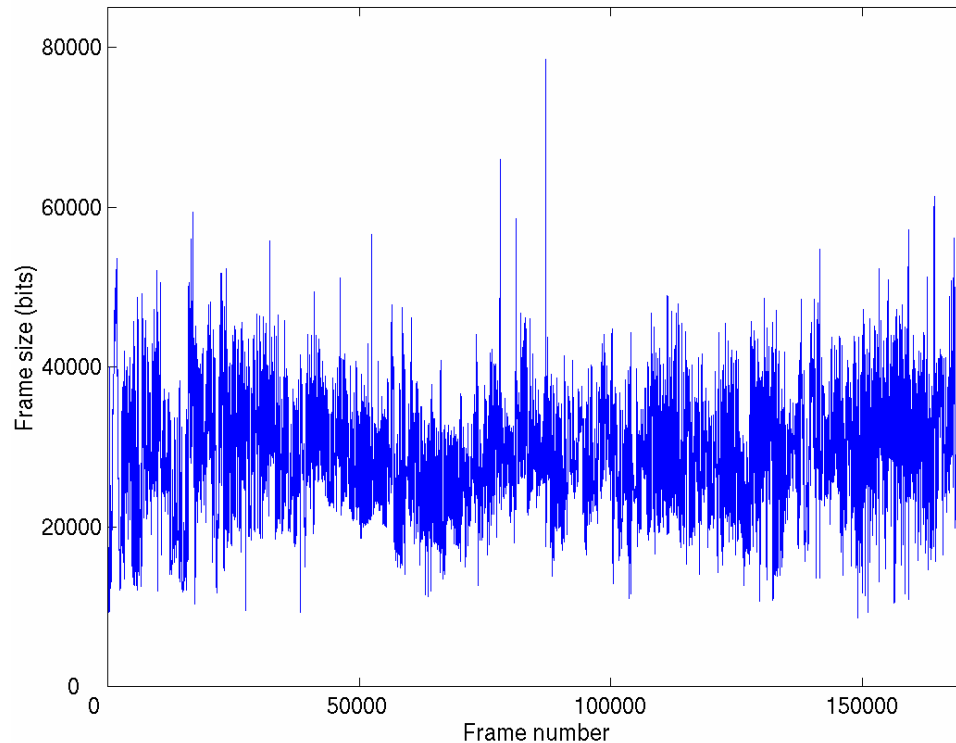


Introduction: simulations

- Computer simulation and empirical techniques play an important role in understanding networks' behavior.
- We use genuine traffic traces to simulate loss in packet networks such as Internet.
- Simulation results indicate that underlying transport protocols and time-scales are essential for understanding loss behavior in packet networks.



Traffic patterns: "Star Wars" trace



- 170,000 frames (2 hours)
- 24 frames a second
- each source starts at a random point within the trace
- at the end, the trace wraps around to its beginning



Video traces

Traces last 30 minutes.

- Two types of traces:
 - movies: action scenes
 - still videos: parking camera

Sources:

<http://nero.informatik.uni-wuerzburg.de/MPEG>

<http://www-tnk.ee.tu>

<http://www.berlin.de/research/trace/trace.html>



Quality of Service parameters

- Packet loss occurs in the routers, on the links, at the end hosts:
 - packet loss probability
 - packet loss behavior
- Packet delay
- Packet delay jitter (cell delay variation)

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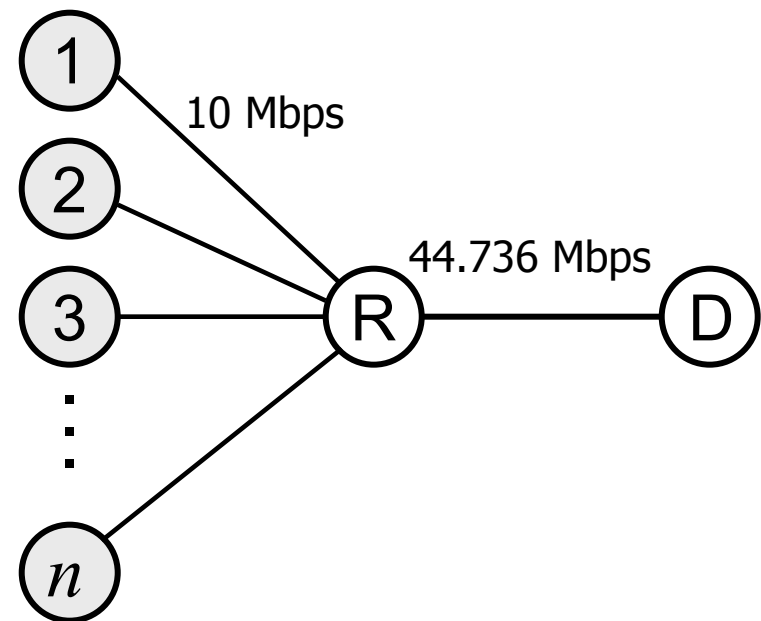
ns-2 network simulator

- Collaborative project among USC, Xerox PARC, LBL, and UCB (<http://www.isi.edu/nsnam/ns>)
- Discrete event network simulator
- Open source code
- Provides support for various:
 - network protocols
 - topologies
 - traffic generators
 - queue management and packet scheduling techniques



Simple simulation scenario

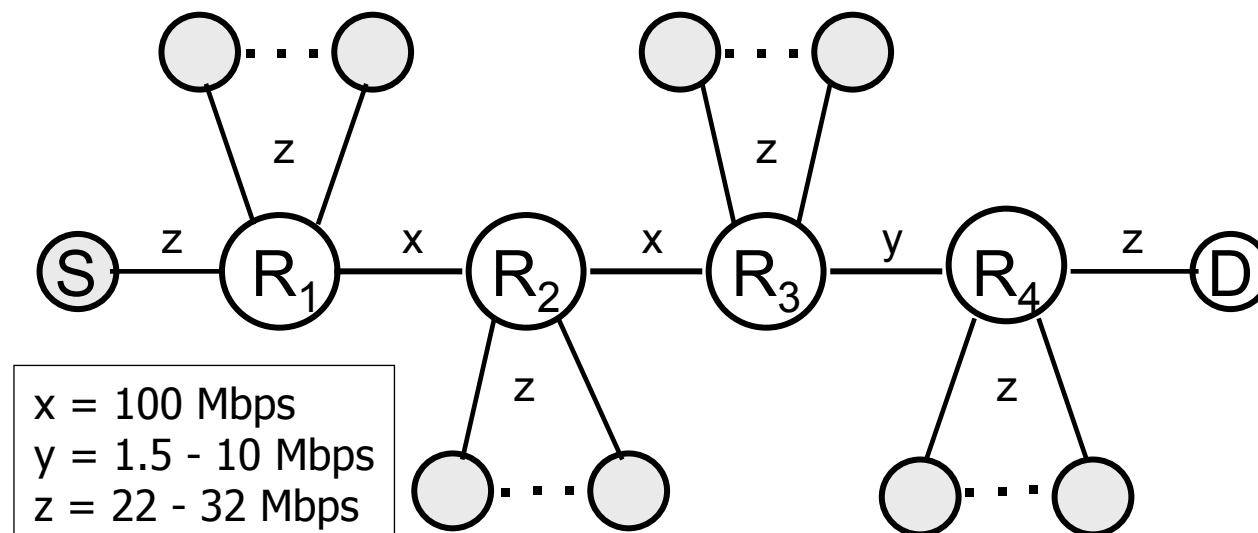
- n video sources, one router, and one sink (destination)
- DropTail queue with buffer size set according to delay requirements
- Trace-driven simulation using genuine video traffic traces (*Star Wars* and *Talk show*)
- Three subscenarios:
 - all sources use **User Datagram Protocol**
 - all sources use **Transmission Control Protocol**
 - mixed UDP/TCP traffic



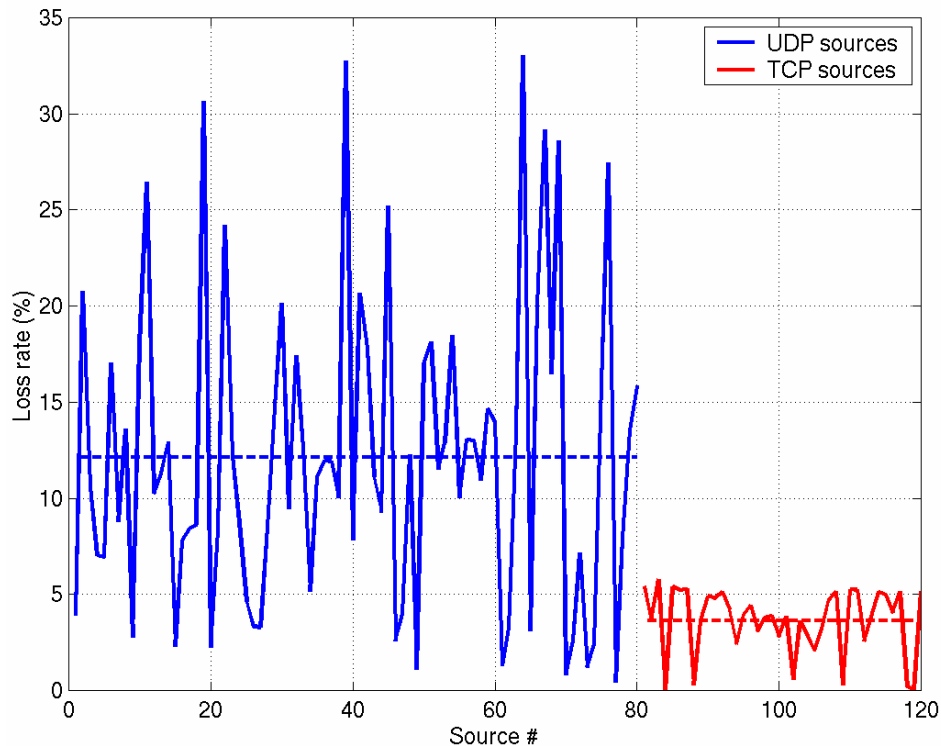
Buffer size: 46 or 200 packets
Packet size: 552 bytes

Complex simulation scenario

- Four transit routers and 200 end hosts
- Mix of network traffic (Web, FTP, and video)



Packet loss rates: mixed UDP and TCP sources



- Packet loss rate for the UDP sources is much larger than the packet loss rate for the TCP sources

Simulation run with 80 UDP and 40 TCP sources,
and buffer size of 50 Kbytes (9.2 msec).

