

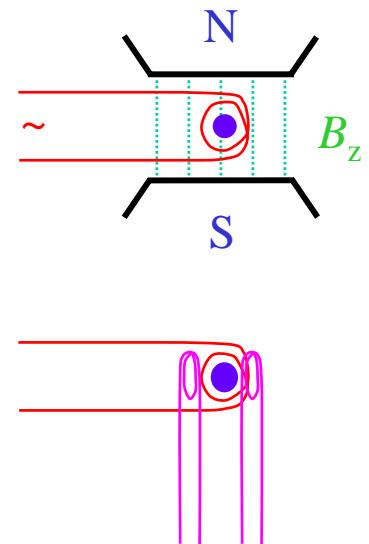
NMR – Experimental Aspects

$$h\nu = g_N \beta_N B_z$$

For ^1H	60 MHz \leftrightarrow 14.1 kG	permanent magnet OK
	100 MHz \leftrightarrow 23.5 kG	electromagnet
	300 MHz \leftrightarrow 70.5 kG	superconducting magnet

- * Resonance can be achieved by
 - sweeping magnetic field
 - sweeping r.f. frequency
 - pulsing r.f.
 } but always recorded in Hz

- * The r.f. oscillating magnetic field is oriented perpendicular to the static field (B_z).
At resonance, energy is absorbed by the sample from the coil, unbalancing the r.f. bridge circuit. Alternatively, an r.f. signal is induced in a second coil perpendicular to the exciting coil.



- * The field sweep is usually very small ($\lesssim 1$ in 10^4) and the lines very narrow, so both r.f. and magnetic field must be very stable. The field must also be very homogeneous (up to 1 in 10^9), so special sample tubes, sample spinning and field shimming coils are used.

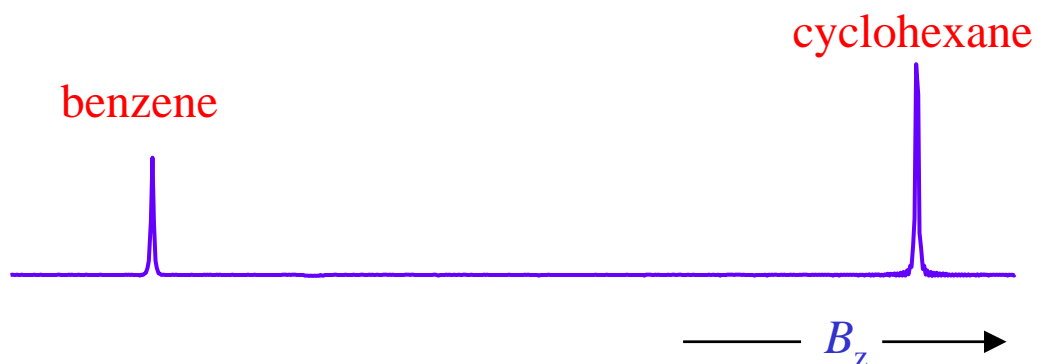
NMR in Liquids

Spin- $\frac{1}{2}$ nuclei in molecules tumbling in liquids usually have **very narrow lines** ~ 1 Hz **MHz for ESR!**

This is **high resolution NMR**, most commonly ^1H and ^{13}C .

The resonant frequency of each nucleus is determined by its electronic environment, described in terms of **chemical shift**.

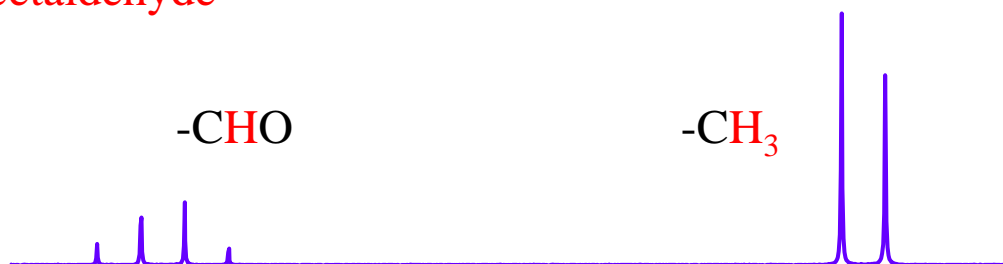
e.g. equimolar mixture of



The spectrum is displayed as if for an increase in field, *but* differences in line positions are always quoted in frequency units.

Splitting of lines can arise from **spin-spin coupling**, characterized by the coupling constant J .

e.g. **acetaldehyde**



Chemical Shift

Resonances of chemically non-equivalent nuclei are separated by a **chemical shift**.

The local field at the nucleus differs from the applied field by an amount B_{ind} , which is directly proportional to B_z :

$$B_{\text{local}} = B_z - B_{\text{ind}} = B_z(1 - \sigma) \quad \sigma = \text{screening constant}$$

The applied field induces a circulation of electrons in the molecule resulting in an induced field which opposes B_z .