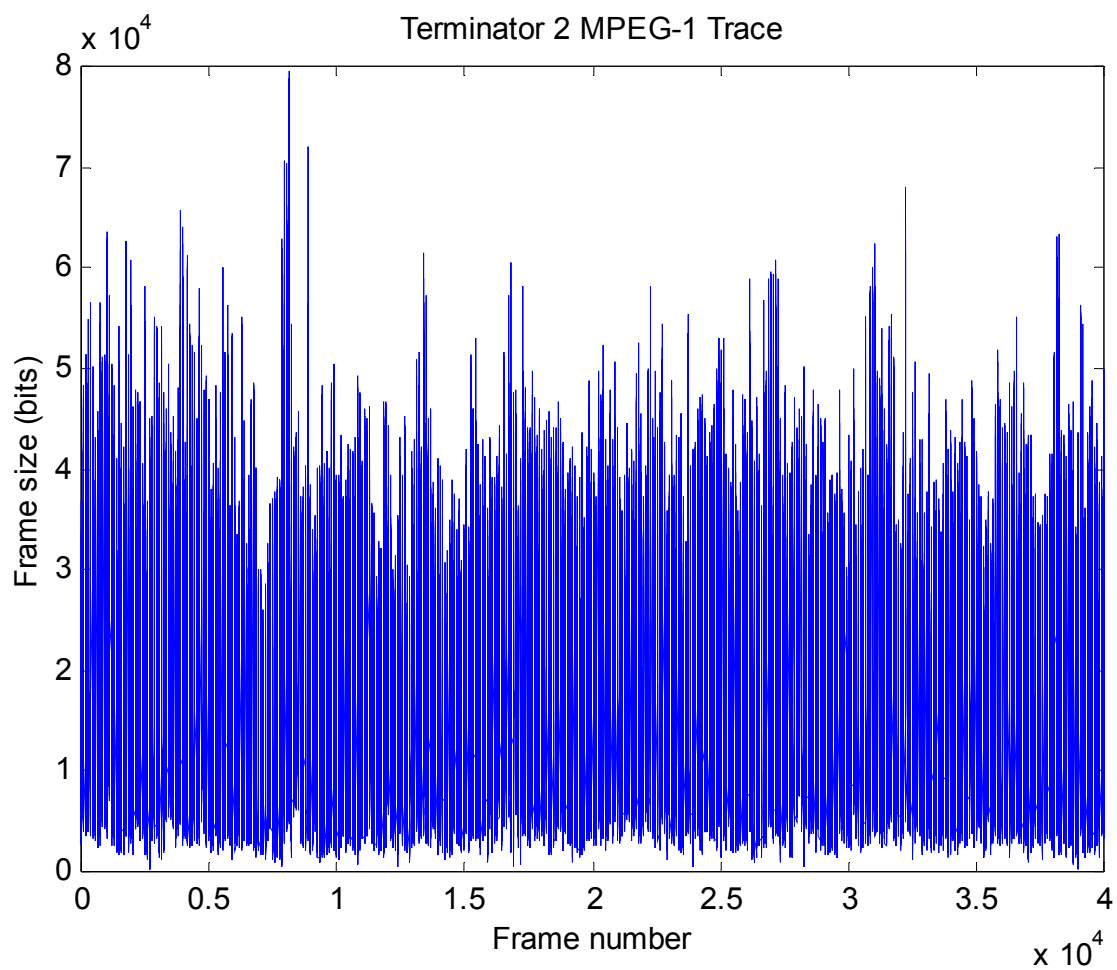


MPEG traces

- Genuine MPEG-1 traces from Institute of Computer Science in University of Wuerzburg [Rose, 1995]
- Record frame size
- 25 frames per second
- Each trace lasts approximately 30 minutes (40,000 frames)



MPEG traces





MPEG traces

Trace	Mean bit rate (Mbps)	Hurst parameter
Silence of the Lambs	0.18	0.89
Terminator 2	0.27	0.89
MTV	0.49	0.89
Simpsons	0.46	0.89
Talk show 1	0.36	0.89
Jurassic park 1	0.33	0.88
Mr. Bean	0.44	0.85
News	0.38	0.79
Star Wars	0.36	0.74
Talk show 2	0.49	0.73



Simulation results: packet loss

Trace-driven simulations with “Star Wars” trace indicate:

- Increased link utilization causes lengthier loss episodes.
- Periods of lower congestion are characterized with more frequent loss episodes of length one (single packet loss episodes) and with wider loss episode distances.
- Similar behavior was observed with other traffic traces: “Talk show” from the University of Würzburg archive.



Simulation results: TCP

TCP transfers:

- Lower packet loss rates than in the case of UDP transfers due to the congestion control mechanisms in TCP transfers.
- Short packet loss episodes: loss episodes of length **one** contribute over 90% of the overall loss.



Comparison of queuing mechanisms

- FIFO/DropTail
- Random Early Drop (RED)
- Fair Queuing (FQ)
- Stochastic Fair Queuing (SFQ)
- Deficit Round Robin (DRR)



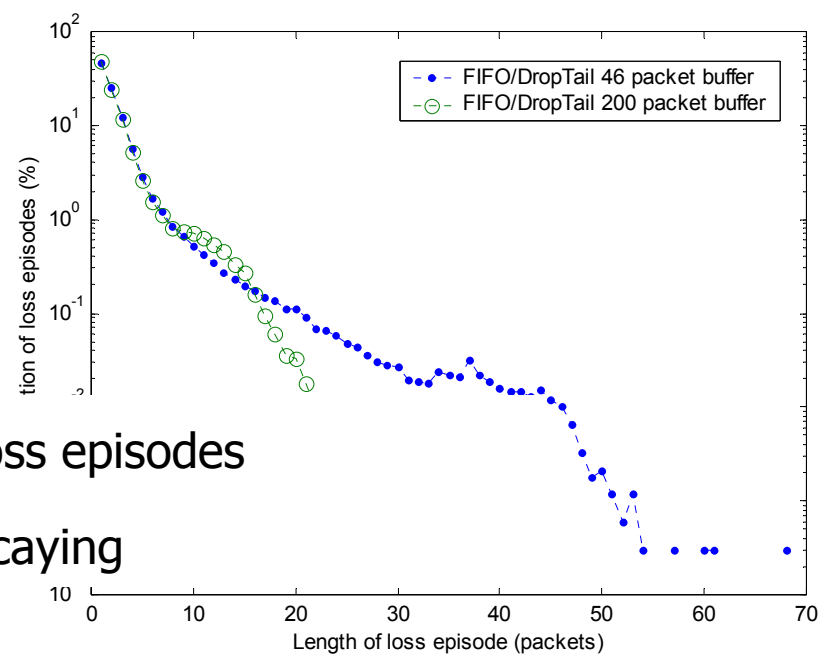
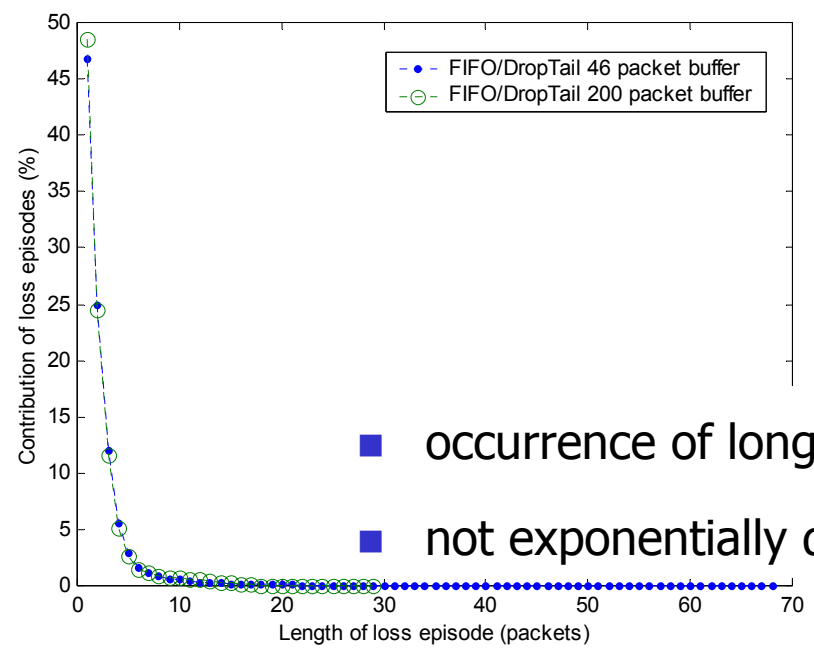
FIFO/DropTail queuing scheme

- Focus of our studies:
 - aggregate packet loss
 - per-flow packet loss
 - packet delay
 - delay jitter



Aggregate packet loss: buffer size

- Contribution of loss episodes of various lengths (100 sources)

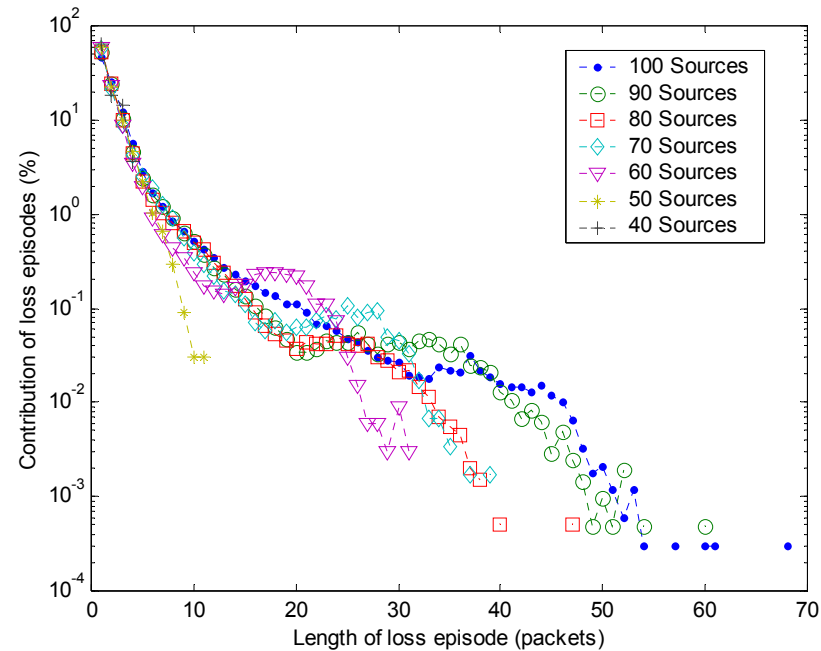


- occurrence of long loss episodes
- not exponentially decaying



Aggregate packet loss: traffic load

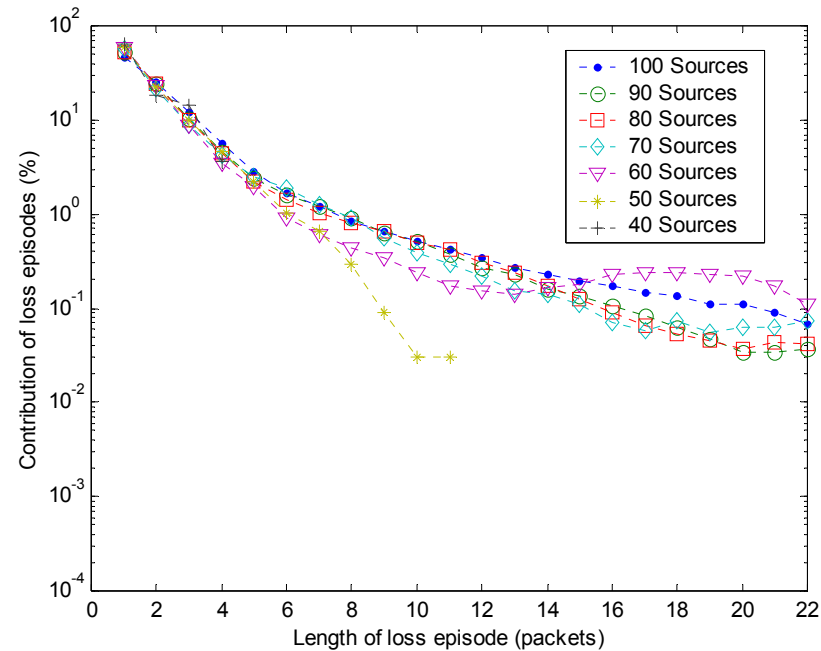
- Contribution of loss episodes (46 packet buffer)
- 40 to 100 traffic sources (33% to 82% traffic load)





Aggregate packet loss: traffic load

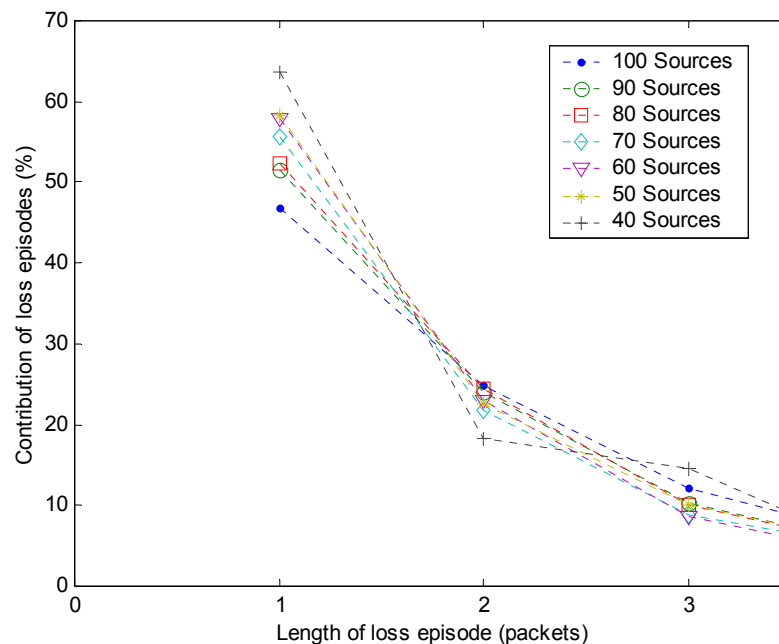
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Aggregate packet loss: traffic load

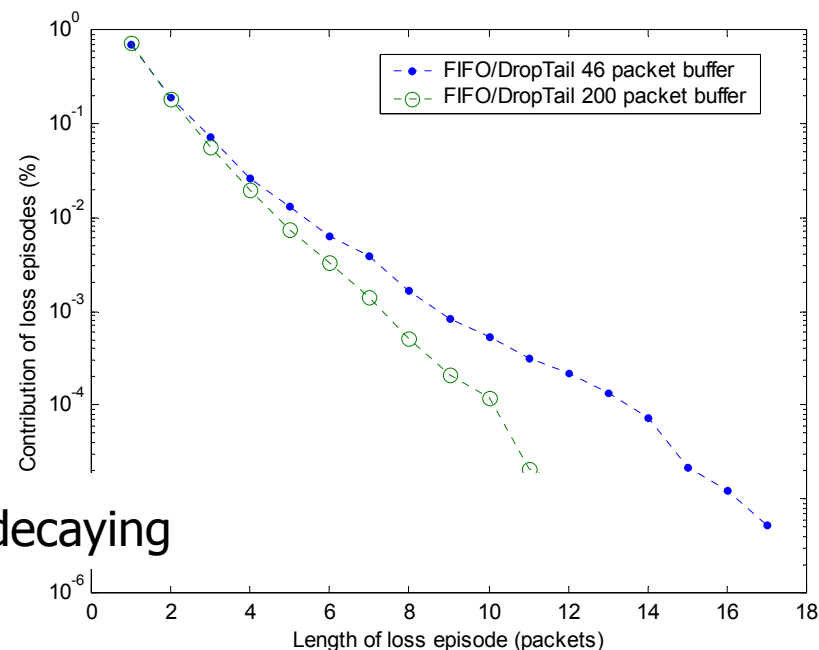
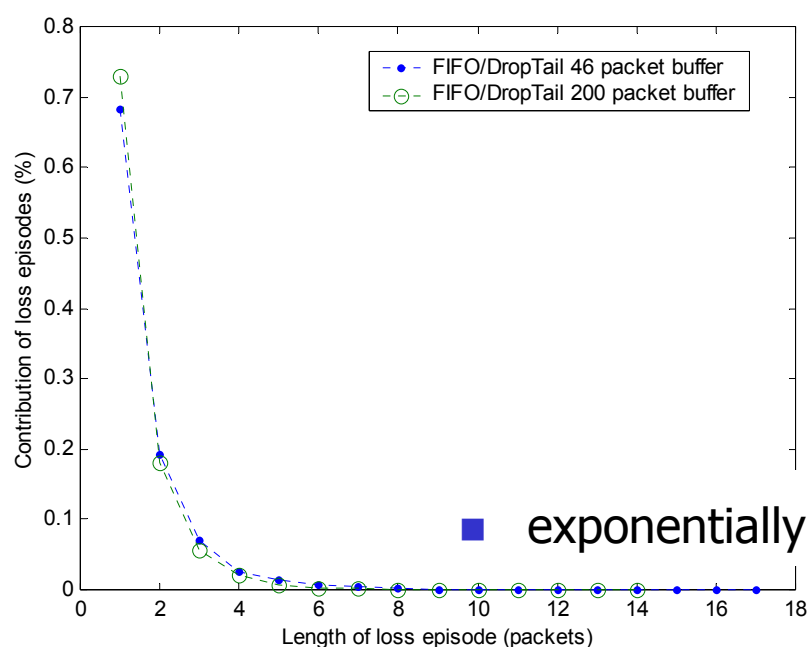
- Contribution of loss episodes (46 packet buffer)
- 40 to 100 traffic sources (33% to 82% traffic load)





Per-flow packet loss: buffer size

- Contribution of loss episodes of various lengths, averaged over all flows (100 sources)



■ exponentially decaying



Simulation results: other schemes

- Random Early Drop (RED)
- Fair Queuing (FQ)
- Stochastic Fair Queuing (SFQ)
- Deficit Round Robin (DRR)



Random Early Drop (RED)

- Two thresholds: min_{th} and max_{th}
- Monitors buffer size, drops packet as congestion occurs:
 - between min_{th} and max_{th} : drop incoming packets
 - above max_{th} : drop packets from inside the buffer
- Congestion avoidance mechanism
- Originally designed for TCP [Floyd and Jacobson, 1993]