The resonant frequency varies with chemical shift:

$$\nu = \gamma B_{\text{local}} = \gamma B_z(1 - \sigma)$$

so for non-equivalent nuclei j and k

$$\nu_j - \nu_k = \gamma B_z(\sigma_k - \sigma_j) = \nu_0(\sigma_k - \sigma_j)$$

The chemical shift is usually quoted as a **ratio**

$$\delta_{jk} = \frac{\nu_j - \nu_k}{\nu_0} = \sigma_k - \sigma_j \quad \text{in units of ppm}$$

TMS (tetramethylsilane) is commonly used as a standard, so by definition

$$\delta_{\text{TMS}} = 0 \quad \delta_j = \frac{\nu_j - \nu_{\text{TMS}}}{\nu_{\text{TMS}}}$$

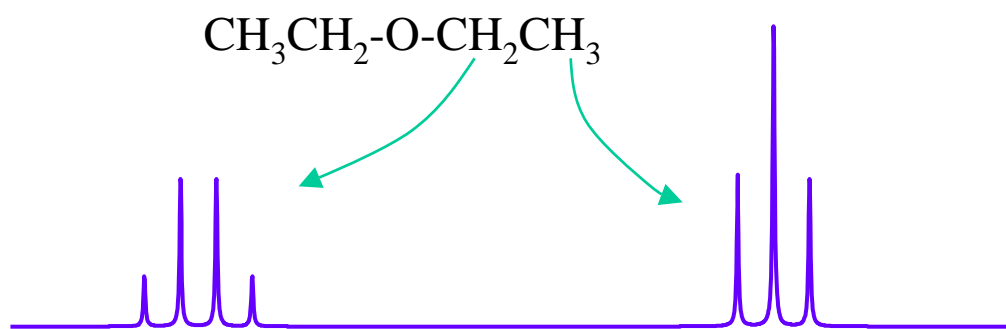
Most organic compounds have proton chemical shifts between 0 and 10 ppm.

Nuclear Spin-Spin Coupling

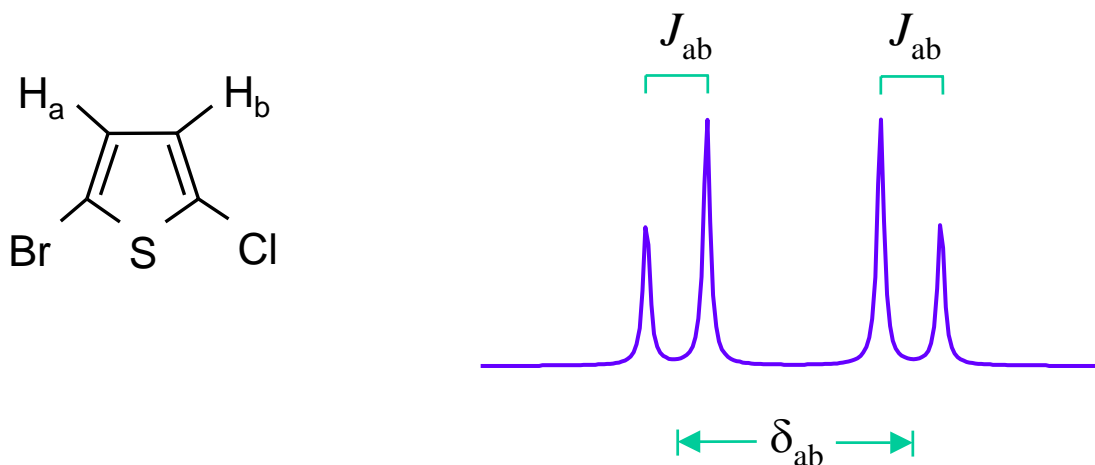
The resonance of a spin- $\frac{1}{2}$ nucleus which couples to another nucleus or group of nuclei of spin I is split into $2I+1$ lines.

Equal coupling to n equivalent spin- $\frac{1}{2}$ nuclei results in $n+1$ lines with intensities corresponding to binomial coefficients.