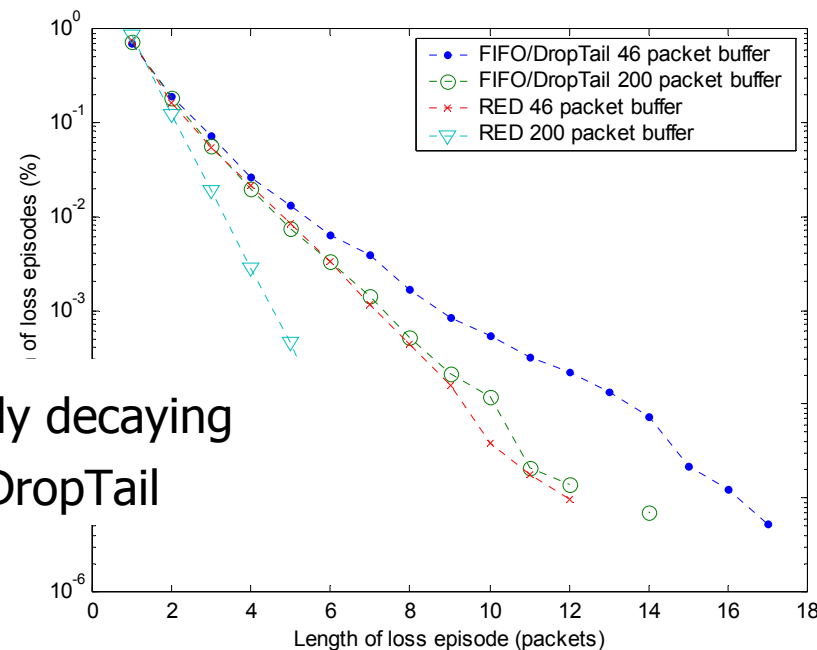
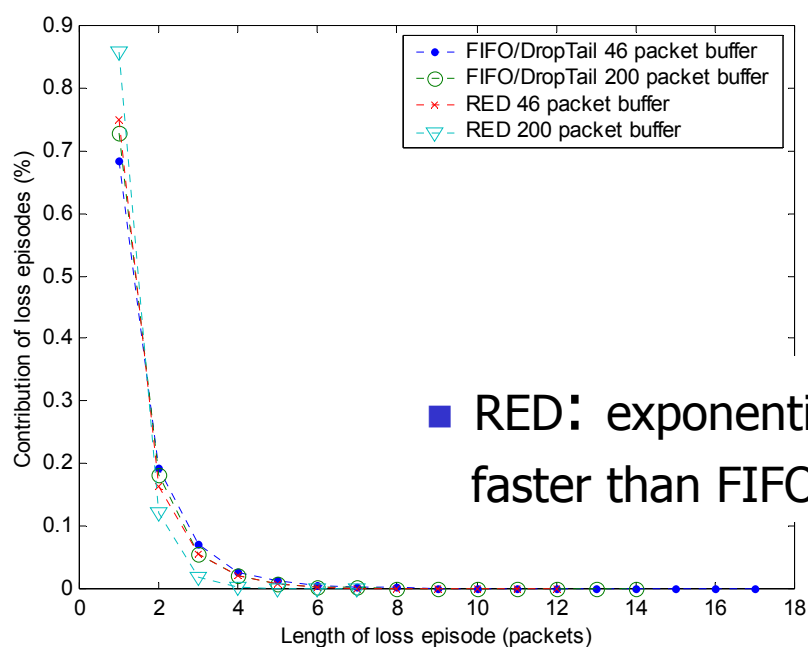


RED simulation results

- 100 sources, 10 MPEG traces, buffer sizes of 46 and 200 packets
- Comparison of RED to FIFO/DropTail in terms of:
 - per-flow packet loss
 - per-flow load, throughput, and loss

Per-flow packet loss: buffer size

- Contribution of loss episodes of various lengths, averaged over all flows (100 sources)



■ RED: exponentially decaying faster than FIFO/DropTail

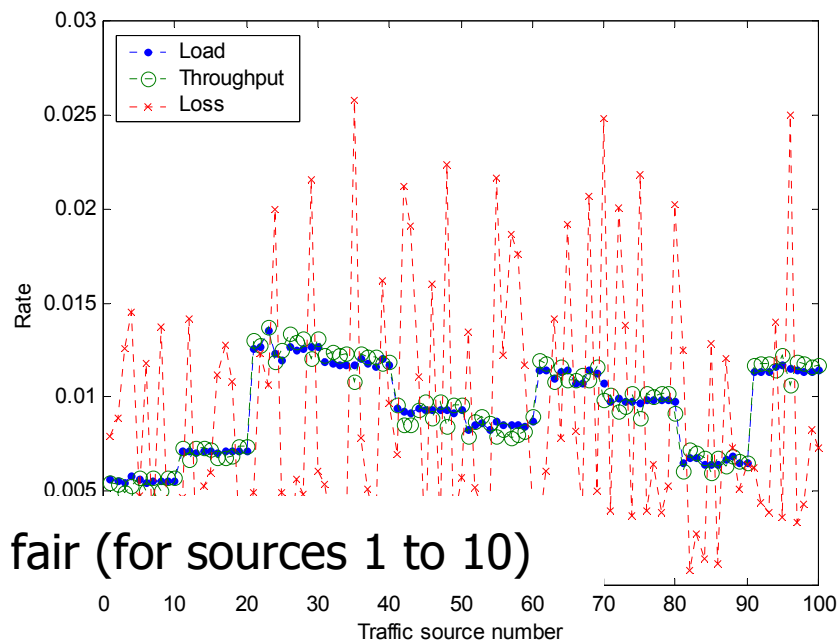
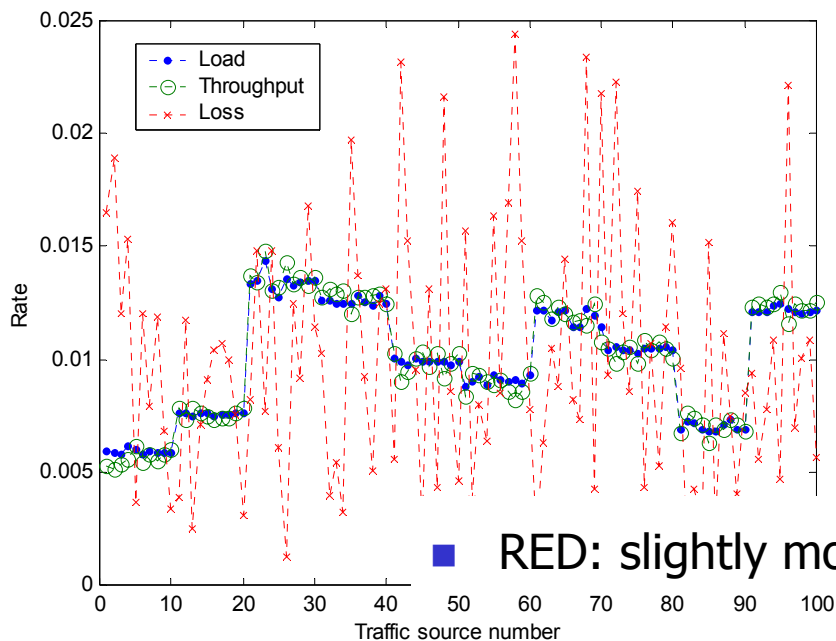


Per-flow load, throughput, and loss

46 packet buffer

FIFO/DropTail

RED





Simulation details

- Comparison between FIFO/DropTail and RED
- Comparison of FQ, SFQ, and DRR
 - FQ, SFQ, DRR employ per-flow queuing
 - ns-2 employs packet-queues for FQ and SFQ
 - FQ and DRR are designed to fairly serve traffic flows with variable packet sizes



Simulation results

- RED and FIFO/DropTail comparison
 - RED: better loss pattern and delay distribution
- FQ, SFQ, and DRR comparison
 - SFQ: best loss pattern and delay distribution
 - DRR: best fairness



Other queue management schemes

- Impact of various queue management policies on packet loss and delay patterns:
 - FIFO/DropTail
 - Random Early Drop (RED)
 - Fair Queuing (FQ)
 - Stochastic Fair Queuing (SFQ)
 - Deficit Round Robin (DRR)
 - Class Based Queuing

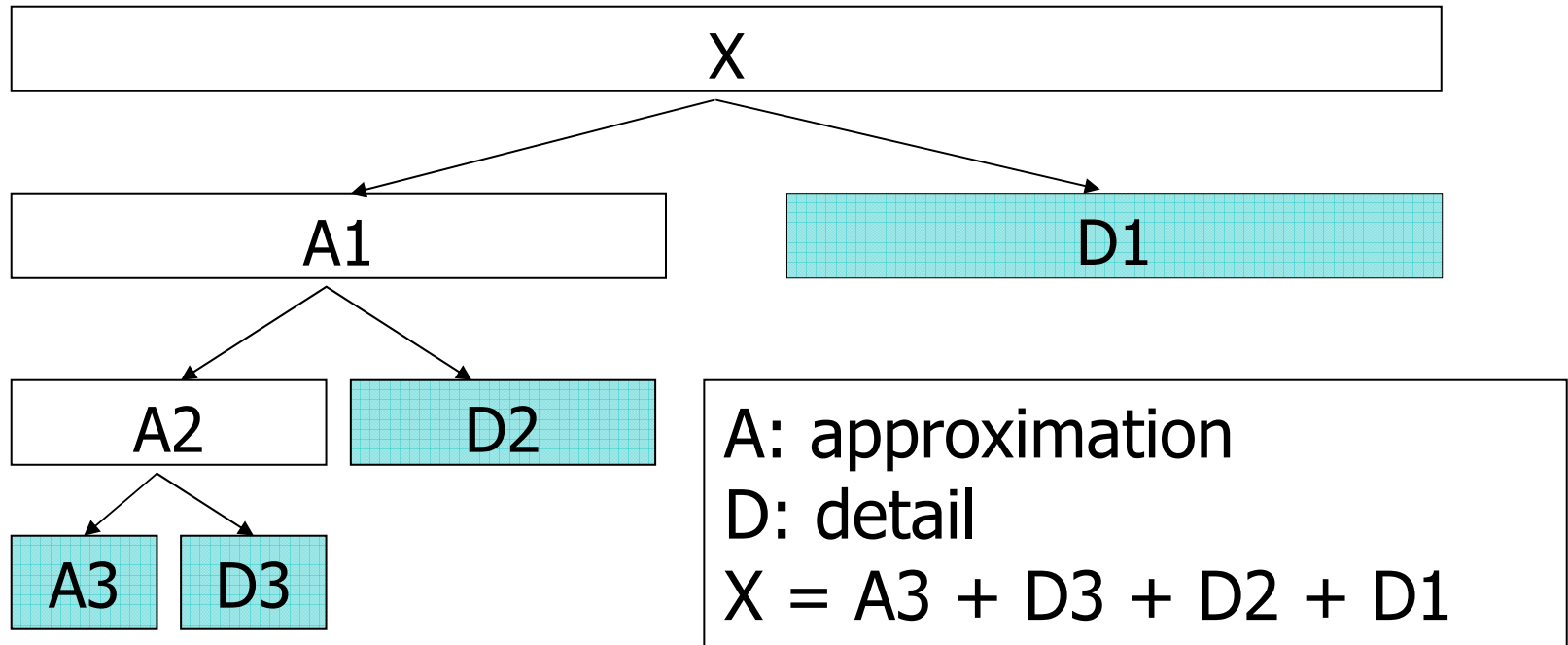


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Wavelet analysis



$$x(t) = \text{approx}_J(t) + \sum_{j=1}^J \text{detail}_j(t)$$



Wavelets

- Daubechies wavelets
- Scaling function:

$$\varphi(x) = \sum_k a_k^0 \cdot \varphi(mx - k)$$

- Wavelet function:

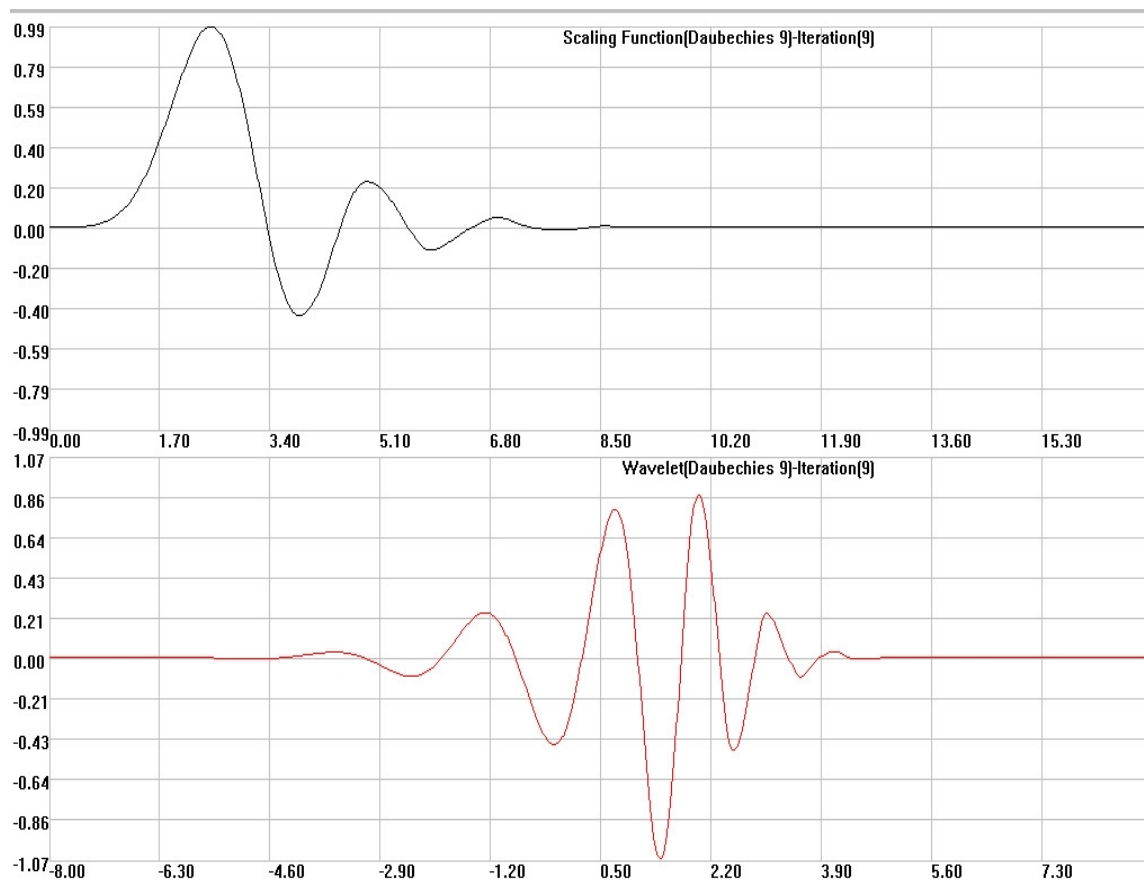
$$\psi^r = \sum_k a_k^r \cdot \varphi(mx - k)$$

$$r = 1, \dots, m-1$$

- m – rank, a - coefficients (Daubechies wavelets)



Daubechies wavelet (genus 9)





Estimation using wavelets

- Wavelets themselves exhibit self-similarity.
- Set of coefficients $d_X(j, k)$ are obtained from DWT:
 - $d_X(j, \cdot)$ are stationary sequences of uncorrelated processes
 - processes $d_X(j, \cdot)$ and $d_X(j', \cdot)$, $j \neq j'$, are uncorrelated
 - process X and, hence, processes $d_X(j, \cdot)$ are Gaussian
- $d_X(j, \cdot)$ satisfy: $E(d_X(j, k)^2) = 2^{j(2H+1)}E(d_X(0, k)^2)$



Monofractal estimator

- **Monofractal** property of a statistical process is homogenous: it does not depend on time scales.
- Monofractal **wavelet estimator** relies on second order statistics in characterizing a statistical process.



Monofractal estimator

$$\Gamma(2^{-j} \nu_0) = \frac{1}{n_j} \sum_k |d(j, k)|^2$$

Γ : spectrum of time series
 $d(j, k)$: detail coefficients at level j
 n_j : number of coefficients at level j

P. Abry and D. Veitch, "Wavelet analysis of long-range-dependent traffic," *IEEE Trans. Information Theory*, vol. 44, pp. 2-15, 1998.

Monofractal estimator of the Hurst parameter

- Linear relationship between $\log_2(\Gamma)$ and j indicates LRD.
- $\log_2(\Gamma) = (2H - 1)j + c$, H : estimated Hurst parameter
- Scale level j :
 - time-scale = 2^j
 - large j implies coarser time-scales
- Regression analysis is sensitive to the chosen range.



Multifractal estimator

- Self-similar property is not homogenous and depends on time scales:

$$\Gamma_X \approx c_f |\nu|^{\alpha(t)}$$

- Γ : spectrum of autocorrelation function of the time series
- c_f : constant
- ν : frequency
- $\alpha(t)$: parameter, a function of t



Multifractal estimators

Statistics other than the second order is employed:

$$S_q(j) = \frac{1}{n_j} \sum_k |d_X(j, k)|^q \approx C(q) \times 2^{j\alpha(q)}$$

- $S_q(j)$: q-th order moment
- n_j : number of coefficients at level j
- $d(j, k)$: detail coefficients at level j
- $C(q)$: constant for given q
- $\alpha(q)$: scaling exponent