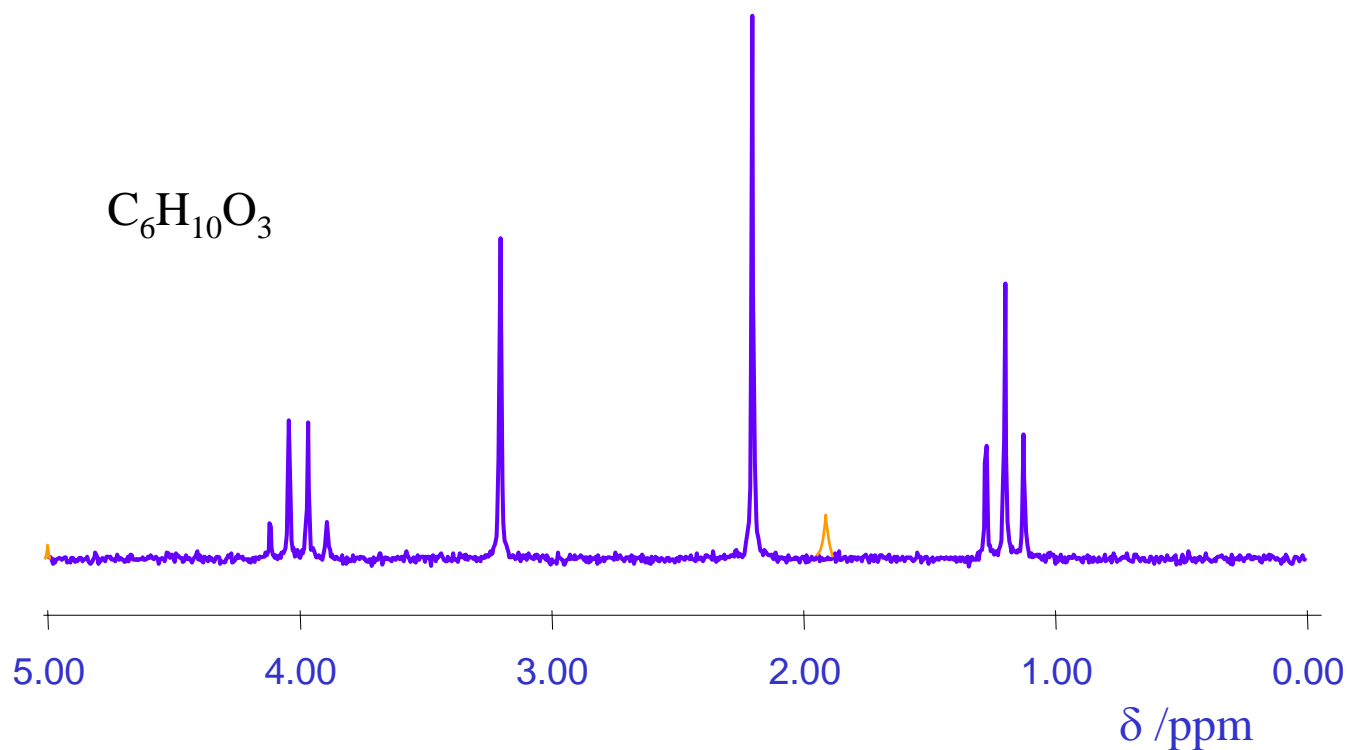
Nuclei with equal chemical shift couple together but **do not give splitting at that resonance**. e.g. CH_3I has a single line.



Intensity distortions occur when the **first order condition** $\delta_{ab} \gg J_{ab}$ is not satisfied



NMR Spectral Analysis – Example



Intensities

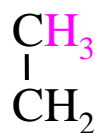
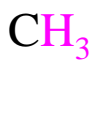
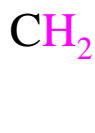
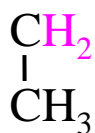
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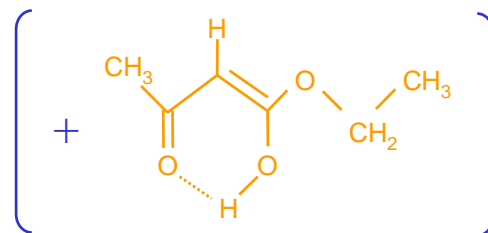
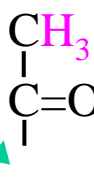
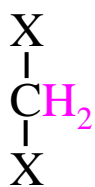
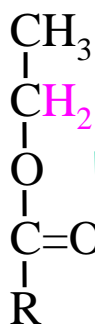
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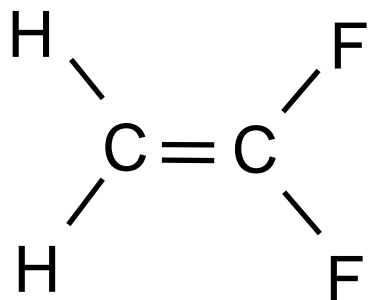
Splitting



Shift

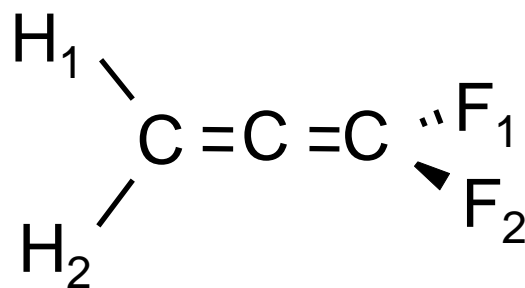


Equivalent Spins ?



chemically equivalent
but *not* magnetic

$$J_{H_1F_1} = J_{H_2F_2} \neq J_{H_1F_2}, J_{H_2F_1}$$



magnetic *and* chemical
equivalence