Multifractal estimator of the Hurst parameter

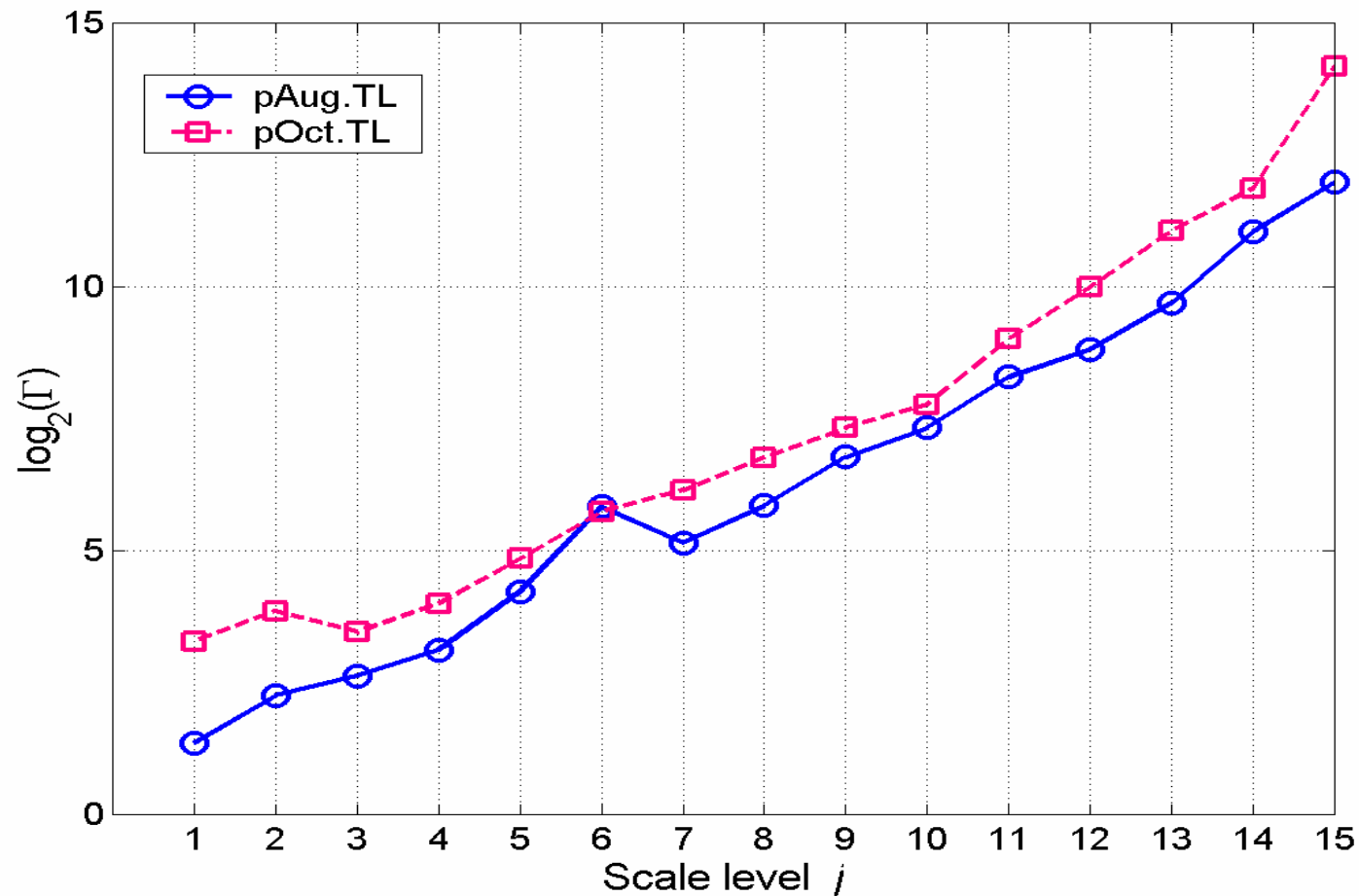


- Linear relationship with slope $\alpha(q)$ between $\log_2(S_q(j))$ and j for fixed q indicates scaling behavior.
- Monofractal processes: linear relationship between $\alpha(q)$ and q .
- For monofractal LRD processes:

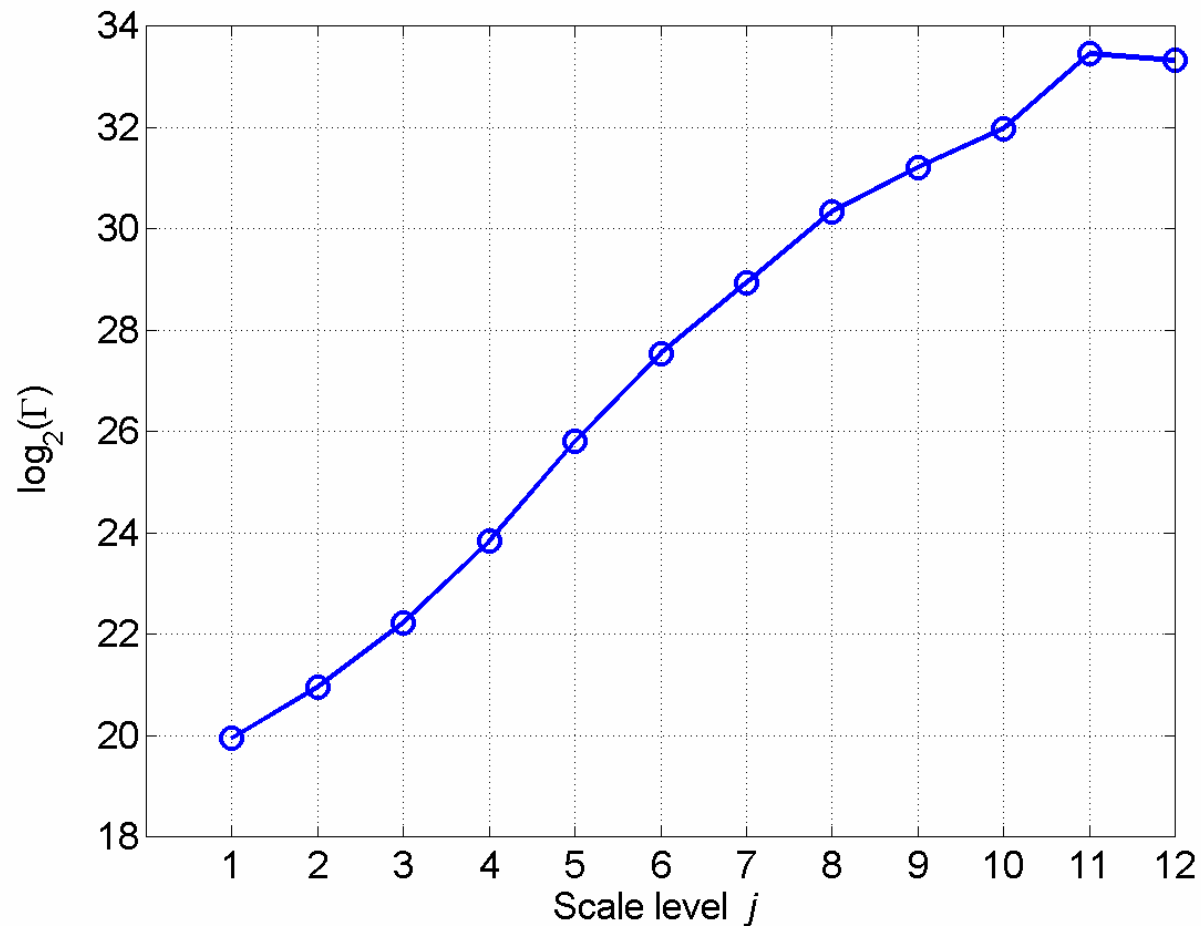
$$H = \frac{\alpha(q)}{q} + \frac{1}{2}$$

- H : Hurst parameter

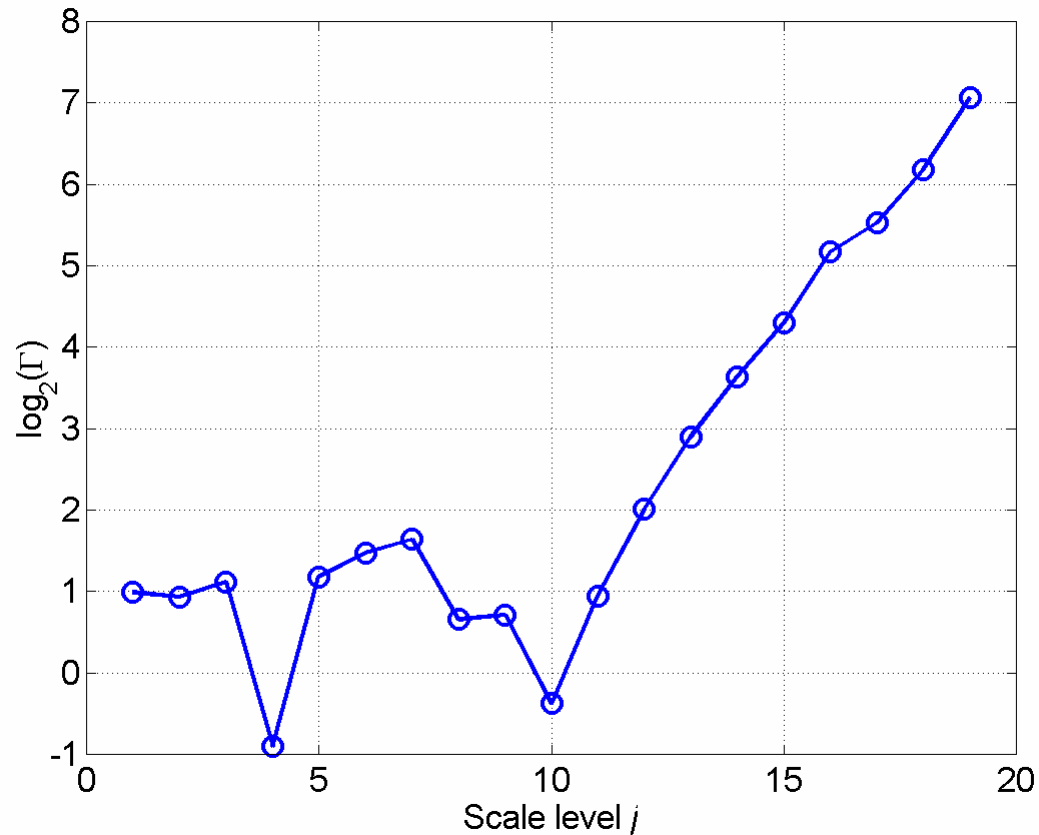
Wavelet analysis of Ethernet traffic traces from Bellcore



Wavelet analysis of the "Star Wars" traffic trace



Wavelet analysis of the traffic trace after packetization



Graph exhibits a linear behavior for $j \in [10, 19]$.



Characteristics of the “Star Wars” traffic trace



- “Star Wars” traffic is of medium-burstiness.
- Estimated Hurst parameter is $H = 0.84 \sim 0.97$:
 - R/S analysis
 - variance-time plots
- The coexistence of both:
 - LRD: long-range dependent
 - SRD: short-range dependentcomponents is due to the scene changes and the coding algorithms.

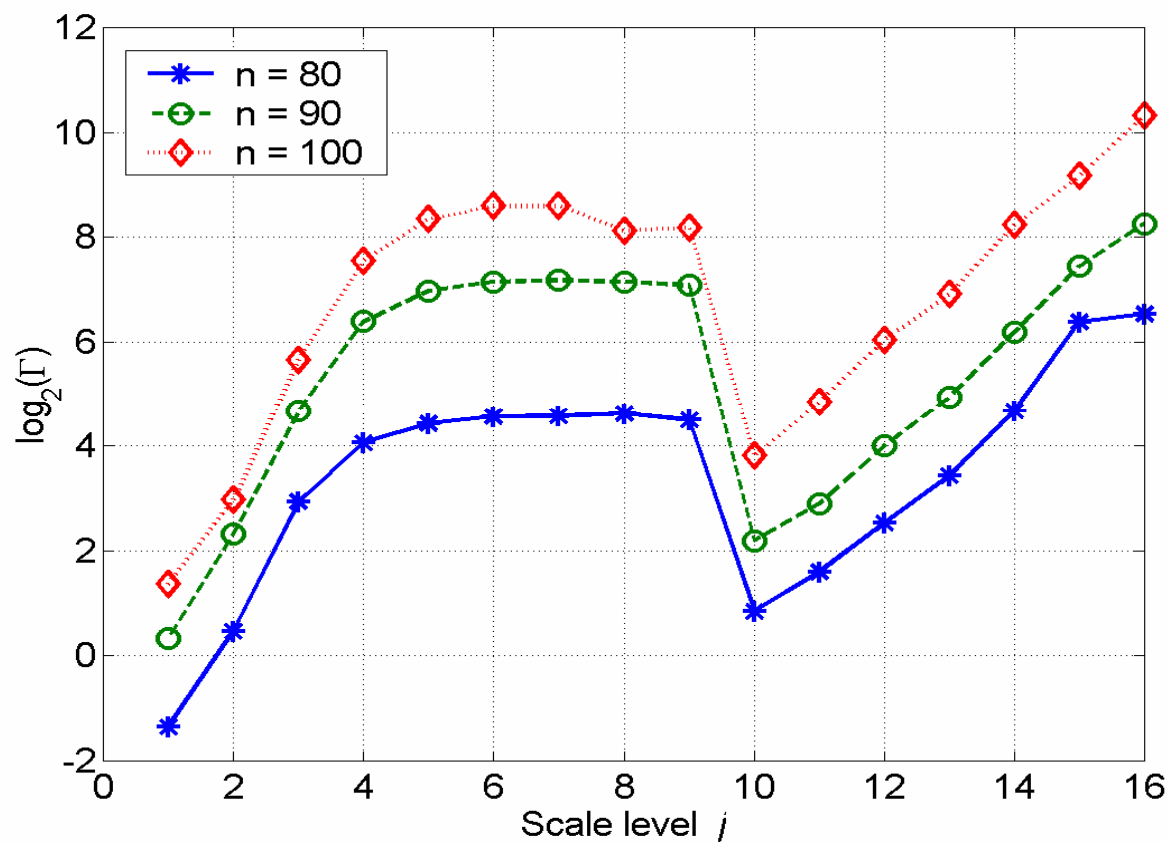


Wavelet analysis of packet loss

- We use wavelet-based analysis to detect both the **presence** and the **location** of LRD.
- Loss rate process:
each sample represents the number of lost packets over 1 ms interval.



ns-2 simulation results: packet loss



Buffer size $B = 100$ Kbytes.



Packet loss and time-scales

- Packet loss behavior and loss properties vary over different time-scales.
- Linear relationship between $\log_2(\Gamma)$ and j is evident for the coarser scales, i.e., beyond the break-point $j = 10$ (equivalent to 2^{10} ms).



Video traces

Traces last 30 minutes.

- Two types of traces:
 - movies: action scenes
 - still videos: parking camera

Sources:

<http://nero.informatik.uni-wuerzburg.de/MPEG>

<http://www-tnk.ee.tu>

<http://www.berlin.de/research/trace/trace.html>



Video traces: sources

- Genuine MPEG-1 traces from Institute of Computer Science in University of Wuerzburg [Rose, 1995]
- MPEG-4 and H263 traces from University of Berlin
- 25 frames per second
- Each trace lasts approximately 30 minutes (40,000 frames)



Video traces: coders

- Three coders: MPEG-1, MPEG-4, H263
- MPEG: Motion Picture Experts Group
- H263: ITU recommendation H263
- All three coders use:
 - discrete cosine transformation
 - predictive encoding.
- MPEG-1 and H263 coders are similar and both are frame based.
- MPEG-4 is more efficient and it is object based.



Video coders: examples

- Wavelet analysis may indicate a difference between coders.
- We experimented with video traces coded with both MPEG-4 and H263.
- Example: 30-minute trace from a cartoon named “Simpsons”.

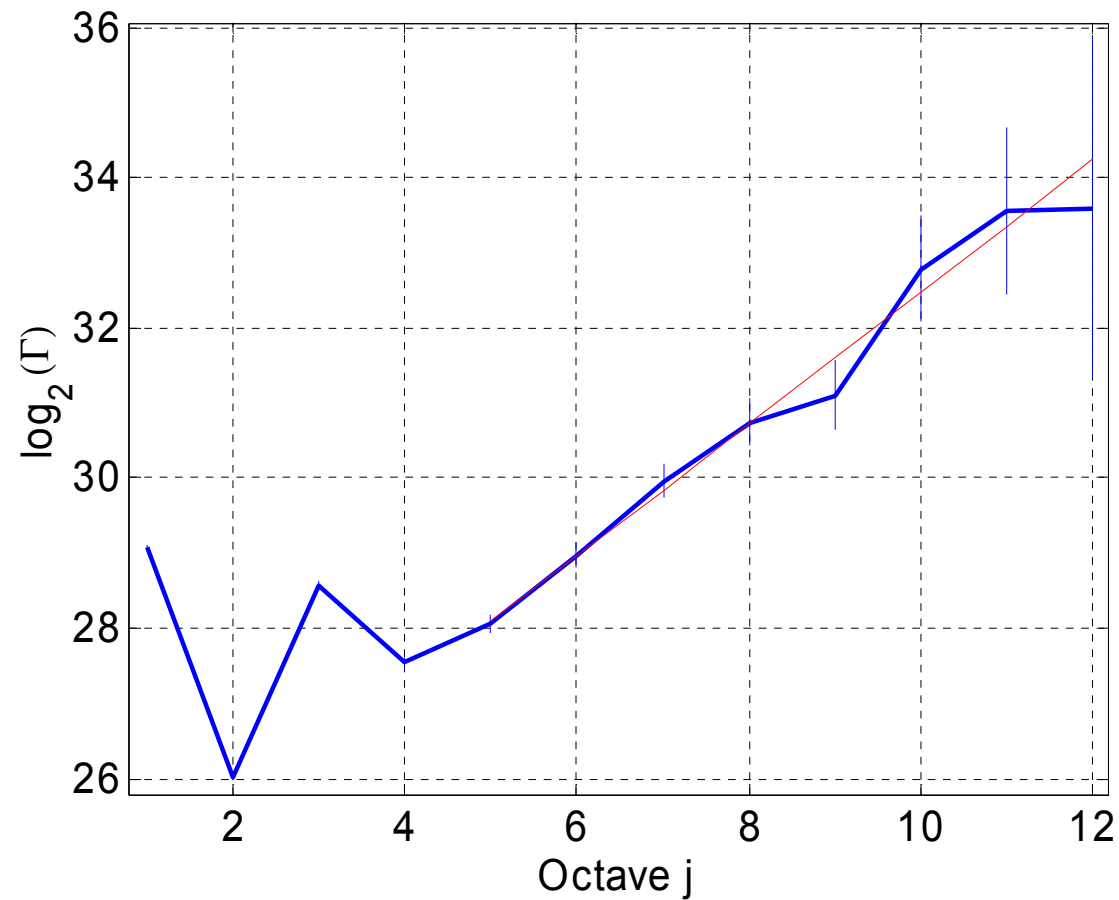
Effect of number of vanishing moments: monofractal case



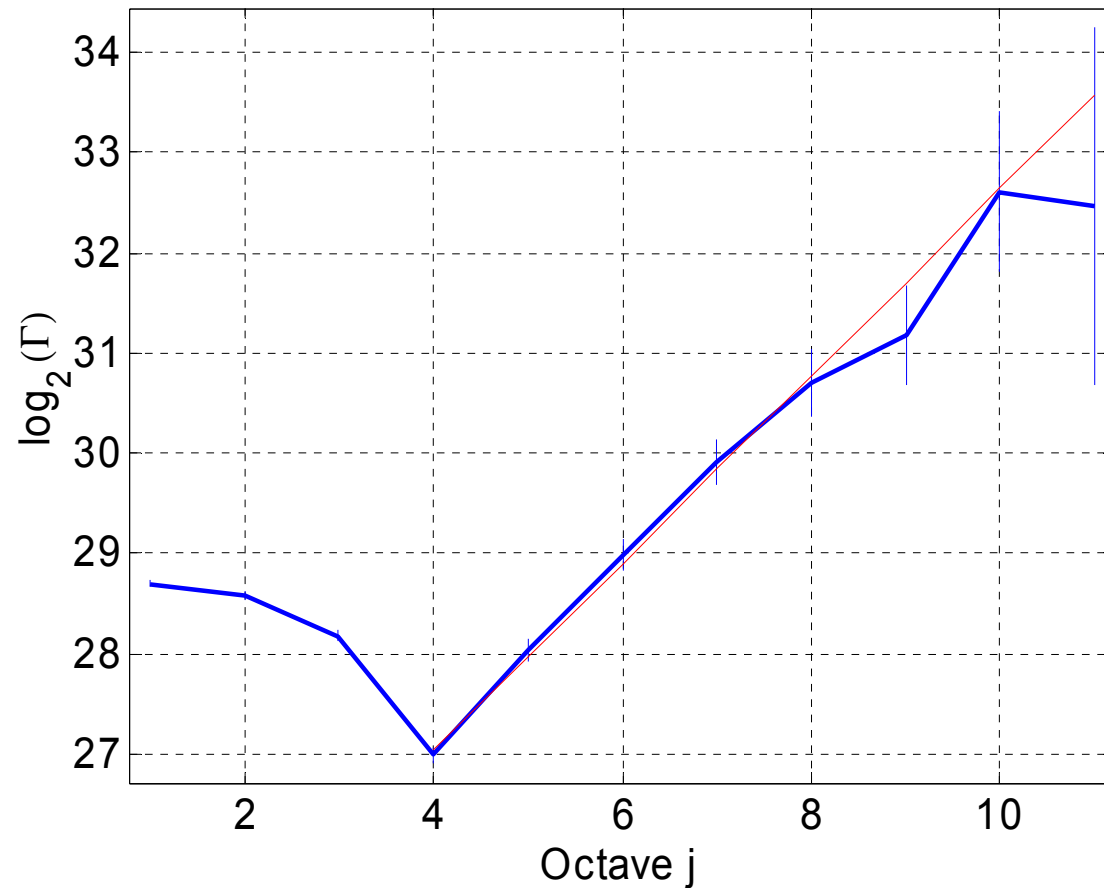
Traces: MTV/Simpsons

Number of vanishing moments	H parameter
2	0.991/0.933
3	0.959/0.940
4	0.990/0.941
5	1.008/0.932
6	1.006/0.921
7	1.000/0.934

Effect of vanishing moments: Simpsons, monofractal, $n = 3$



Effect of vanishing moments: Simpsons, monofractal, $n = 7$



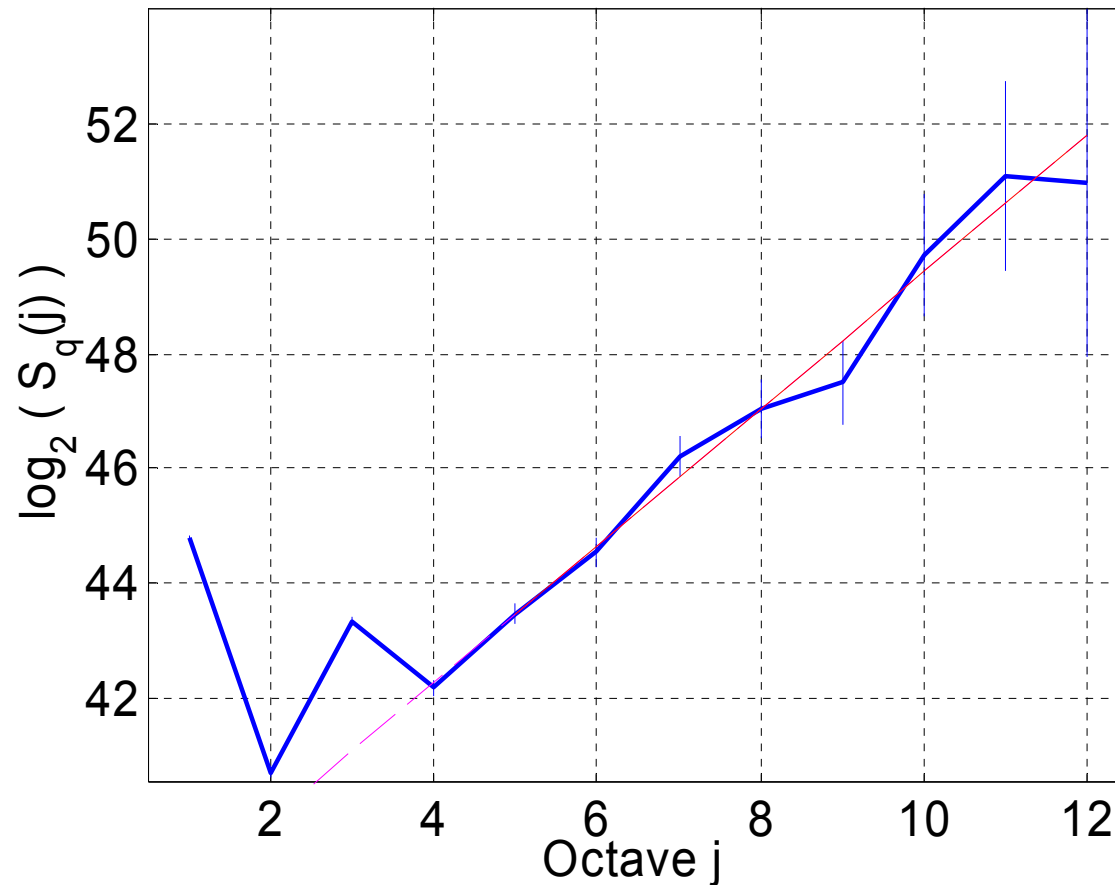
Effect of number of vanishing moments: multifractal case



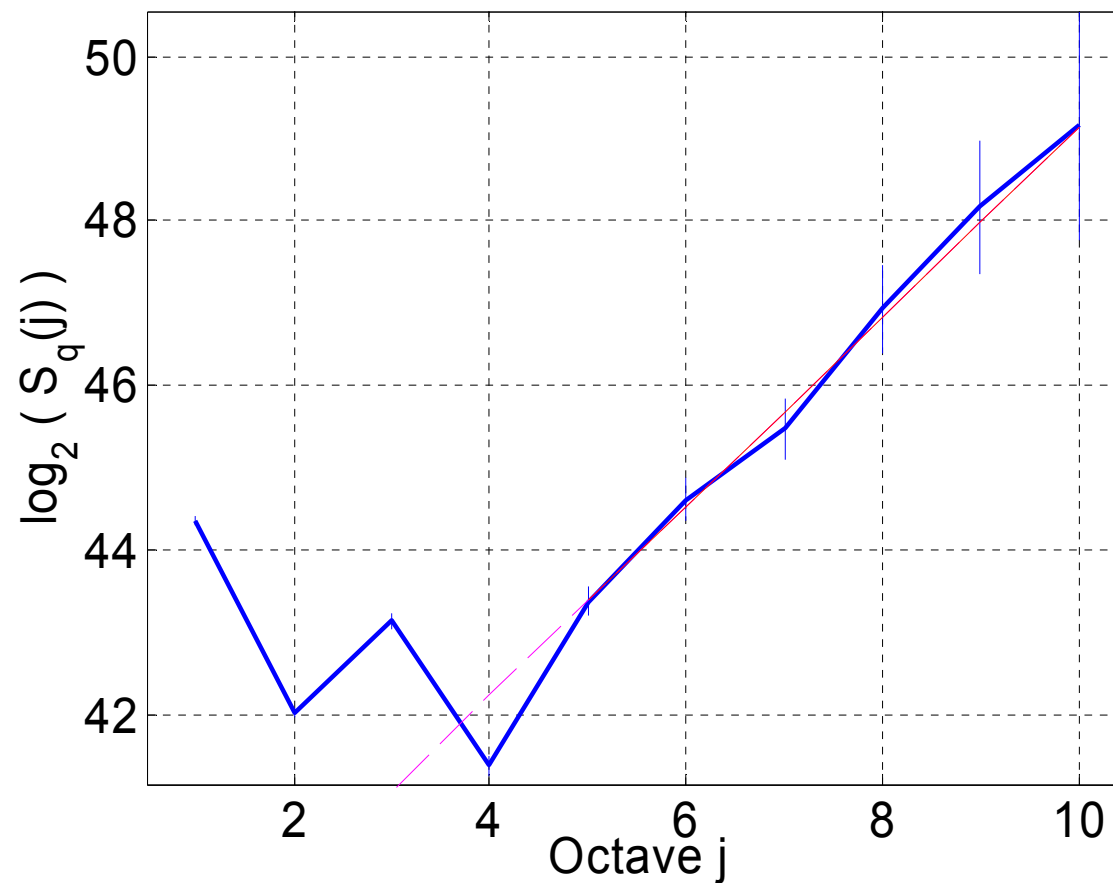
Traces: MTV/Simpsons. Order of moments $q=3$.

Number of vanishing moments	H parameter
2	0.896/0.895
3	0.907/0.898
4	0.922/0.917
6	0.913/0.876
7	0.910/0.890
10	0.911/0.884

Effect of vanishing moments: Simpsons, multifractal, $q = 3$, $n = 3$



Effect of vanishing moments: Simpsons, multifractal, $q = 3$, $n = 10$





Wavelet estimators: observations

- Both monofractal and multifractal estimator yield similar estimates of the Hurst parameter.
- The estimates do not depend on the number of vanishing moments (regularity) of the wavelet.
- This implies no polynomial trends in the video traces.



Simulation of packet loss

- 100 sources, various queue sizes
- Buffer size: 46, 100, 200 packets (552 bytes)
- The same video traces were used as traffic sources
- 10-minute loss processes
- UDP transfers
- Effect of buffer size on LRD
- Binning: 0.1 msec

Wavelet estimator applied to loss processes



Loss processes were obtained from ns-2 simulator.
Estimated H parameter:

Buffer size (packets)	Monofractal estimator	R/S estimator
46	0.981	0.585
100	0.946	0.531
200	0.974	0.550



Observations: loss processes

- Regardless of the buffer size, LRD is present with identical break-point and similar estimated values of the H parameter.
- Time-scales are important for estimating behavior of packet loss.
- Packet loss under UDP transfers exhibits long-range dependence over the coarser time-scales.
- Wavelet-based analysis proved useful for finding time-scale break-points beyond which long-range dependency can be detected.



Comparison

- Both **monofractal** and **multifractal** estimators in general can offer both reliable and unreliable results.
- While the obtained graphs are fairly consistent, the H parameter estimation may yield non-physical values.
- In general, wavelet estimators tend to overestimate the H parameter of the video traces and loss processes.



Concluding remarks

- Unreliability of the estimators may be attributed to:
 - assumption of Gaussian distribution of wavelet coefficients $d_x(j, k)$
 - choice of the regression algorithm
 - numerical instability of the regression algorithm
 - trends introduced by video coders.

A decorative graphic on the left side of the slide, featuring a vertical black line and a horizontal black line intersecting at the center. The background behind the lines is composed of overlapping colored rectangles: yellow at the top, red on the left, and blue at the bottom.

Road map

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- W. Leland, M. Taqqu, W. Willinger, and D. Wilson, "On the self-similar nature of Ethernet traffic (extended version)," *IEEE/ACM Trans. Networking*, vol. 2, pp. 1 – 15, 1994.
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